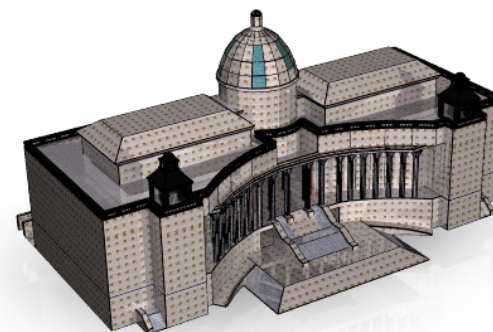
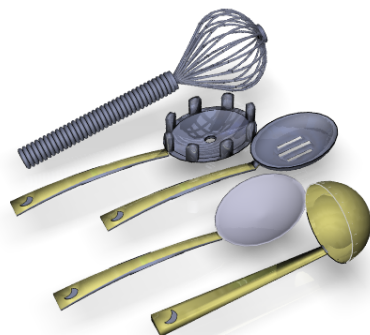
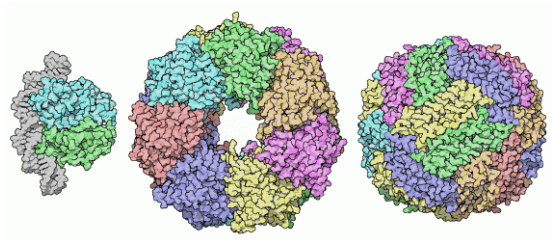


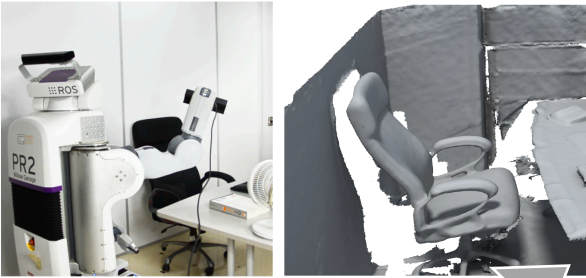
UC San Diego

2019 Tutorial on 3D Deep Learning

Hao Su (UCSD)



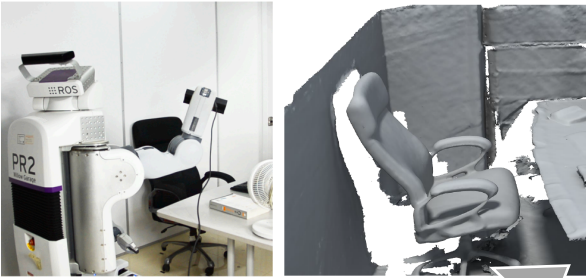
Broad Applications of 3D data



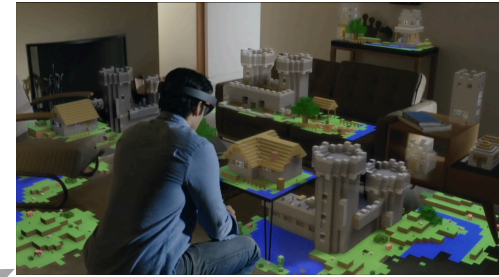
Robotics



Broad Applications of 3D data



Robotics

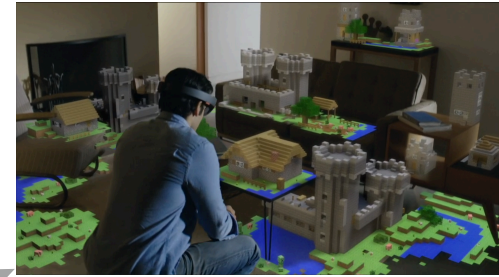
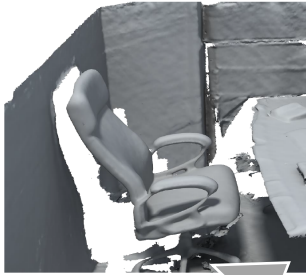


Augmented Reality

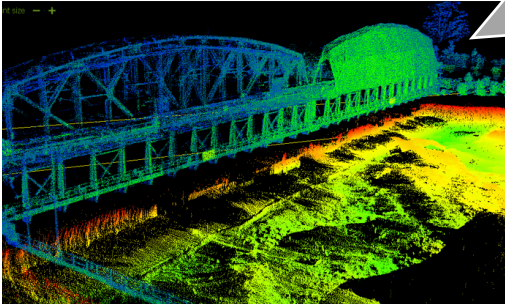
Broad Applications of 3D data



Robotics



Augmented Reality

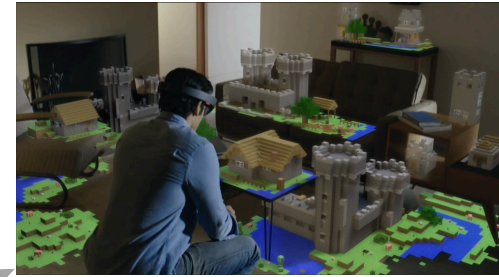
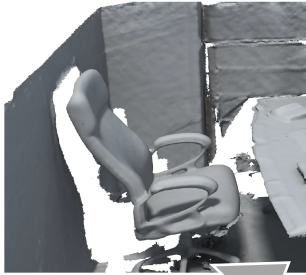


Autonomous driving

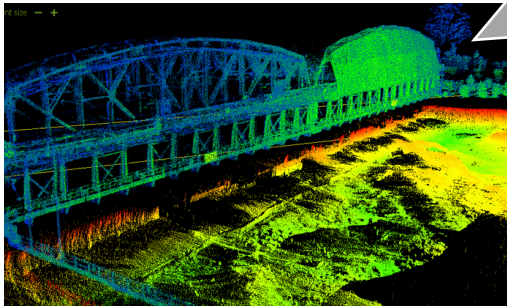
Broad Applications of 3D data



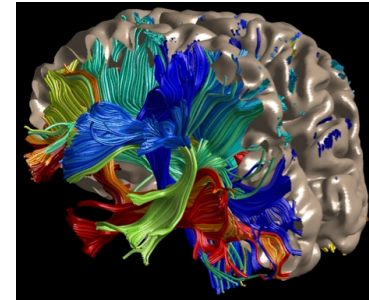
Robotics



Augmented Reality



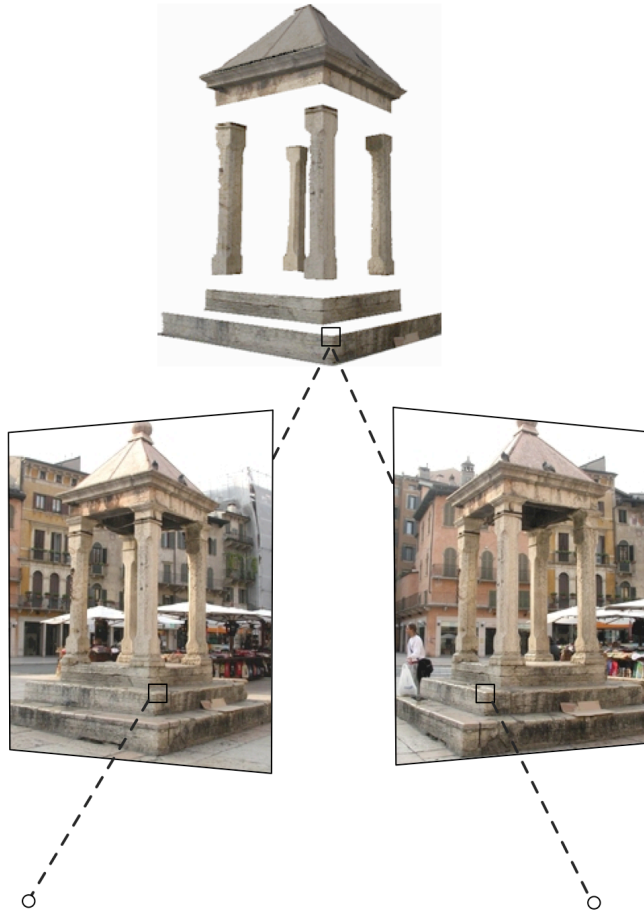
Autonomous driving



Medical Image Processing

Traditional 3D Vision

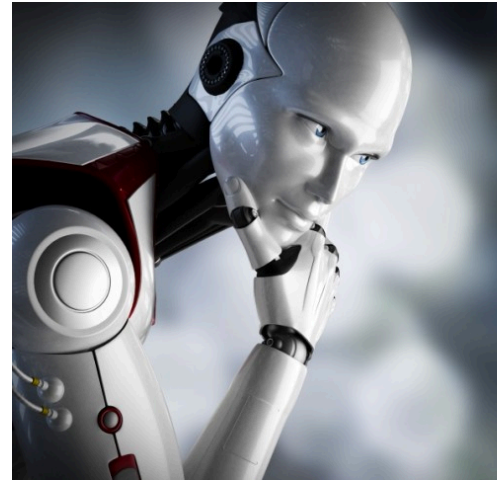
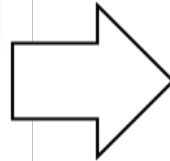
Multi-view Geometry: Physics based



3D Learning: Knowledge Based

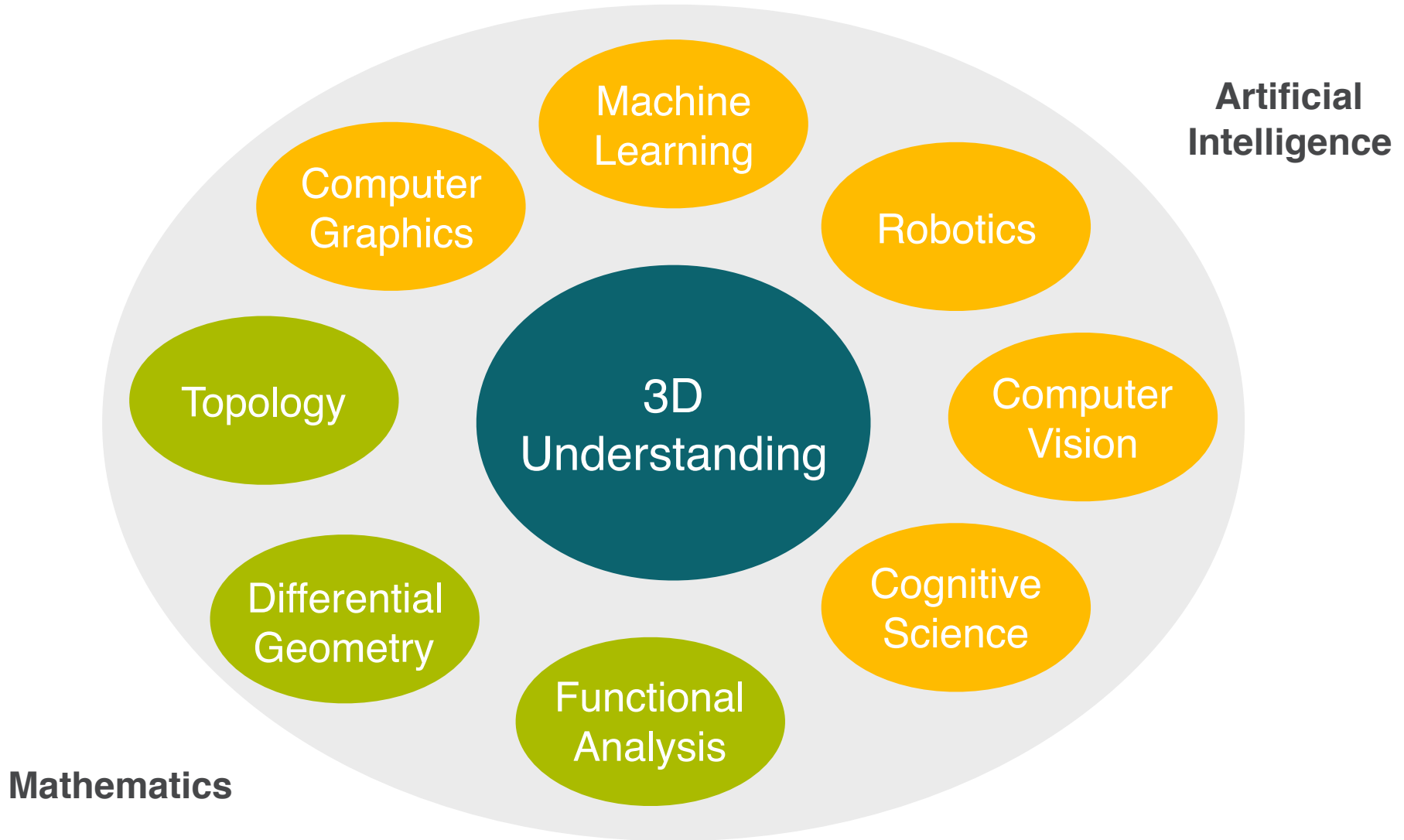


Acquire Knowledge of 3D World by **Learning**



A priori knowledge of
the 3D world

A New Rising Field

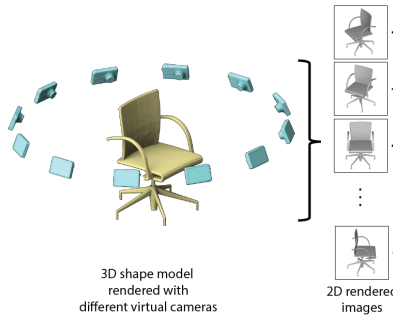


The Representation Challenge of 3D Deep Learning

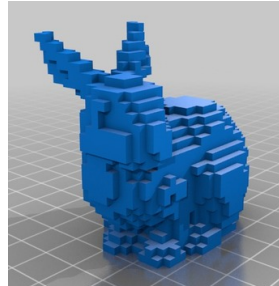
**Rasterized form
(regular grids)**

**Geometric form
(irregular)**

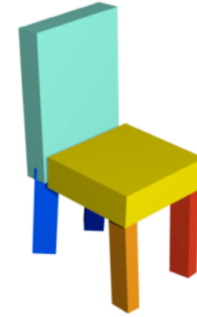
The Representation Challenge of 3D Deep Learning



