

AIM: Students will be able to prove that a quadrilateral is a parallelogram or a rhombus

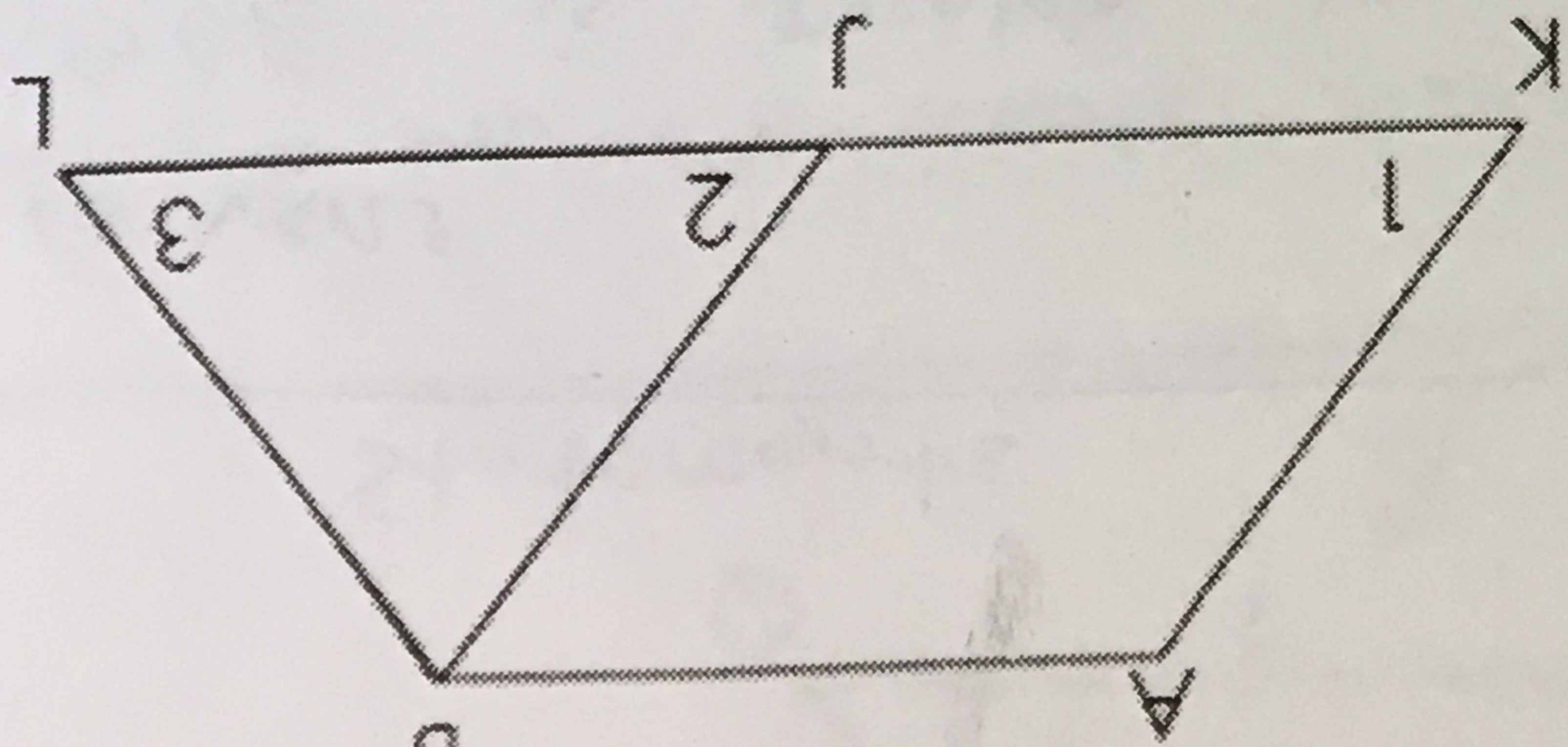
Do Now:

$$\angle 1 \cong \angle 2; \angle 2 \cong \angle 3;$$

7. Given:

$$\overline{AK} \cong \overline{BL}$$

Prove: $\triangle ABK$ is a parallelogram



Name: Answers

Date: 12/6/17

1) Given

2) $AK \parallel JB$

3) $\triangle JBL$ is isosceles

4) $\angle B \cong \angle L$

5) $\angle A \cong \angle B$

6) $\triangle ABK$ is a P

1) Given

2) If corresponding $\angle$'s are $\cong$, then lines are $\parallel$.

