# An Introduction to Data Analysis using R

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## Outline

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  - What does R do?
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#### 1. Introduction

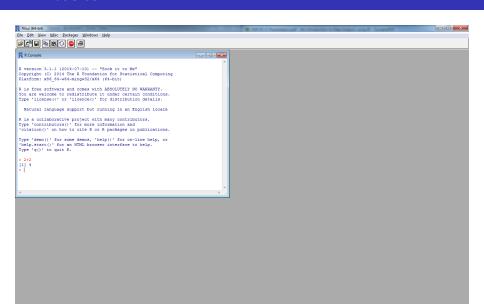
#### 1.1 What is R?

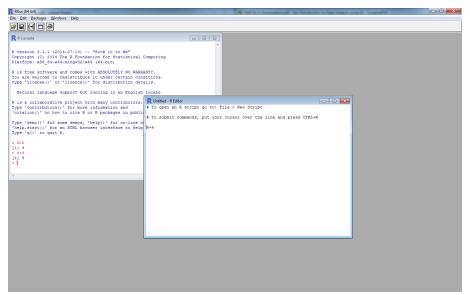
- "R is a language and environment for statistical computing and graphics"
- Similar to the S language (which was developed at Bell Laboratories, US)
- R is Open Source and free (under the terms of the GNU Licence)
- Relatively simple programming language
- Large number of users and freely available extensions

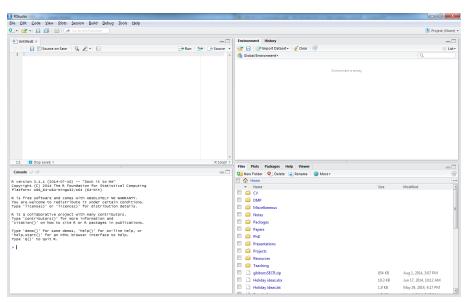
## 1. Introduction

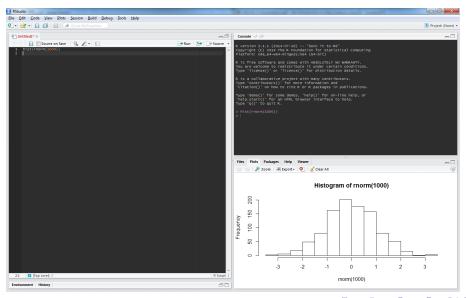
#### 1.2 What does R do?

- Data handling and storage
- Mathematical operations and calculations (for a wide range of data types)
- Data analysis
- Publication quatlity plots









## 2.1 Objects

- Data classes
  - integer
  - numeric (i.e. double)
  - character
  - logical
- Data structures
  - scalars
  - vectors
  - matrices
  - dataframes
  - lists

# e.g. integer vector

```
> x = c(2L, 4L, 6L)
```

> x

[1] 2 4 6

> class(x)

[1] "integer"

#### e.g. numeric vector

- > y = seq(from = 0, to = 1, by = 0.1)
- > y
  - [1] 0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9 1.0
- > class(y)
- [1] "numeric"

```
e.g. logical matrix
> my.matrix = matrix(c(TRUE,FALSE), nrow=2, ncol=4)
> my.matrix # fills by column and recycles values
      [,1] [,2] [,3] [,4]
[1,] TRUE TRUE TRUE TRUE
[2,] FALSE FALSE FALSE FALSE
> class(my.matrix)
[1] "matrix"
> typeof(my.matrix)
[1] "logical"
```

```
e.g. list
> my.list = list(x = letters[1:3],
                 y = matrix(1:2, 1, 2))
> my.list
$x
[1] "a" "b" "c"
$y
     [,1] [,2]
[1,] 1 2
> class(my.list)
[1] "list"
> typeof(my.list)
[1] "list"
```

## e.g. data frame

```
> my.data.frame = data.frame(
 x = letters[1:3],
+ y = 1,
+ z = 3:1
> my.data.frame
 x y z
1 a 1 3
2 b 1 2
3 c 1 1
> class(my.data.frame)
[1] "data.frame"
> typeof(my.data.frame)
[1] "list"
```

#### 2.2 Functions

## Simple functions

> log(10)

[1] 2.302585

## Compound functions

> exp(log(10))

[1] 10

# Functions on objects

> x = matrix(1:9, nrow = 3)

```
> x
     [,1] [,2] [,3]
[1,] 1 4 7
[2,] 2 5 8
[3,] 3 6 9
> log(x)
         [,1] [,2] [,3]
[1,] 0.0000000 1.386294 1.945910
[2,] 0.6931472 1.609438 2.079442
[3,] 1.0986123 1.791759 2.197225
```

#### Apply functions

```
> apply(x, 1, sum) # row sums
```

```
[1] 12 15 18
```

> apply(x, 2, mean) # column means

[1] 2 5 8

See also tapply, sapply and lapply.