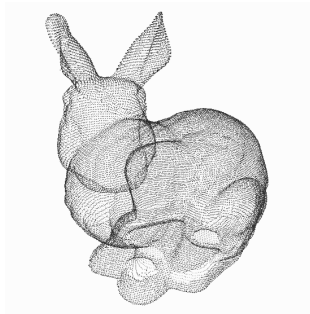
Multi-view



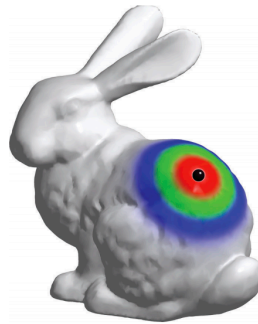
Volumetric



Part Assembly



Point Cloud



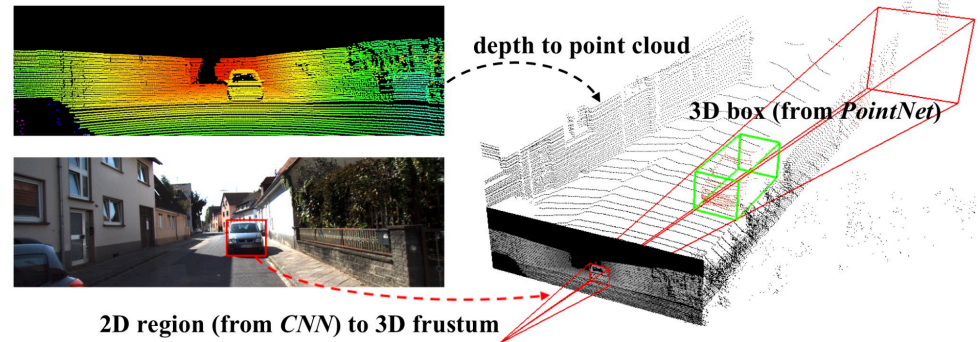
Mesh (Graph CNN)

$$F(x) = 0$$

Implicit Shape

The Richness of 3D Learning Tasks

3D Analysis



Detection



Classification



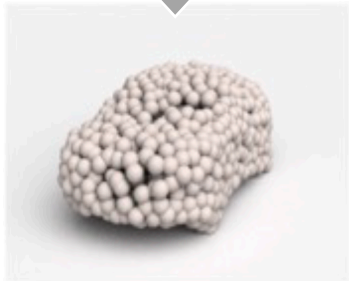
Segmentation
(object/scene)



Correspondence

The Richness of 3D Learning Tasks

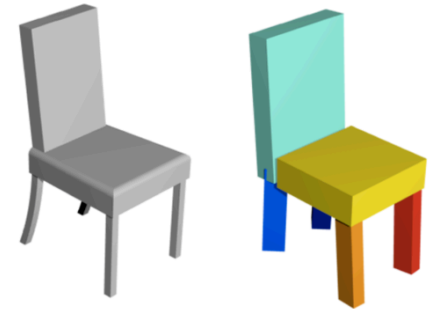
3D Synthesis



Monocular
3D reconstruction



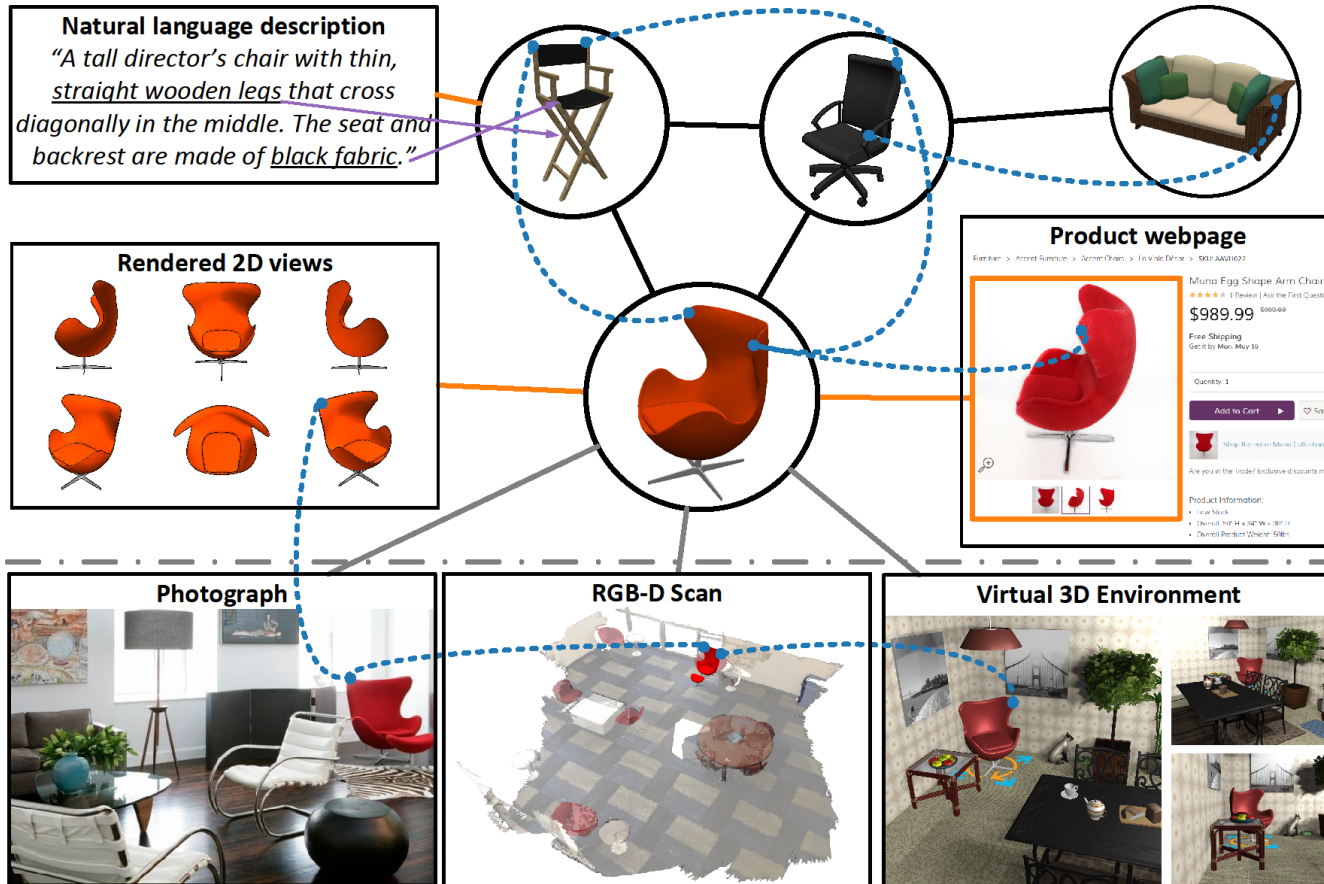
Shape completion



Shape modeling

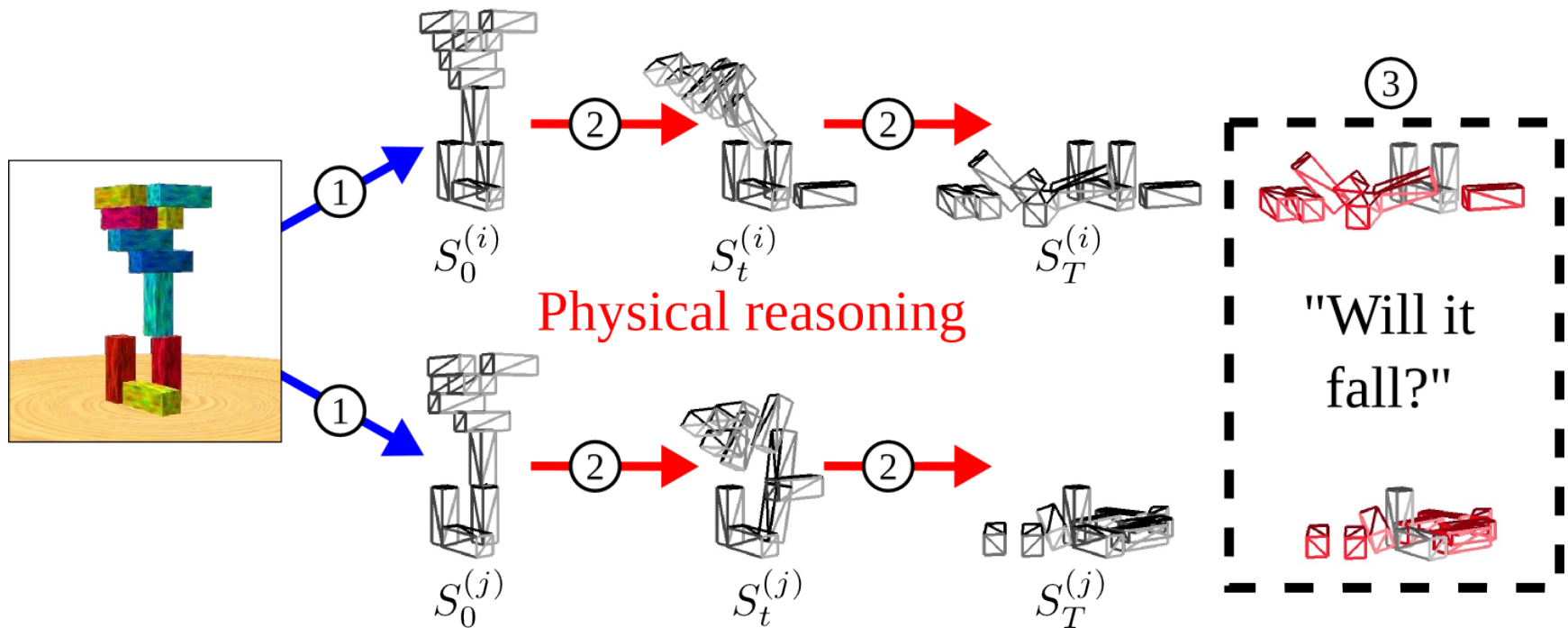
The Richness of 3D Learning Tasks

3D-based Knowledge Transportation



3D Learning Tasks

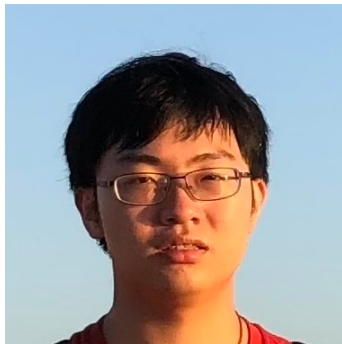
From static to dynamic



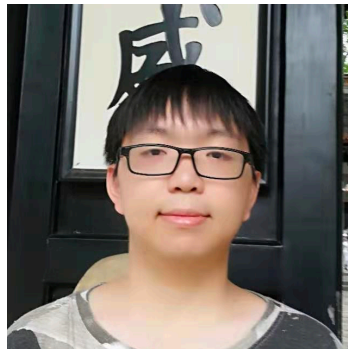
Speaker



Team Members



Shuo Cheng



Siyu Hu



Zetian Jiang

Algorithms of 3D Deep Learning

Hao Su (UCSD)

Topics

- **Classification**
- **Segmentation and Detection**
- **Reconstruction**
- **3D Dataset**
- **3D Few-shot Learning**

Topics

- **Classification**
- Segmentation and Detection
- Reconstruction
- 3D Dataset
- 3D Few-shot Learning

Task: 3D Classification



This is a chair!

Covered methods: Volumetric CNN, OctNet, O-CNN, SparseConvNet, PointNet, PointNet++, RS CNN, DGCNN, Point ConvNet, KPConv, Monte Carlo Point Convolution, PConv, Multi-View CNN, Spectral CNN, Synchronized Spectral CNN, Spherical CNN

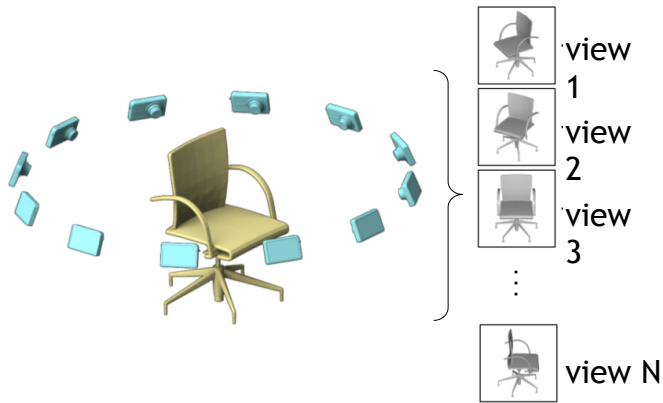
Multi-View CNN

Given an Input Shape



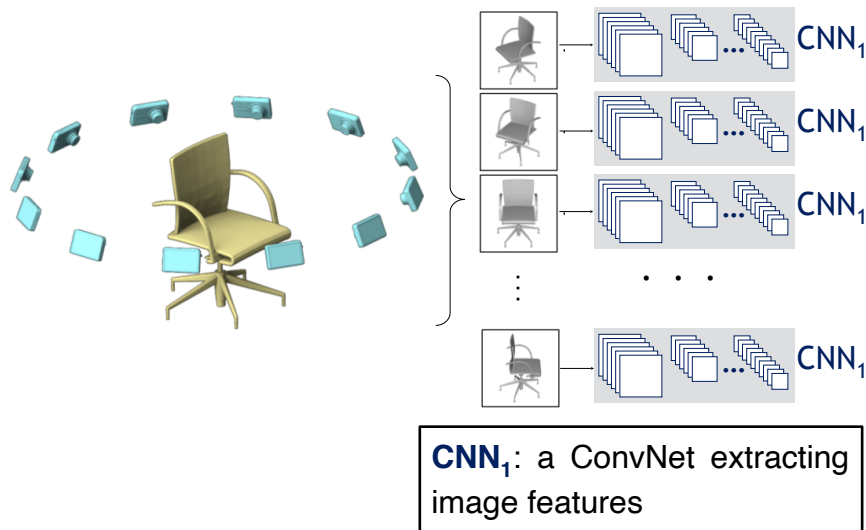
Su et al., "**Multi-view Convolutional Neural Networks for 3D Shape Recognition**", *ICCV 2015*