3) Base $\angle$'s are $\cong$

4) Isosceles $\triangle$'s have $\cong$ legs

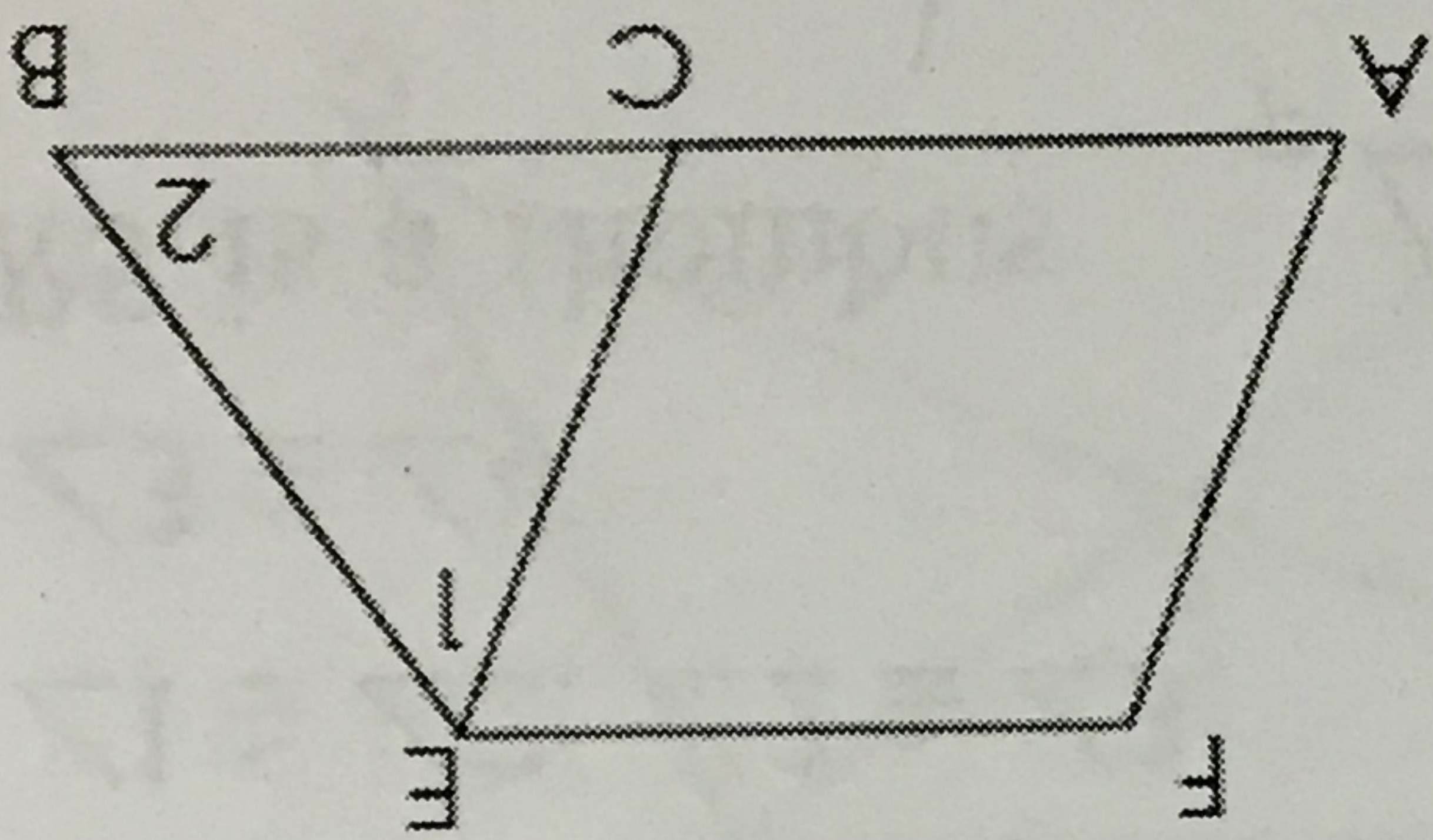
5) Transitive/Substitution

6) One pair of opp sides is $\cong$ and $\parallel$.

1. Given:

$$\overline{AC} \cong \overline{BC}$$