## Make your own functions

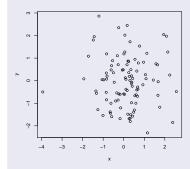
```
> myfunc = function(x,y=3){
+    result = 2 * x + y
+    return(result)
+ }
> myfunc(10) # using default value for y
[1] 23
```

## 2.3 Graphics

## e.g. the plot function

```
> x = rnorm(100) ; y = rnorm(100)
```

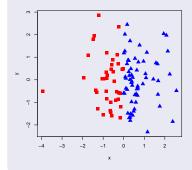
> plot(x, y)



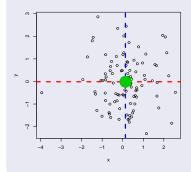
## customising plots

# An example plot

## customising plots

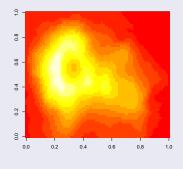


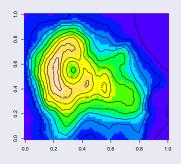
## annotating plots



## heat maps

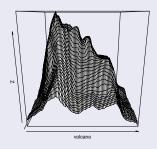
- > par(mfrow = c(1,2))
- > image(volcano)
- > image(volcano, col = topo.colors(10))
- > contour(volcano, add = TRUE)

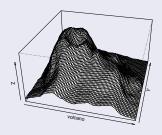




## 3D plots

- > par(mfrow = c(1,2))
- > persp(volcano)
- > persp(volcano, phi = 30, theta = 15, expand = 0.5, d = 2)

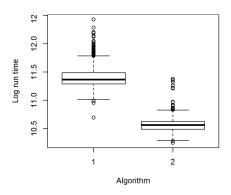




## **3.1 Example 1**

- Suppose we want to compare the speed of two different algorithms
- We could run each algorithm once and compare the times...
- ...but this tells us nothing about how much the runtimes might vary from one run to the next
- It would be better to run each algorithm multiple times and compare the two sets of times
- Statistical analysis can help us make an objective decision

Here are some real data. It looks pretty clear cut, but we'll analyse them anyway.



#### We want to know:

- Is it plausible that the mean run time (i.e the long run average) for each algorithm is the same?
- In other words, is it plausible that the difference between the mean run times is zero?

We could answer this in two ways:

- A two-sample t-test,
- Or a one-way ANOVA

First let's have a look at the data.

#### Algorithms data

```
> head(algorithms)
```

> attach(algorithms) # allows direct use of column names

Now perform a t-test using the t.test() function.

#### Two-sample t-test

```
> a1 = log.runtime[algorithm == 1]
> a2 = log.runtime[algorithm == 2]
> t.test(a1, a2, var.equal = TRUE)
Two Sample t-test
data: a1 and a2
t = 117.8057, df = 1998, p-value < 2.2e-16
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 0.8392051 0.8676192
sample estimates:
mean of x mean of y
 11.40930 10.55588
```

- The most important part of the output is the p-value
- We can access the p-value directly if we save the output (which happens to be a list) and extact the relevant component

## Accessing the p-value

```
> results = t.test(a1, a2, var.equal = TRUE)
```

> results\$p.value

[1] 0

- The p-value gives the probability of the result if the null hypothesis (i.e. no difference) were true
- In this case the p-value is extrememly small (0.05 is the conventional cutoff)
- So the probability of observing a result like this if the null hypothesis were true is extremely small
- And we therefore reject the null hypothesis in favour of the alternative hypothesis that the means are different

When interpreting p-values always ask yourself:

What is the null hypothesis?

Alternatively we could perform a one-way ANOVA using R's linear modelling capabilities.

```
One-way ANOVA
> fit1 = lm(log.runtime ~ algorithm, data = algorithms)
> summary(fit1)
....
Coefficients:
Estimate Std. Error t value Pr(>|t|)
(Intercept) 12.262709  0.011560  1060.8  <2e-16 ***
algorithm  -0.853412  0.007244  -117.8  <2e-16 ***
---
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1</pre>
```

The reliability of the results of the t-test and the ANOVA depends on the following assumptions about the data:

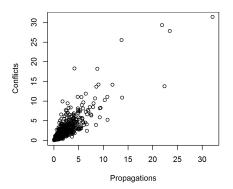
- Normally distributed
- Constant variance
- Independence

You will get a chance to assess these assumptions in the practical.