Render with Multiple Virtual Cameras

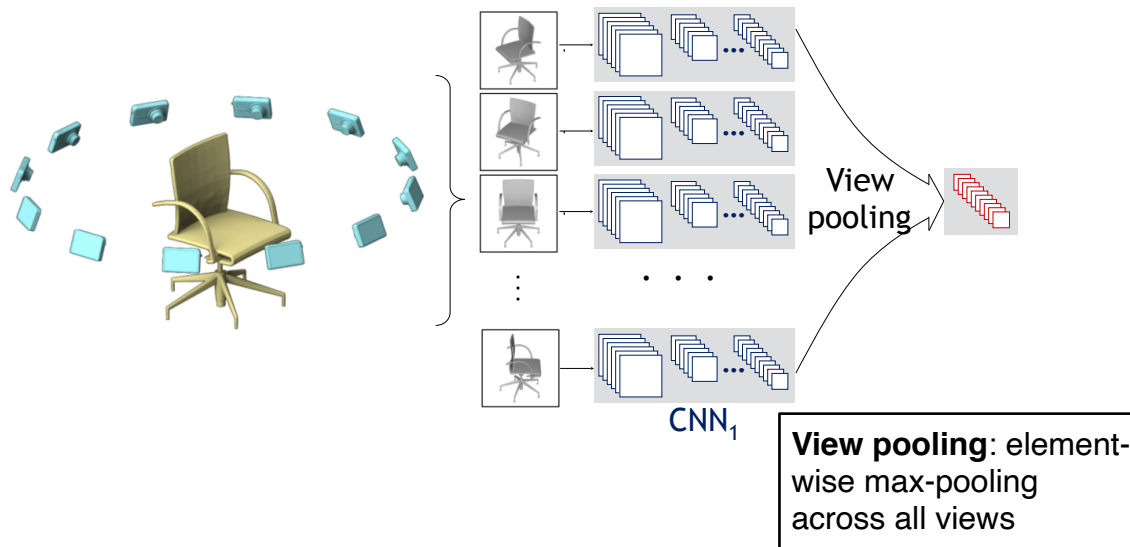


Su et al., "Multi-view Convolutional Neural Networks for 3D Shape Recognition", *ICCV 2015*

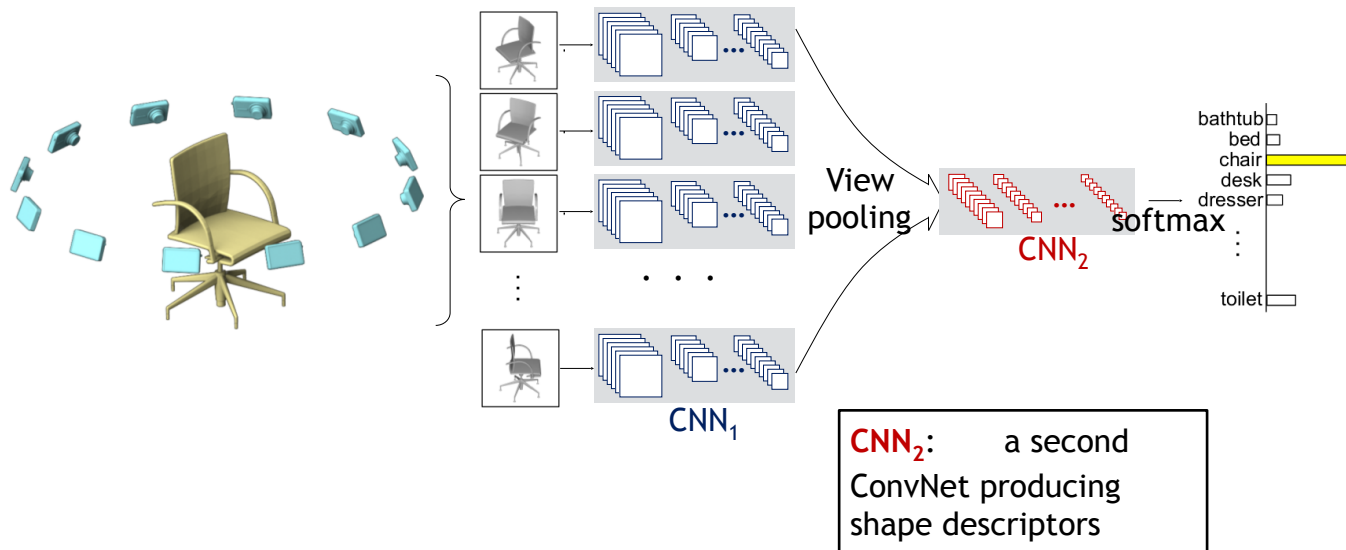
The Rendered Images are Passed through CNN_1 for Image Features



All Image Features are Combined by View Pooling



... and then Passed through CNN_2 and to Generate Final Predictions



Experiments – Classification & Retrieval

Method	Classification (Accuracy)	Retrieval (mAP)
SPH [16]	68.2%	33.3%
LFD [5]	75.5%	40.9%
3D ShapeNets [37]	77.3%	49.2%
FV, 12 views	84.8%	43.9%
CNN, 12 views	88.6%	62.8%
MVCNN, 12 views	89.9%	70.1%
MVCNN+metric, 12 views	89.5%	80.2%
MVCNN, 80 views	90.1%	70.4%
MVCNN+metric, 80 views	90.1%	79.5%

On ModelNet40

- Indeed gives good performance
- Can leverage vast literature of image classification
- Can use pertained features
- Need projection
- What if the input is noisy and/or incomplete? e.g.,
point cloud

Volumetric CNN

Can we use CNNs but avoid projecting the 3D data to views first?

Straight-forward idea: Extend 2D grids 3D grids

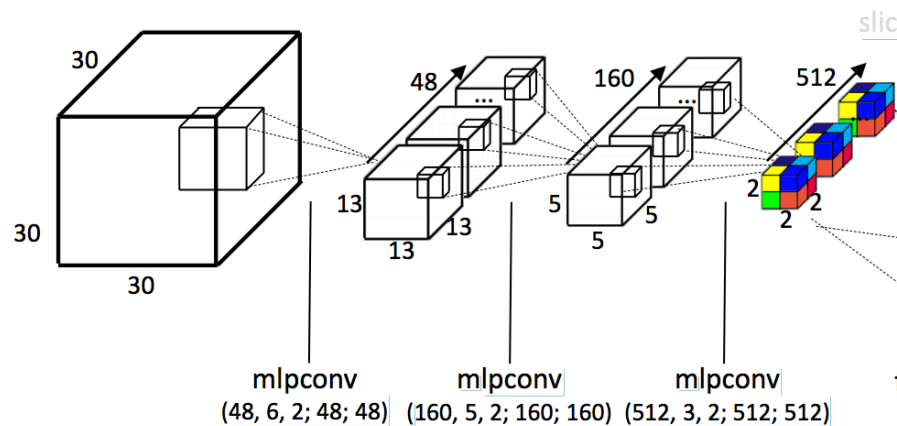
Voxelization

Represent the occupancy of regular 3D grids

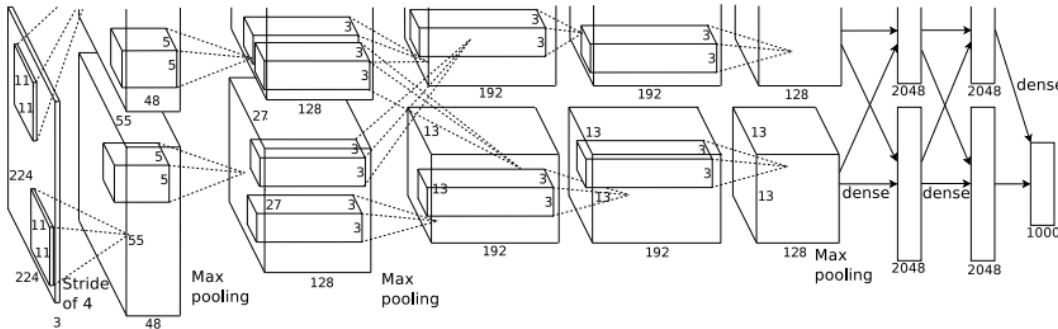


3D CNN on Volumetric Data

3D convolution uses 4D kernels



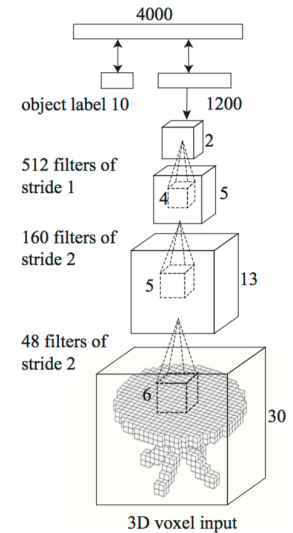
Complexity Issue



AlexNet, 2012

Input resolution: 224x224

$$224 \times 224 = 50176$$

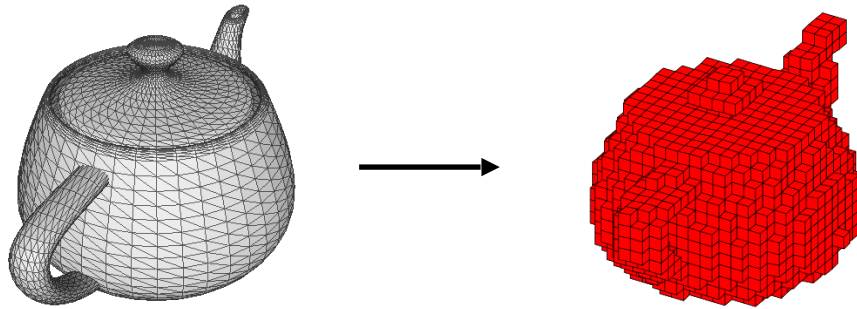


3DShapeNets,
2015

Input resolution: 30x30x30

$$224 \times 224 = 27000$$

Complexity Issue



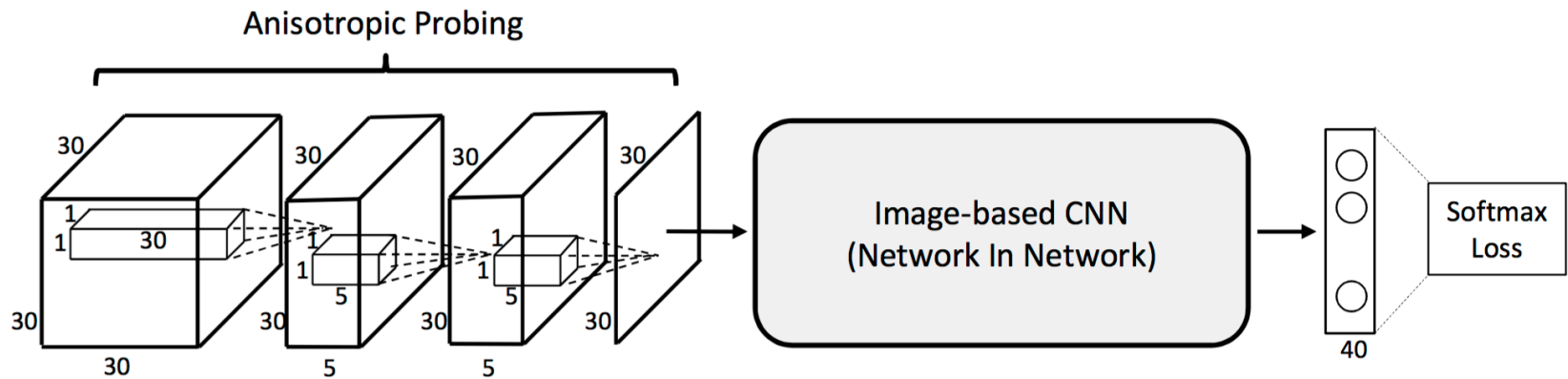
Polygon Mesh

Occupancy Grid
30x30x30

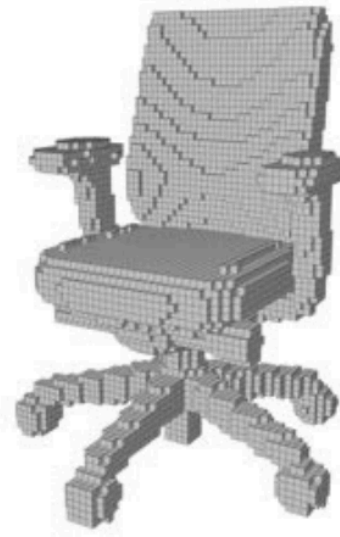
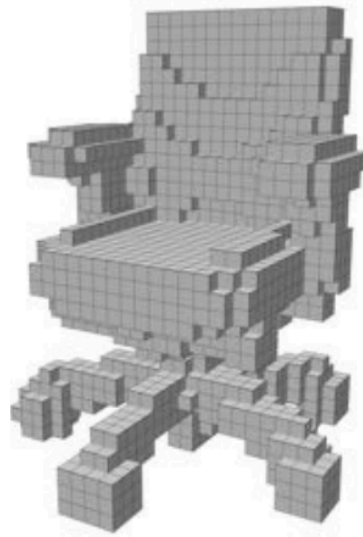
Information loss in voxelization

Idea 1: Anisotropic Probing

*Idea: “X-ray” rendering + Image (2D) CNNs
very low #param, very low computation*



More Principled: Sparsity of 3D Shapes



$$\frac{\#occupied\ grid}{\#total\ grid}$$

Occupancy:

10.41%

5.09%

2.41%

Resolution:

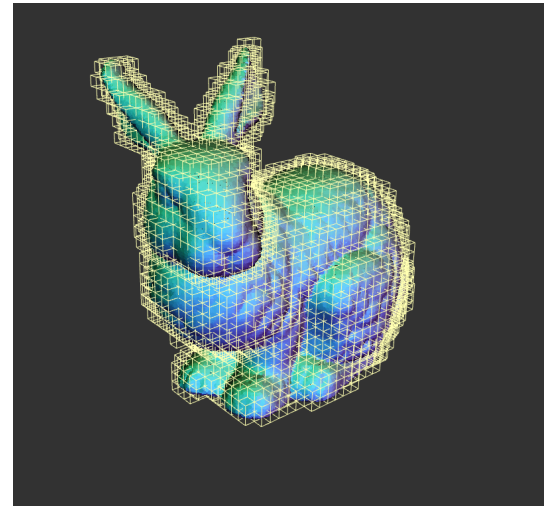
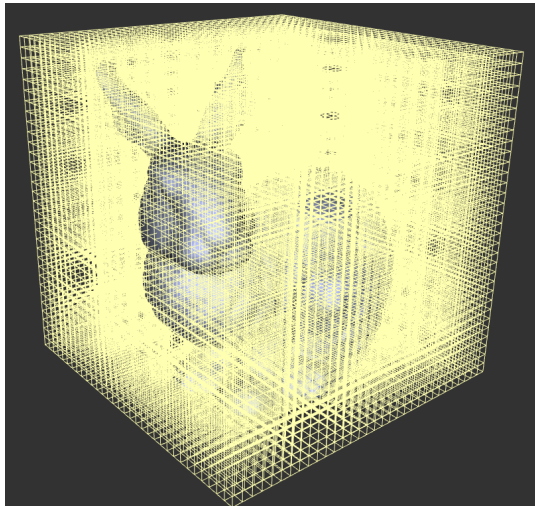
32

64

128

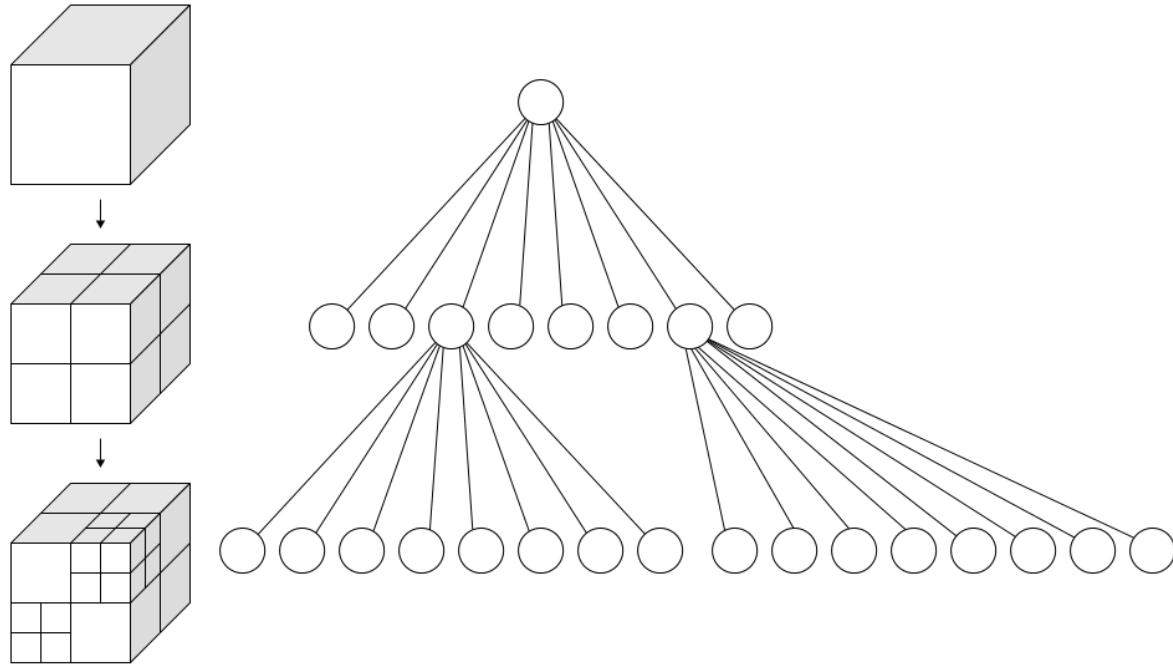
Store only the Occupied Grids

- Store the sparse surface signals
- Constrain the computation near the surface



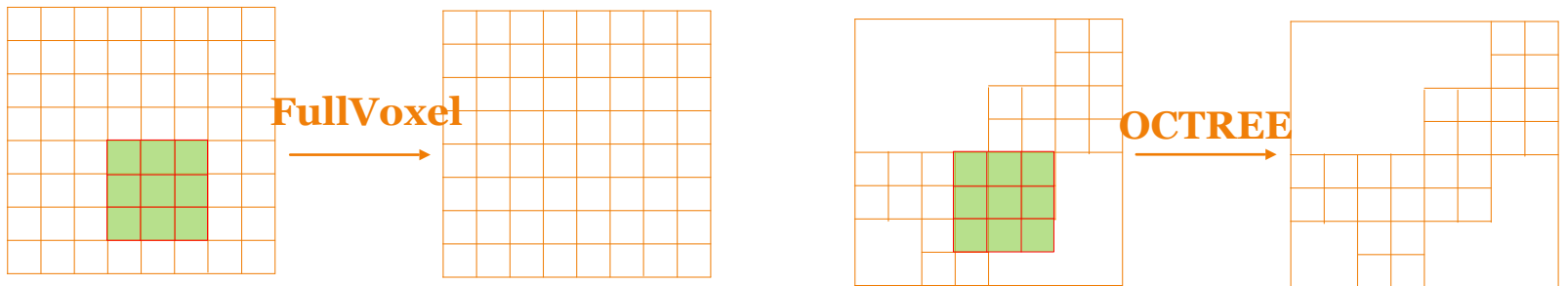
Octree: Recursively Partition the Space

Each **internal node** has exactly eight **children**

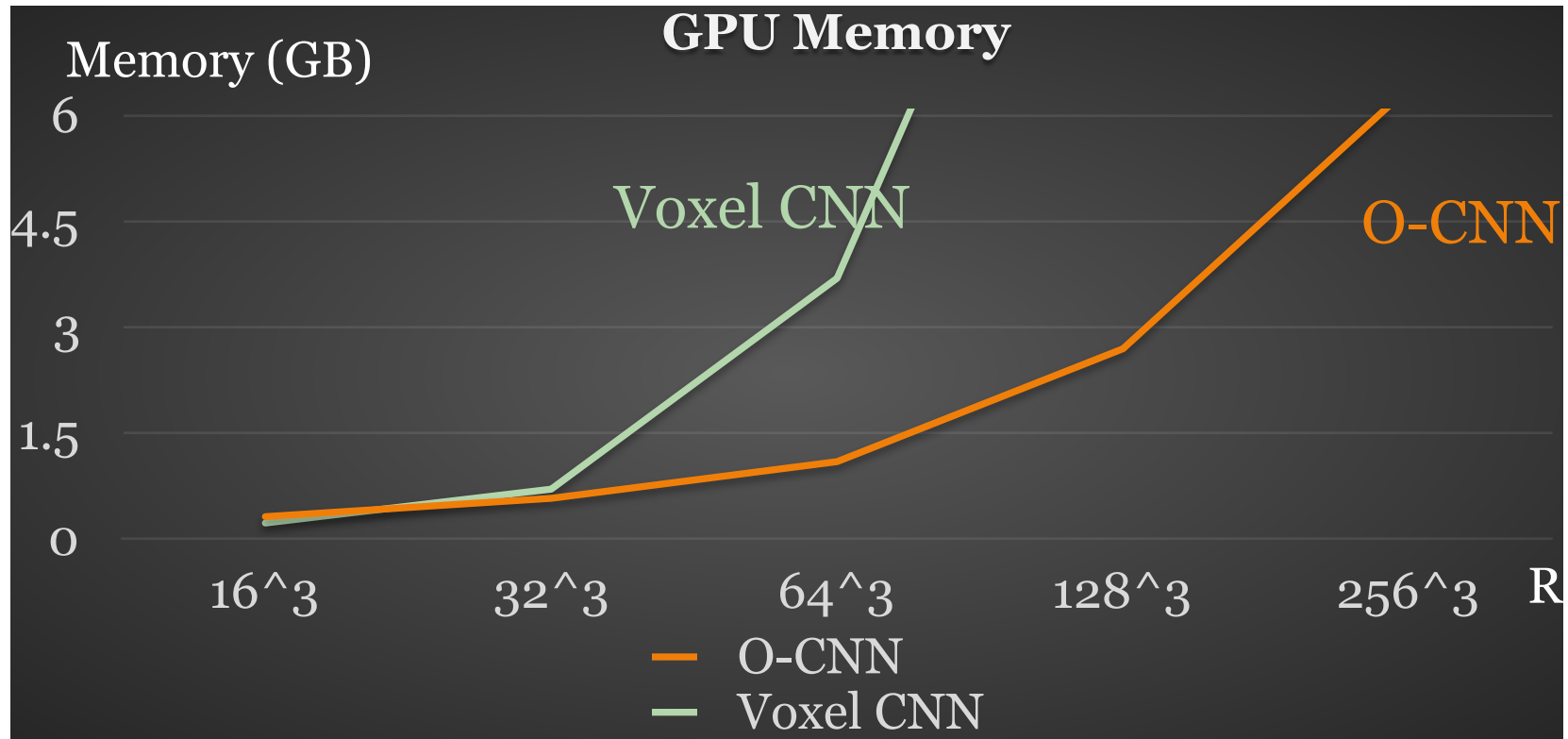


Convolution on Octree

Neighborhood searching: Hash table



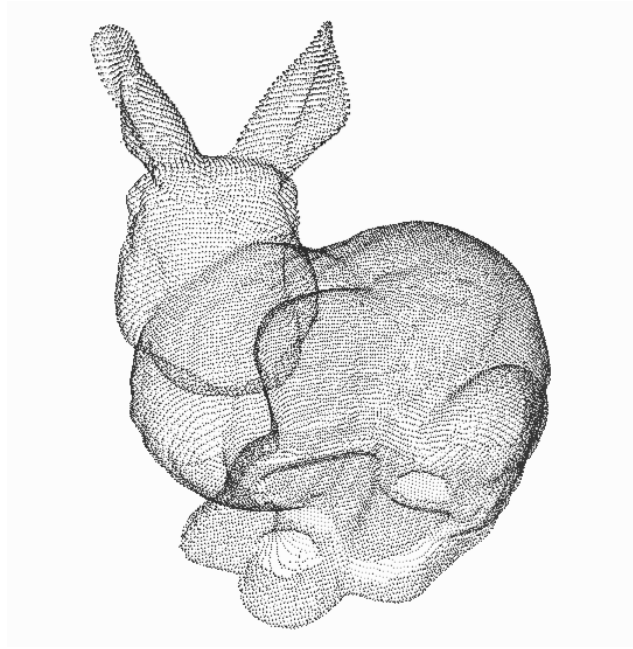
Memory Efficiency



Implementation

- SparseConvNet
 - <https://github.com/facebookresearch/SparseConvNet>
 - Uses ResNet architecture
 - State-of-the-art for 3D analysis
 - Takes time to train

Point Networks



Point cloud

(The most common 3D sensor data)

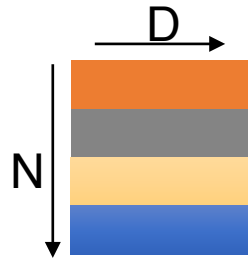
Directly Process Point Cloud Data

End-to-end learning for **unstructured,**
unordered point data



Permutation invariance

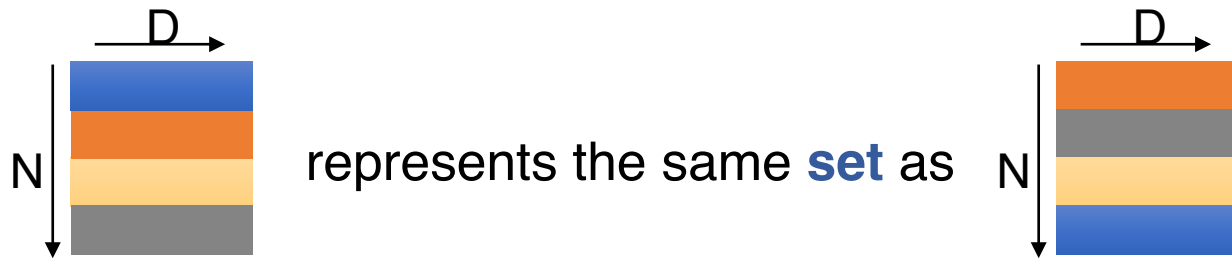
Point cloud: N **orderless** points, each represented by a D dim coordinate



2D array representation

Permutation invariance

Point cloud: N **orderless** points, each represented by a D dim coordinate



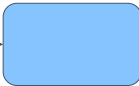
2D array representation

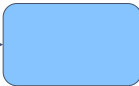
Construct a Symmetric Function

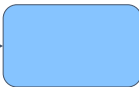
Observe:

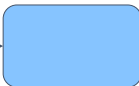
$f(x_1, x_2, \dots, x_n) = \gamma \circ g(h(x_1), \dots, h(x_n))$ is symmetric if g is symmetric

h

$(1, 2, 3) \rightarrow$ 

$(1, 1, 1) \rightarrow$ 

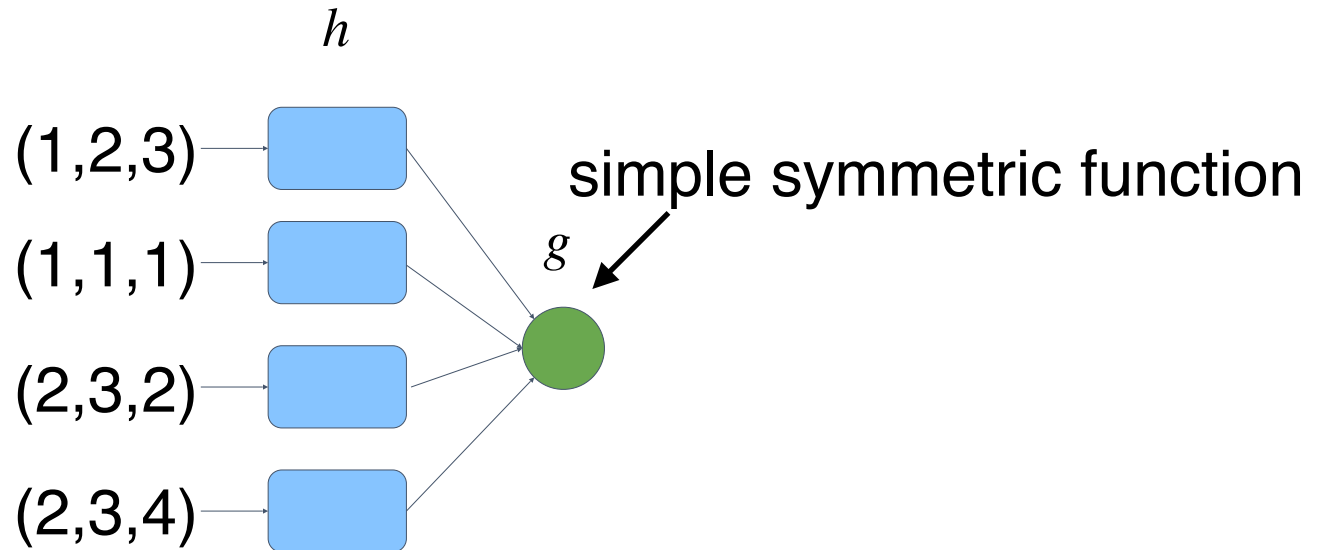
$(2, 3, 2) \rightarrow$ 

$(2, 3, 4) \rightarrow$ 

Construct a Symmetric Function

Observe:

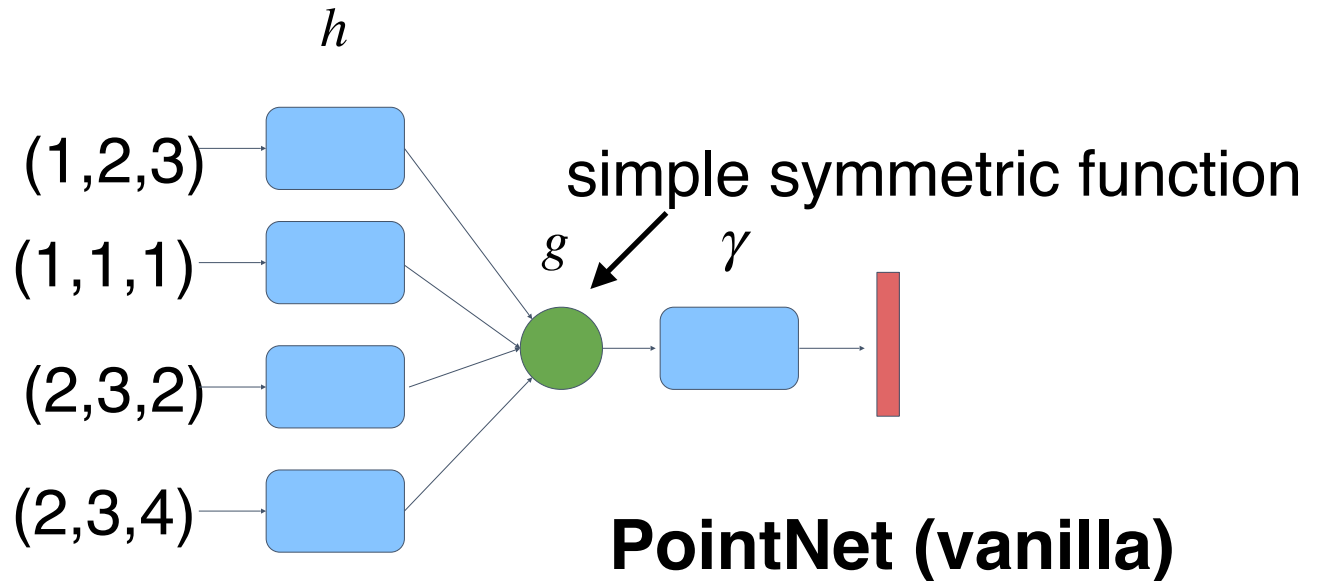
$f(x_1, x_2, \dots, x_n) = \gamma \circ g(h(x_1), \dots, h(x_n))$ is symmetric if g is symmetric



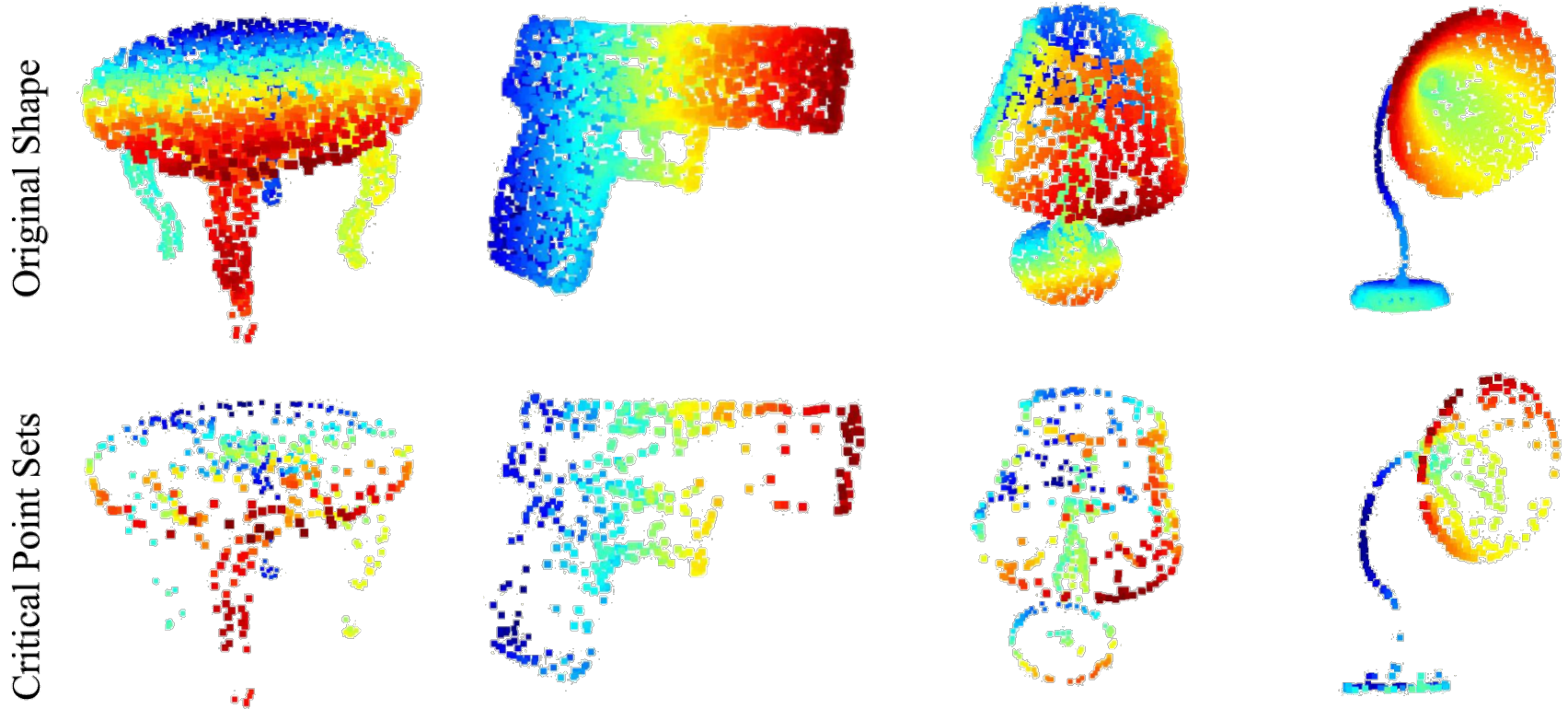
Construct a Symmetric Function

Observe:

$f(x_1, x_2, \dots, x_n) = \gamma \circ g(h(x_1), \dots, h(x_n))$ is symmetric if g is symmetric



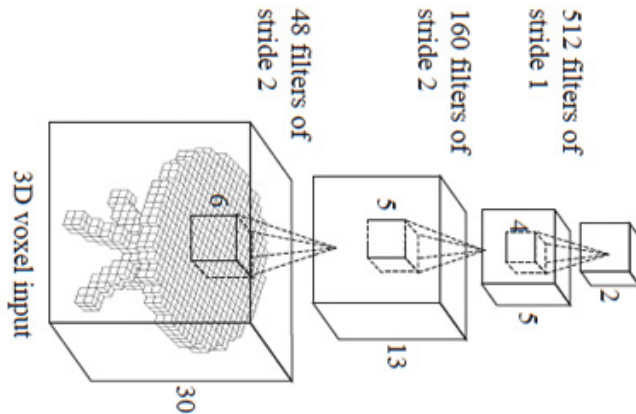
Visualize What is Learned by Reconstruction



Salient points are discovered!

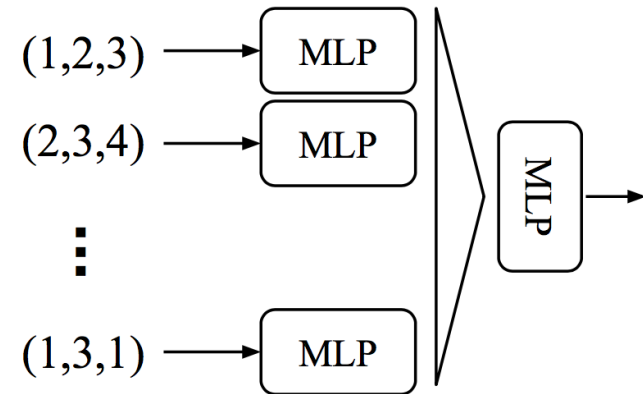
Limitations of PointNet

Hierarchical feature learning
Multiple levels of abstraction



3D CNN (Wu et al.)

Global feature learning
Either one point or all points



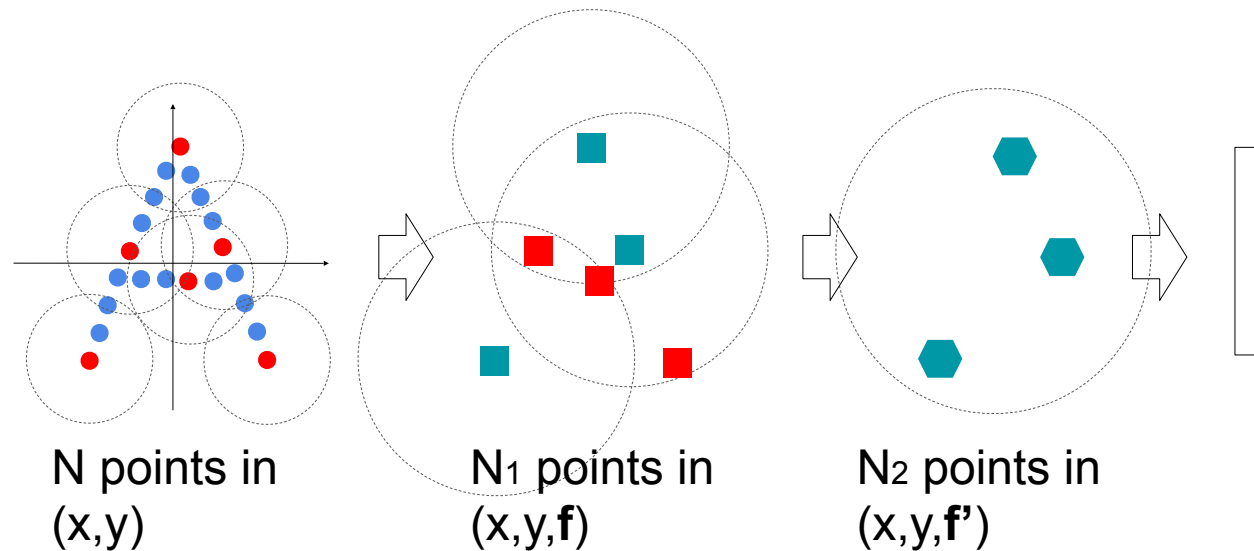
PointNet (vanilla) (Qi et al.)

- No local context for each point!
- Global feature depends on absolute coordinate. Hard to generalize to unseen scene configurations!