Prove: $\angle 1 \cong \angle 2$



1) Given

2) $AC \cong CE$

3) $BC \cong CE$

4) $\triangle BCE$ is isosceles

5) $\angle 1 \cong \angle 2$

1) Given

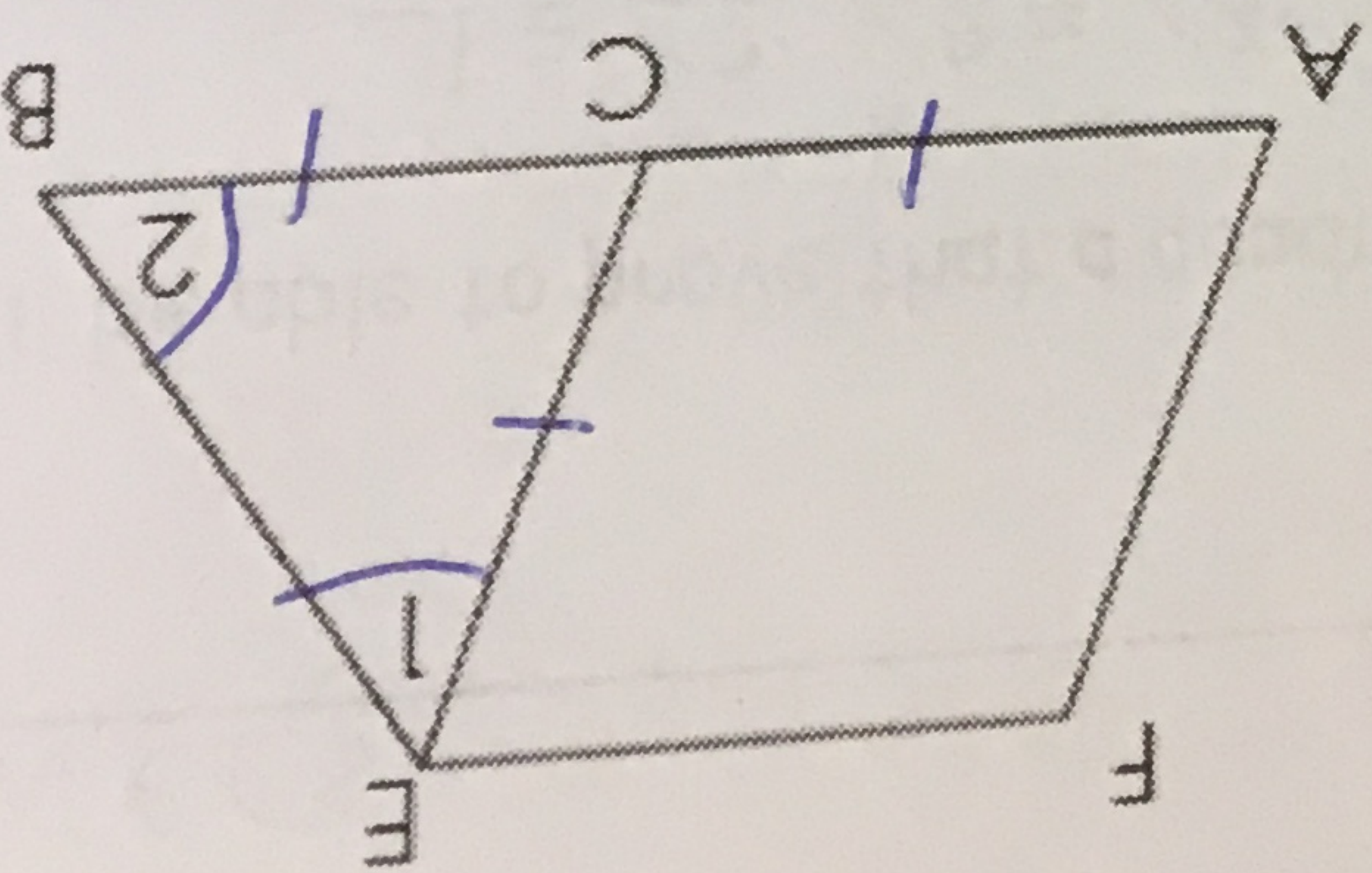
2) Adjacent Sides of a rhombus are $\parallel$.