## 3.2 Example 2

 Suppose we wanted to assess the influence of a continuous variable on algorithm speed, or some other type of continuous response

For example, consider the following set of artificual data (based on Figure 3. in Gent, 2013).



We might wish to know:

- Is there a linear relationship between the number of propagations has no relationship with mean number of conflicts?
- If so, what is the nature of that relationship?

We can try and answer these questions using simple linear regression.

First let's have a look at the data.

### Speedup data

> head(speedup)

```
conf prop
1 1.8662396 1.3703172
2 0.7953660 0.7339403
3 0.1689633 0.5044575
4 1.5296215 0.7363003
5 5.3021610 4.6651811
```

- 6 0.2300878 0.1102576
- > attach(speedup) # allows direct use of column names

Now lets perform a simple linear regression using R's linear modelling capabilities.

```
Simple linear regression
> fit2 = lm(conf ~ prop, data = speedup)
> summary(fit2)
....
Coefficients:
Estimate Std. Error t value Pr(>|t|)
(Intercept) 0.11424  0.05141  2.222  0.0265 *
prop     1.05863  0.01815  58.335  <2e-16 ***
---
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1</pre>
```

• The estimate of the slope of the relationship is given by the prop coefficient

#### extracting parameter estimates

```
> coef(fit2)
(Intercept)
                   prop
 0.1142375 1.0586284
> coef(fit2)["prop"]
```

```
prop
1.058628
```

- The p-value for prop is extremely small (much less than 0.05) which leads us to reject the null hypothesis.
- The null hypothesis in this case is that the true value of the slope is zero.

> confint(fit2)

• In addition to estimates we can also provide a range of plausible values using 95% confidence intervals for the trye value of the parameters

### confidence intervals for parameters

```
2.5 % 97.5 % (Intercept) 0.01335256 0.2151225 prop 1.02301708 1.0942397
```

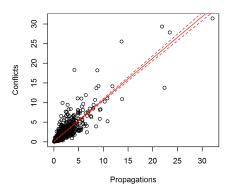
Notice that zero does not fall inside either of these intervals.

 We can plot the estimated regression line along with a confidence region.

### fitted regression line

```
> plot(prop, conf, xlab = "Propagations", ylab = "Conflicts")
> i = order(prop)
> preds1 = predict(fit2, speedup, interval = "confidence")
```

- > lines(prop[i], preds1[i, "fit"], col = 2)
- > lines(prop[i], preds1[i, "lwr"], col = 2, lty = 2)
- > lines(prop[i], preds1[i, "upr"], col = 2, lty = 2)



- One of R's main strengths is it's flexibility.
- However one of it's main weaknesses is that it can be relatively slow (due to it being an interpreted, 4th generation language)
- This is particularly the case with for loops
- There are two main ways to speed up R: parallelistion and integrating C++ code

### **4.1 Rcpp**

```
#include <RcppArmadillo.h>
using namespace Rcpp;
// [[Rcpp::depends(RcppArmadillo)]]
// [[Rcpp::export]]
arma::rowvec colProds(NumericMatrix x){
arma::mat X = arma::mat(x.begin(), x.nrow(), x.ncol(), false);
arma::rowvec col_prods = prod(X,0);
return col_prods;
}
```

## Sourcing an Rcpp file

elapsed

### Benchmarking - multiple runs

#### 4.2 parallel

It's fairly easy to parallelise embarassingly parallel code.

#### Serial

```
> nloops = 80
> nseconds = 0.01
> system.time({
+    results = lapply(1:nloops, function(i){
+        Sys.sleep(nseconds)
+    })
+ })["elapsed"]
elapsed
    0.79
```

#### 4.2 parallel

```
Parallel
```

```
> require(parallel)
> ncores = detectCores()
> myCluster = makeCluster(ncores)
> clusterExport(myCluster, "nseconds")
> system.time({
     results = parLapply(myCluster, 1:nloops, function(i){
          Sys.sleep(nseconds)
     7)
+ })["elapsed"]
elapsed
   0.11
> stopCluster(myCluster)
```

### 5. References

 Gent, I. P. 2013. Optimal Implementation of Watched Literals and More General Techniques. *Journal of Artificial Intelligence Research* 48 231-252