Points in Metric Space

- Learn “kernels” in 3D space and conduct convolution
- Kernels have compact spatial support
- For convolution, we need to find neighboring points
- Possible strategies for range query
 - Ball query (results in more stable generally)
 - k-NN query (faster)

PointNet v2.0: Multi-Scale PointNet

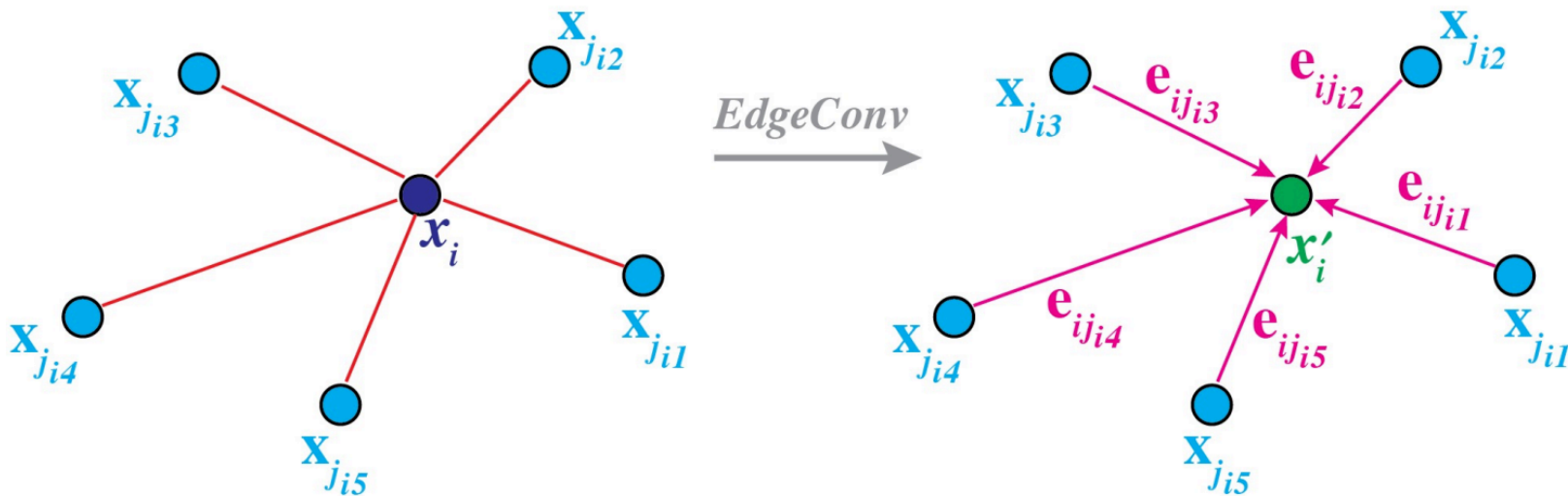


Repeat

- Sample anchor points
- Find neighborhood of anchor points
- Apply PointNet in each neighborhood to mimic convolution

Point Convolution As Graph Convolution

- Points \rightarrow Nodes
- Neighborhood \rightarrow Edges
- Graph CNN for point cloud processing



Wang et al., “**Dynamic Graph CNN for Learning on Point Clouds**”,
Transactions on Graphics, 2019

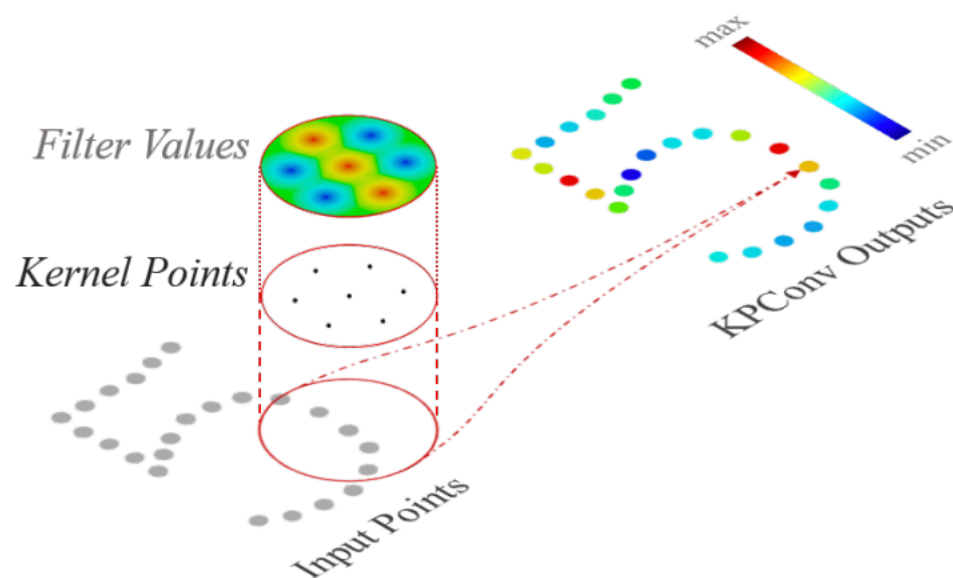
Liu et al., “**Relation-Shape Convolutional Neural Network for Point Cloud Analysis**”, *CVPR 2019*

Issue

- Assume points are sampled from surfaces, the sampling would affect feature extraction :(
- Rescue: Estimate the continuous kernel and point density for continuous convolution

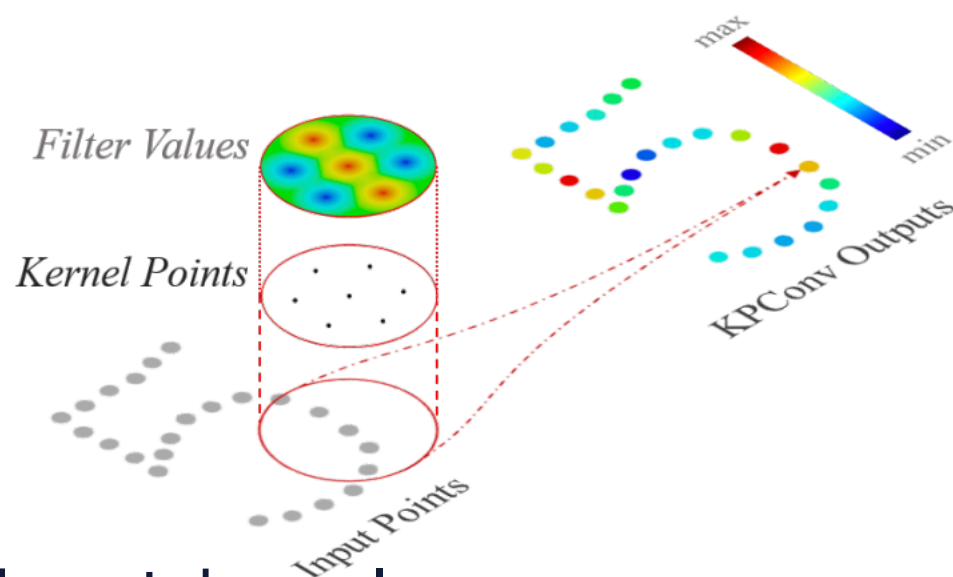
Interpolated Kernel for Convolution

- Continuous conv: $(\mathcal{F} * g)(x) = \int g(y - x) f(y) dy$
- Empirical conv: $(\mathcal{F} * g)(x) = \sum_{x_i \in \mathcal{N}_x} g(x_i - x) f_i$



Interpolated Kernel for Convolution

- Continuous conv: $(\mathcal{F} * g)(x) = \int g(y - x) f(y) dy$
- Empirical conv: $(\mathcal{F} * g)(x) = \sum_{x_i \in \mathcal{N}_x} g(x_i - x) f_i$



- Interpolated cont. kernel:

$$\kappa_{jm}(z) = \sum_l k_{ljm} \Phi(|z - y_l|)$$

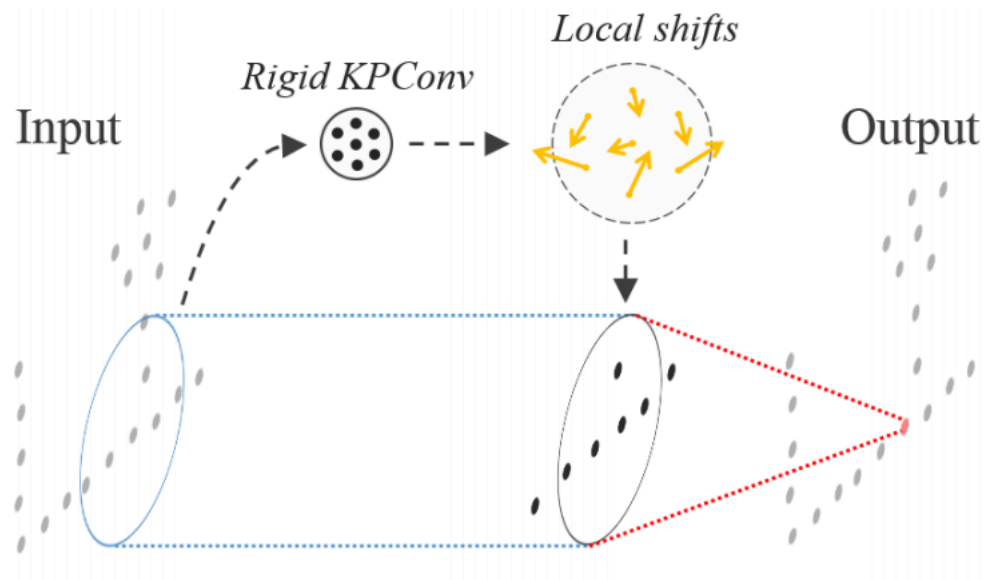
Φ : RBF kernel

Atzmon et al., “**Point Convolutional Neural Networks by Extension Operators**”, *Trans. on Graphics*, 2018

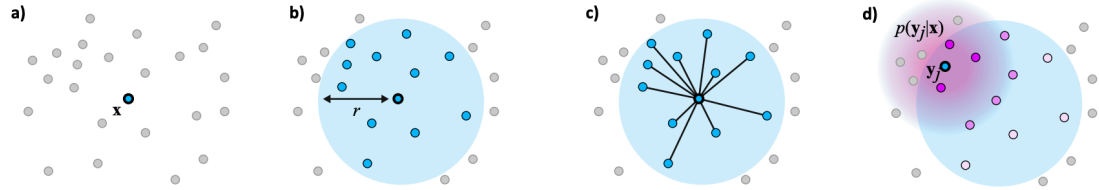
Thomas et al., “**KPCConv: Flexible and Deformable Convolution for Point Clouds**”, *ICCV 2019*

Interpolated Kernel for Convolution

- Deformable point-based kernel



Continuous Point Density Estimation



Monte Carlo Integration:

$$\left(\frac{\delta f * g}{\delta \omega_l} \right) (\mathbf{x}) = \frac{1}{|\mathcal{N}(\mathbf{x})|} \sum_{j \in \mathcal{N}(\mathbf{x})} \frac{f(\mathbf{y}_j)}{p(\mathbf{y}_j|\mathbf{x})} \frac{\delta g \left(\frac{\mathbf{x} - \mathbf{y}_j}{r} \right)}{\delta \omega_l}$$

RBF Density Estimation:

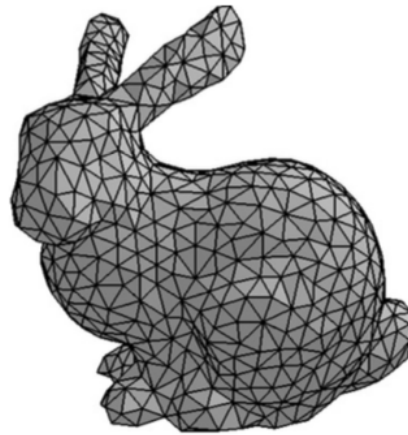
$$p(\mathbf{y}_j|\mathbf{x}) \approx \frac{1}{|\mathcal{N}(\mathbf{x})|\sigma^3} \sum_{k \in \mathcal{N}(\mathbf{x})} \left\{ \prod_{d=1}^3 h \left(\frac{\mathbf{y}_{j,d} - \mathbf{y}_{k,d}}{\sigma} \right) \right\}$$

Spectral Convolution

Shape Processing as Surface Conv

Shapes as surfaces

- Triangle/quad mesh: Piece-wise linear

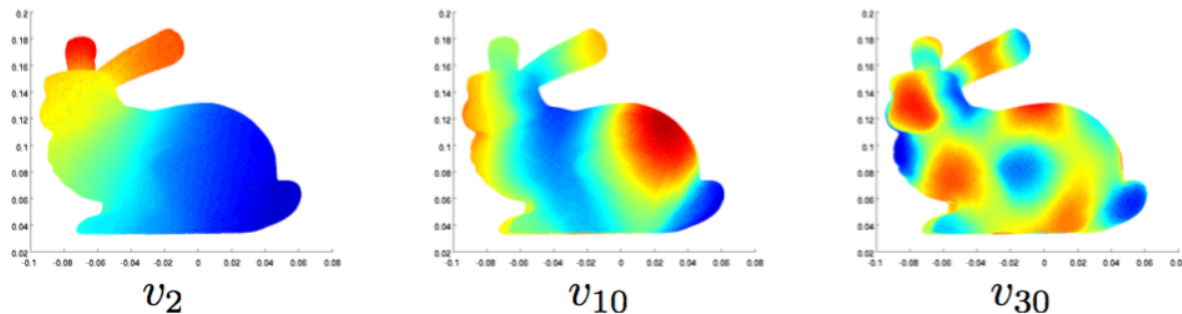


- Coordinates and features as functions defined on the surface (e.g., store at nodes and interpolate in-between)

Fourier Analysis on Surfaces

- Convolution \rightarrow linear transformation in the functional space defined on surface
- Bases of the functional space:
 - Eigenfunctions from self-adjoint operators, e.g. Laplacian-Bertrami or Dirac operator

“Fourier basis” of the graph: V : Eigenvectors of Δ



Spectral CNN

- Convolution done in the spectral domain
- Kernels are also built in spectral domain
- Activation done in the spatial domain

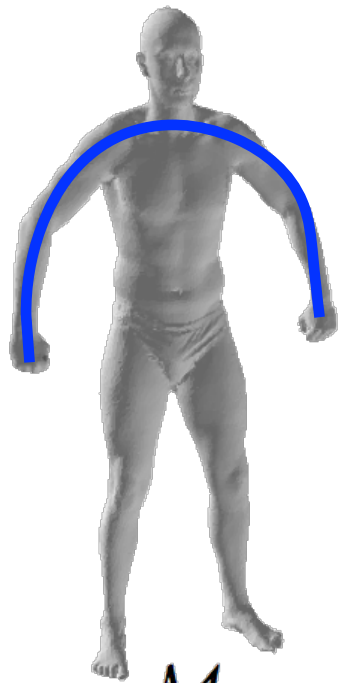
Advantage of Spectral CNN

- Can compare shapes invariant to its embedding (agnostic to rotation, translation, pose change)



Advantage of Spectral CNN

- Can compare shapes invariant to its embedding (agnostic to rotation, translation, pose change)



geodesic = intrinsic \mathcal{M}_1



isometry = length-preserving transform \mathcal{M}_2



Advantage of Spectral CNN

- The functional space of a surface under isometric transformation does not change



Visualization of the 5th basis
(Laplacian-Bertrami eigenfunction) at two poses

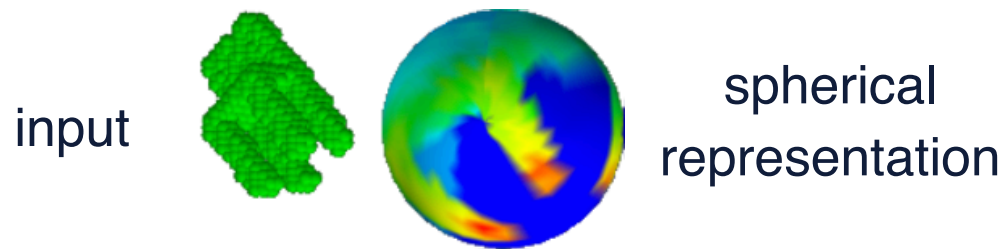
- As a consequence that the Laplacian-Bertrami operator is intrinsic

Fundamental Challenge of Spectral CNN

- If the shapes are not isometric, their spectral domains are not aligned
- Rescue: synchronize them by functional maps

A Special Case: Spherical CNN

- If the surface is always a SPHERE, no worry about the functional space alignment anymore
- Generate a spherical representation



- Do Spectral CNN
 - Has numerical tricks exploiting the symmetry of sphere

A Special Case: Spherical CNN

- Rotation invariance guaranteed

Table 1: ModelNet40 classification accuracy per instance. Spherical CNNs are robust to arbitrary rotations, even when not seen during training, while also having one order of magnitude fewer parameters and faster training.