3) Sub/Transitive

4) Legs are $\cong$

5) Base $\angle$'s of an isosceles $\triangle$ are $\cong$

2. Given: $\overline{AC} \equiv \overline{BC}$; $\angle 1 \equiv \angle 2$
 Prove: $ACEF$ is a rhombus



Statements

1) Given
 2) $\triangle BCE$ is isosceles

3) $BC \equiv CE$

4) $AC \equiv CE$

5) $ACEF$ is a rhombus

Reasons

1) Given

2) Base $\angle$'s are $\equiv$

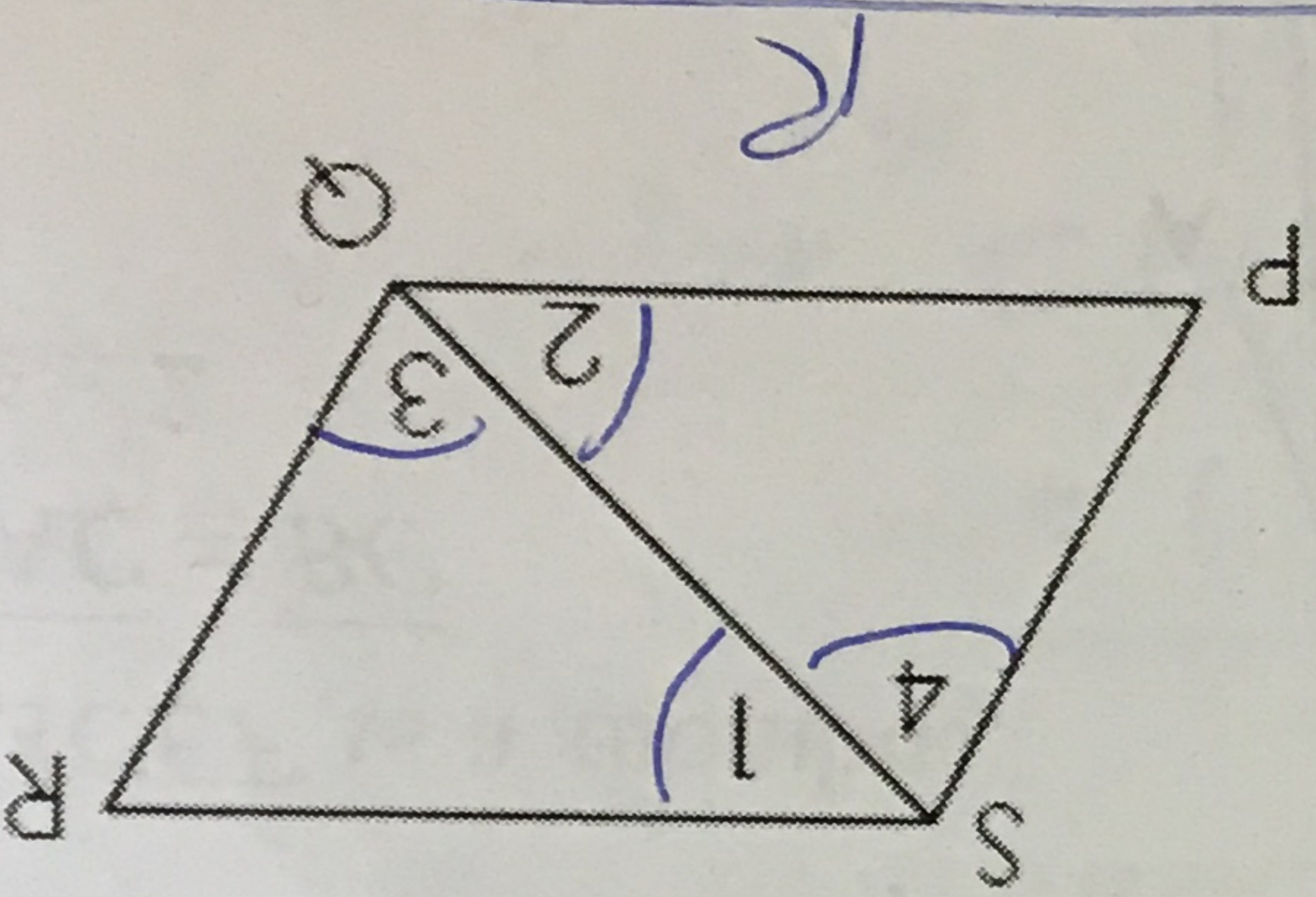
3) legs of an isosceles $\triangle$

4) transitive/subst

5) A $\square$ w/ $\equiv$ consecutive sides is a rhombus

Prove: $PQRS$ is a rhombus

3) Given:
 $\angle 1 \equiv \angle 2$; $\angle 2 \equiv \angle 3$;
 $\angle 3 \equiv \angle 4$



1) Given

2) $SP \parallel PQ$, $PS \parallel QR$

3) $PQRS$ is a parallelogram

4) $\triangle QRS$ is isosceles

5) $SR \equiv QR$

6) $PQRS$ is a rhombus

1) Given

2) If Alt Interior $\angle$'s are $\equiv$, then sides are $\parallel$.

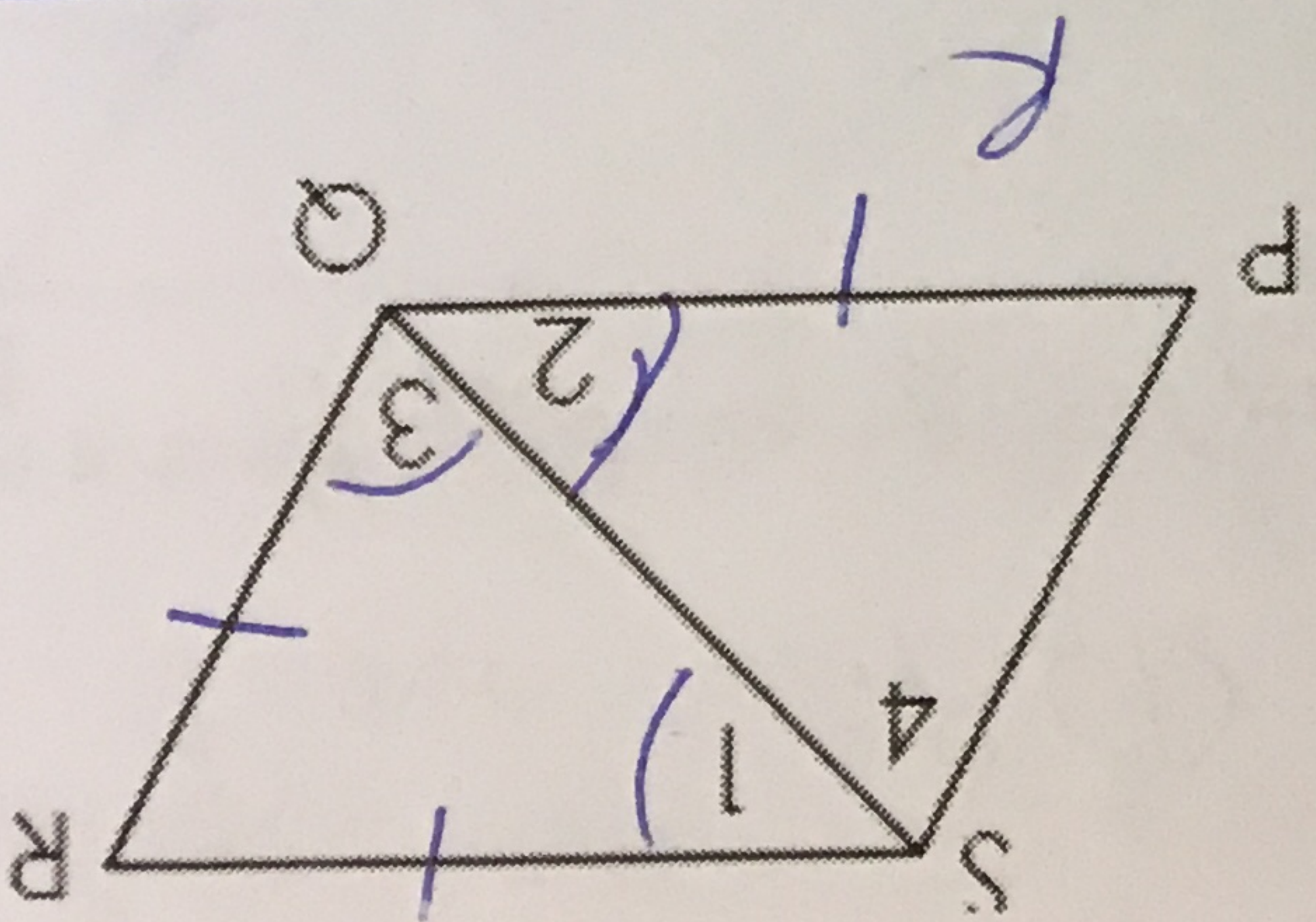
3) Opposite sides are $\parallel$.

4) Base $\angle$'s are $\equiv$.

5) legs of an isosceles $\triangle$.