Method	z/z	SO3/SO3	z/SO3	params	inp. size
PointNet [7]	89.2	83.6	14.7	3.5M	2048 x 3
PointNet++ [38]	89.3	85.0	28.6	1.7M	1024 x 3
VoxNet [29]	83.0	73.0	-	0.9M	30^3
SubVolSup [8]	88.5	82.7	36.6	17M	30^3
SubVolSup MO [8]	89.5	85.0	45.5	17M	20×30^3
MVCNN 12x [9]	89.5	77.6	70.1	99M	12×224^2
MVCNN 80x [9]	90.2	86.0	- ²	99M	80×224^2
RotationNet 20x [30]	92.4	80.0	20.2	58.9M	20×224^2
Ours	88.9	86.9	78.6	0.5M	2×64^2

- Can be used to improve the rot. invariance of MVCNN, as well

Topics

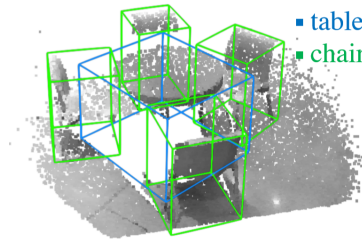
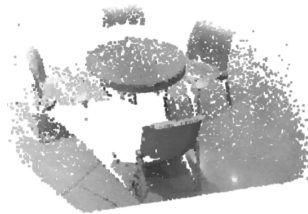
- Classification
- **Segmentation and Detection**
- Reconstruction
- 3D Dataset
- 3D Few-shot Learning

Task: 3D Segmentation & Detection

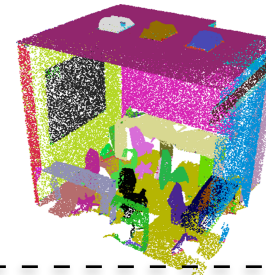
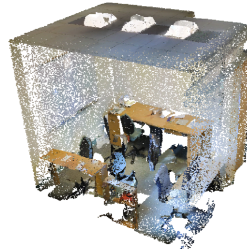
Input

Output

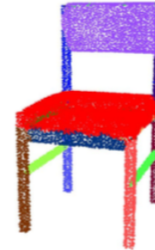
Object Detection



Object Segmentation

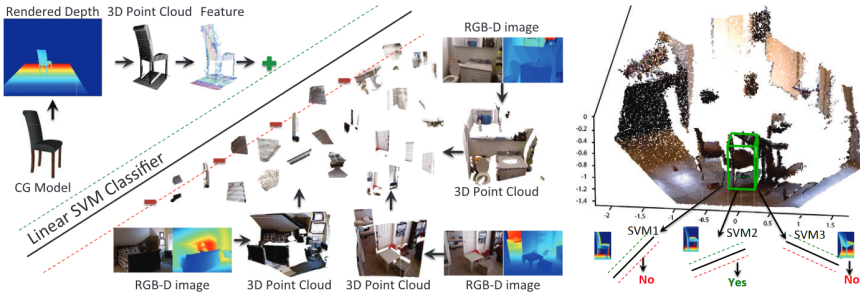


Part Segmentation

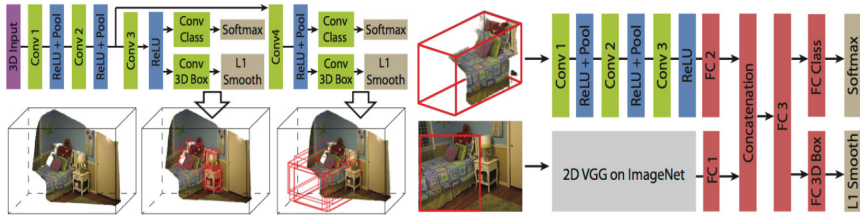


Covered methods: Sliding Shapes, Deep Sliding Shapes, PointRCNN, VoteNet, GSPN, SGPN, Learning to Group

Sliding Shapes



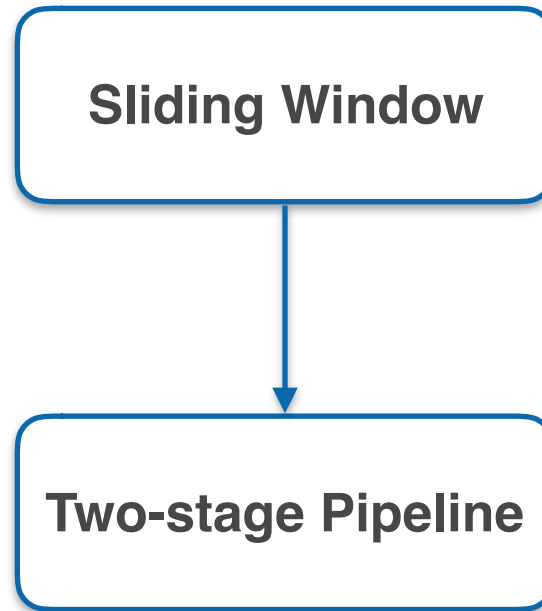
Sliding window to walk over the entire space



Expensive !

Song et al., “**Sliding Shapes for 3D Object Detection in Depth Images**”, *ECCV 2014*

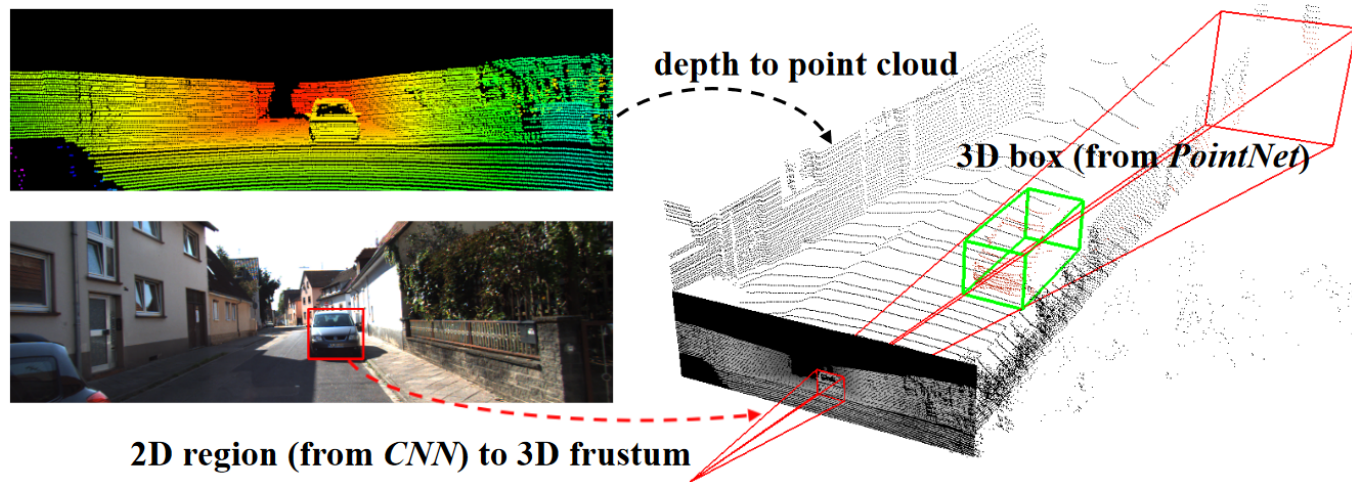
Song et al., “**Deep Sliding Shapes for Amodal 3D Object Detection in RGB-D Images**”, *CVPR 2016*



First stage: Proposal
Second stage: Refinement

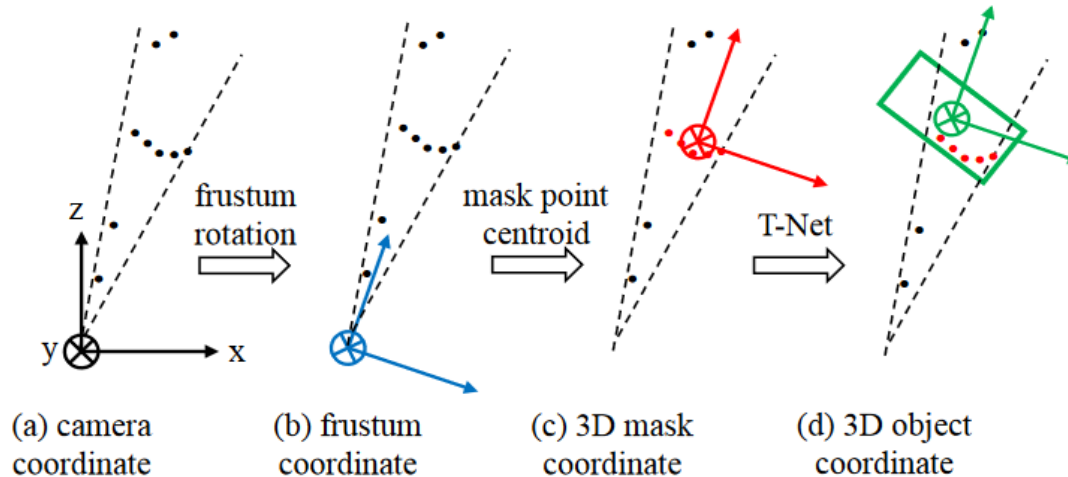
Early Attempt: View-based Proposal

Generate object proposals from a view (e.g., using SSD)



Second-stage: Coordinate Normalization

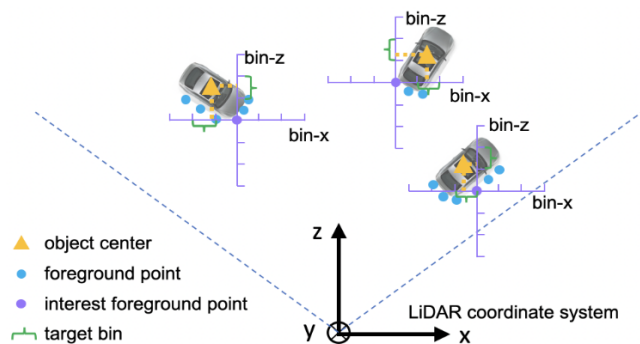
Handle perspective variation in frustum point cloud by a series of coordinates normalization



Proposal from 3D FG/BG Segmentation

Stage-1: Foreground/Background segmentation to generate 3D proposals

Stage-2: Refine proposals in the canonical coordinates



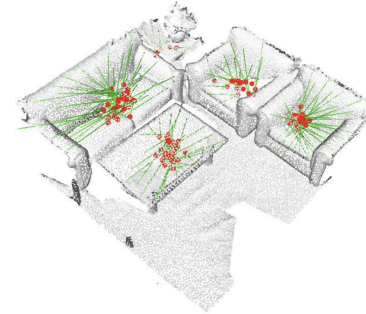
Bin Based Box Representation

Proposal from Voting

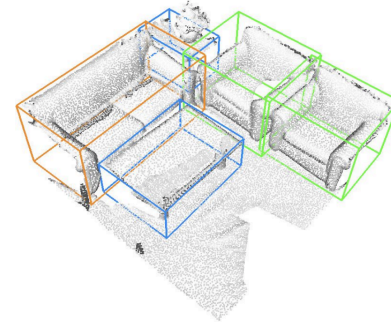
Challenge: 3D object centroid can be far from any surface point, thus hard to regress accurately

- Sample a set of seed points and generate votes, targeting at object centers
- Vote clusters emerge near object centers

Voting from input point cloud

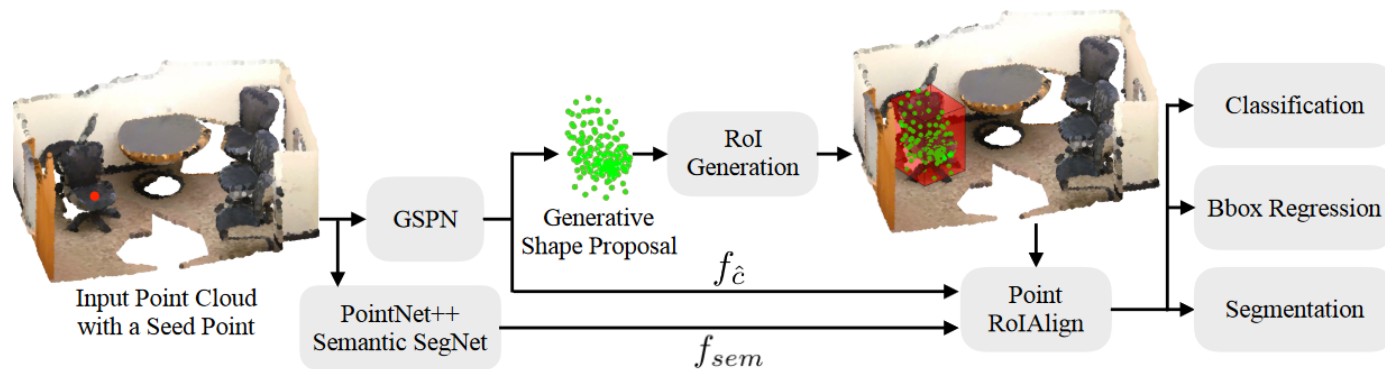


3D detection output



Proposal from Generative Network

- Randomly sample seeds points
- Take point cloud and a seed point as input, use conditional VAE to generate a point cloud as proposal
- Convert the proposal to an ROI box
- R-PointNet (mask RCNN) to segment the object