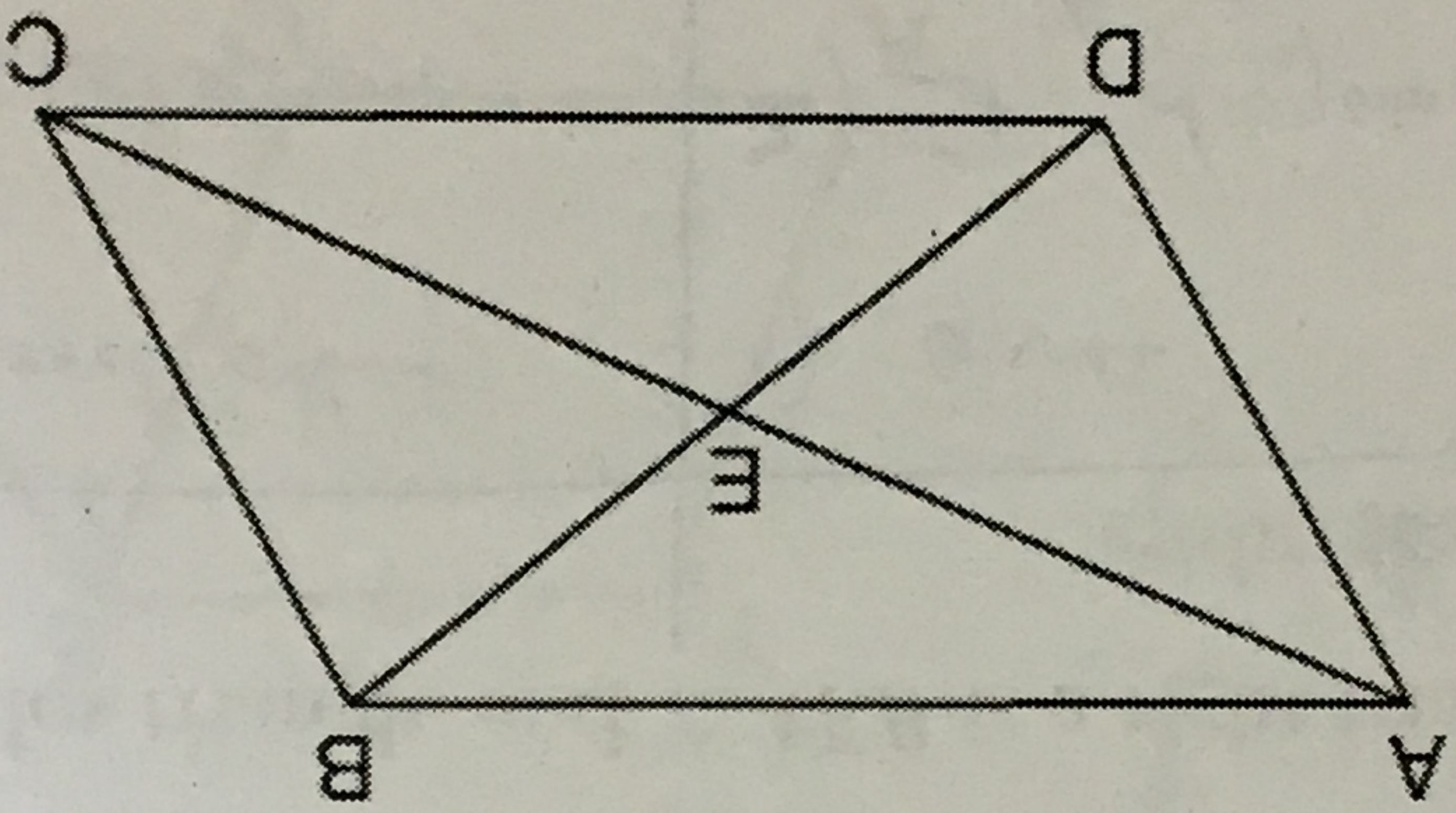
6) If a parallelogram has $\equiv$ adjacent sides, it's a rhombus.

Given: $\angle 1 \cong \angle 2$; $\angle 2 \cong \angle 3$; $\overline{PQ} \cong \overline{RS}$
 Prove: $PQRS$ is a rhombus



Prove: $PQRS$ is a rhombus

- 1) $\angle 1 \cong \angle 2$, $\angle 2 \cong \angle 3$, $\angle 1 \cong \angle 3$
 2) $PQ \parallel RS$
 3) $PQRS$ is a parallelogram
 4) $\triangle QRS$ is isosceles
 5) $\triangle PQR$ is isosceles
 6) $SR \cong QR$
 7) $PQRS$ is a rhombus
-
- 1) Given
 2) If alternate interior $\angle$'s are $\cong$, then $\parallel$ lines are $\parallel$.
 3) One pair of opposite sides is $\cong$ and $\parallel$.
 4) If base $\angle$'s are $\cong$, then $\triangle$ is isosceles.
 5) Transitive Property
 6) Legs of an isosceles $\triangle$ are $\cong$.
 7) A $\square$ w/ congruent adjacent sides is a rhombus.



Prove: $\triangle AED \cong \triangle CEB$

Given: Quadrilateral $ABCD$ is a parallelogram with diagonals $\overline{AC}$ and $\overline{BD}$ intersecting at E