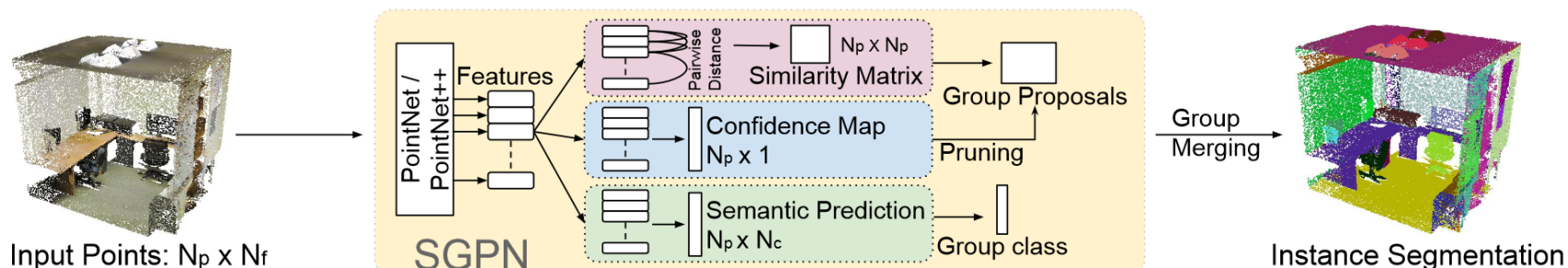


Proposal from Bottom-up Clustering

- Learn a per-point embedding, so that points from the same instance have similar embeddings

$$l(i, j) = \begin{cases} \|F_{SIM_i} - F_{SIM_j}\|_2 & C_{ij} = 1 \\ \alpha \max(0, K_1 - \|F_{SIM_i} - F_{SIM_j}\|_2) & C_{ij} = 2 \\ \max(0, K_2 - \|F_{SIM_i} - F_{SIM_j}\|_2) & C_{ij} = 3 \end{cases}$$

- Clustering gives proposals



- The 3D version of “Associative Embedding”

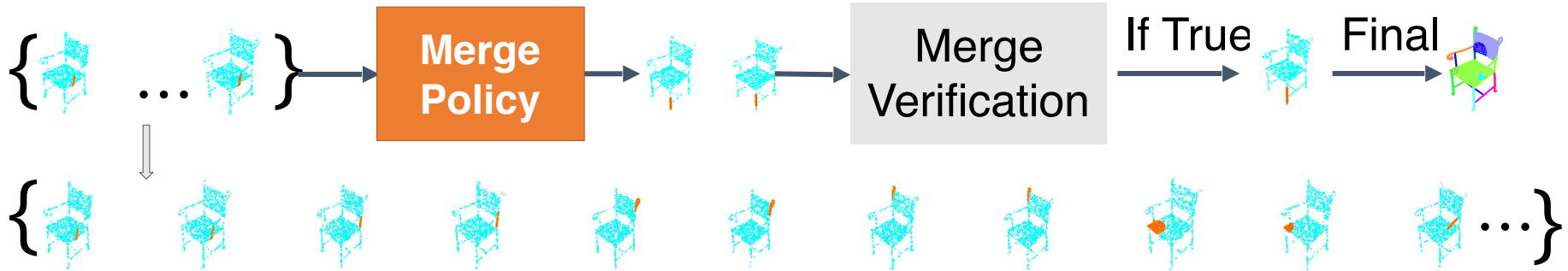
Few-shot Detection

(will be elaborated later)

Learning to Group

- Avoid including context information for generalizability
- Bottom up agglomerative clustering

Sub-Part Pool

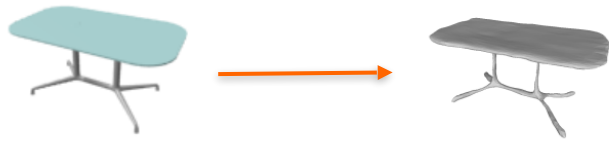


Topics

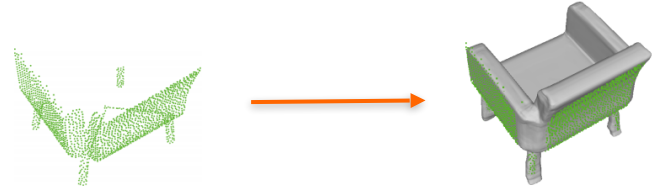
- Classification
- Segmentation and Detection
- **Reconstruction**
 - **Generation Model**
 - Multi-View Stereo
- 3D Dataset
- 3D Few-shot/Zero-shot Learning

Task

Conditional generation



Single-image
3D reconstruction

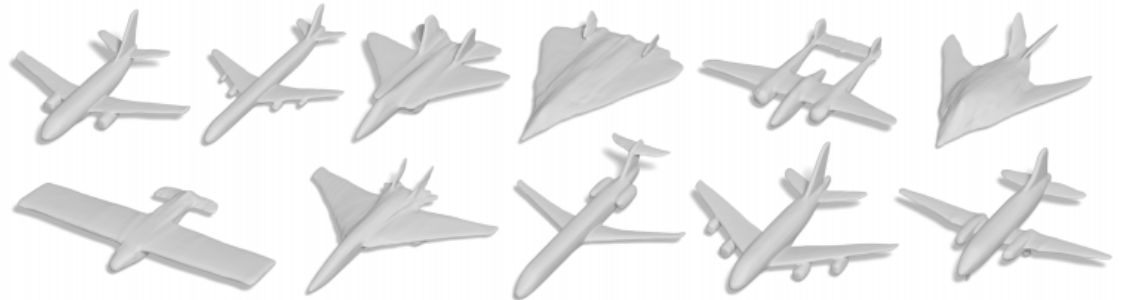


Shape Completion

Free generation



Gaussian Noise



Metric

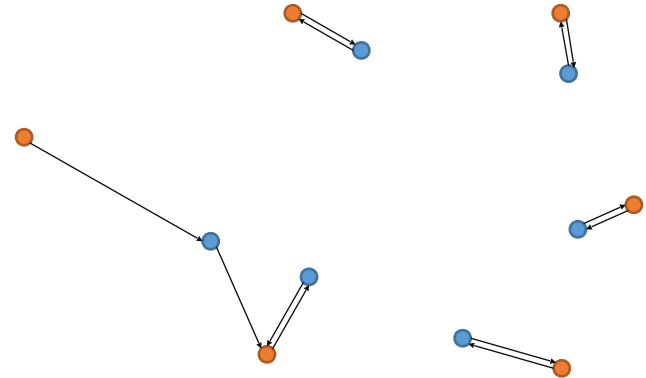
First of all,

how to evaluate the generated shapes?

Metric For Point Clouds

Chamfer Distance

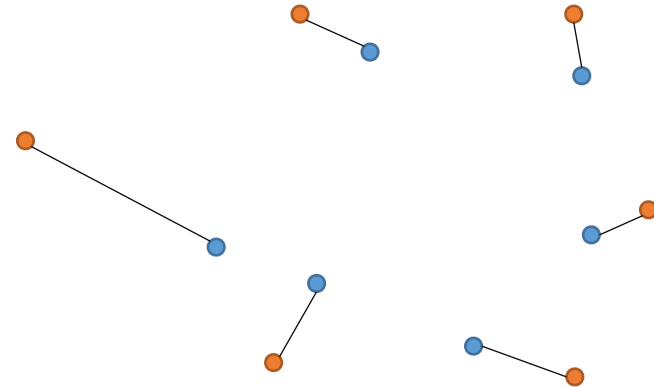
$$d_{CD}(S_1, S_2) = \sum_{x \in S_1} \min_{y \in S_2} \|x - y\|_2^2 + \sum_{y \in S_2} \min_{x \in S_1} \|x - y\|_2^2$$



Earth Mover's Distance

$$d_{EMD}(S_1, S_2) = \min_{\phi: S_1 \rightarrow S_2} \sum_{x \in S_1} \|x - \phi(x)\|_2$$

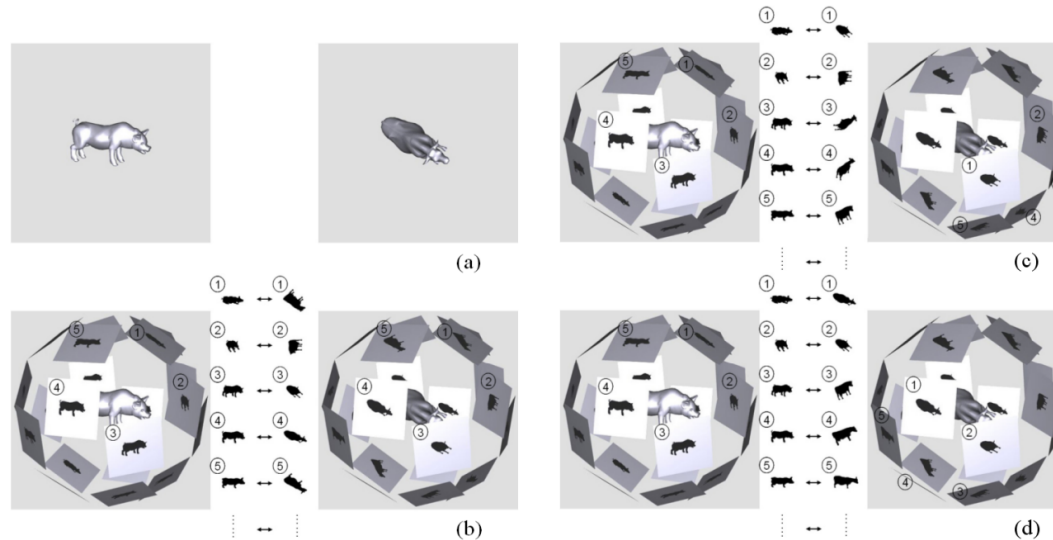
where $\phi : S_1 \rightarrow S_2$ is a bijection.



Metric For Surfaces

Light Field Descriptor (LFD)

- Extract features from orthogonal projections



Chen et al., “On Visual Similarity Based 3D Model Retrieval”,
Computer graphics forum

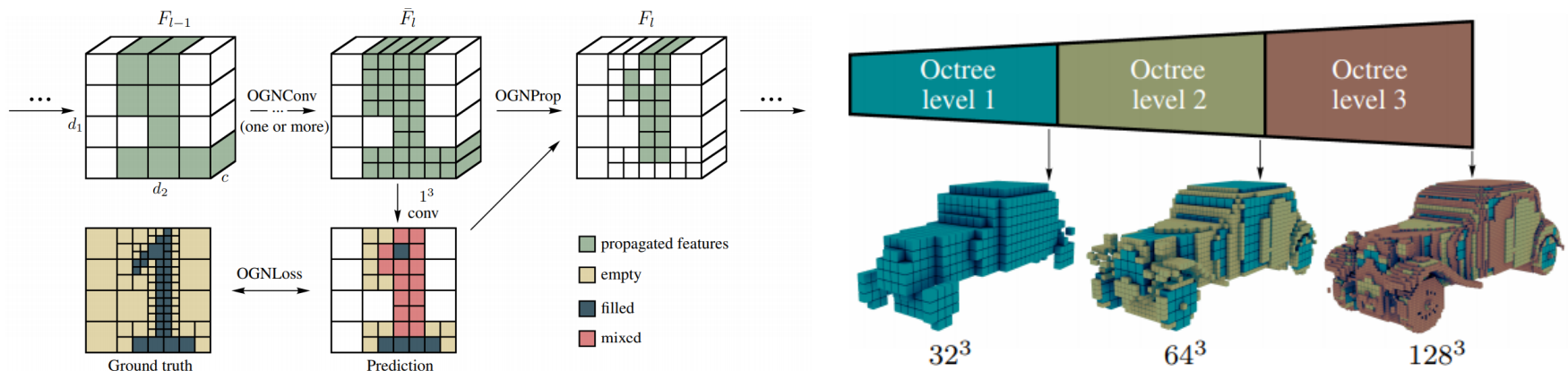
Chen et al., “Learning Implicit Fields for Generative Shape
Modeling”, *CVPR 2019*

Algorithm for Conditional Generation

From Single Image to Volume

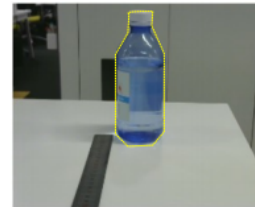
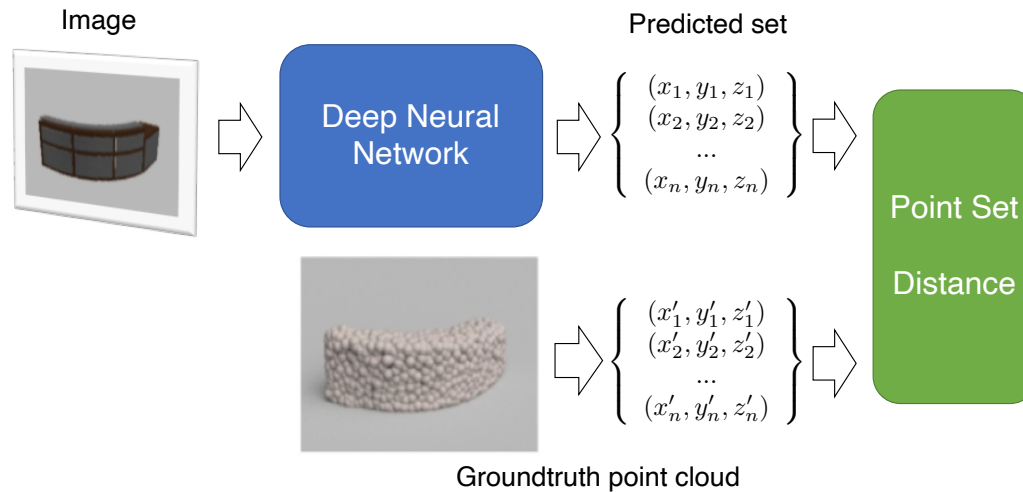
Avoid $\mathcal{O}(n^3)$ reconstruction

- Octree representation of shapes
- Generate the octree layer by layer



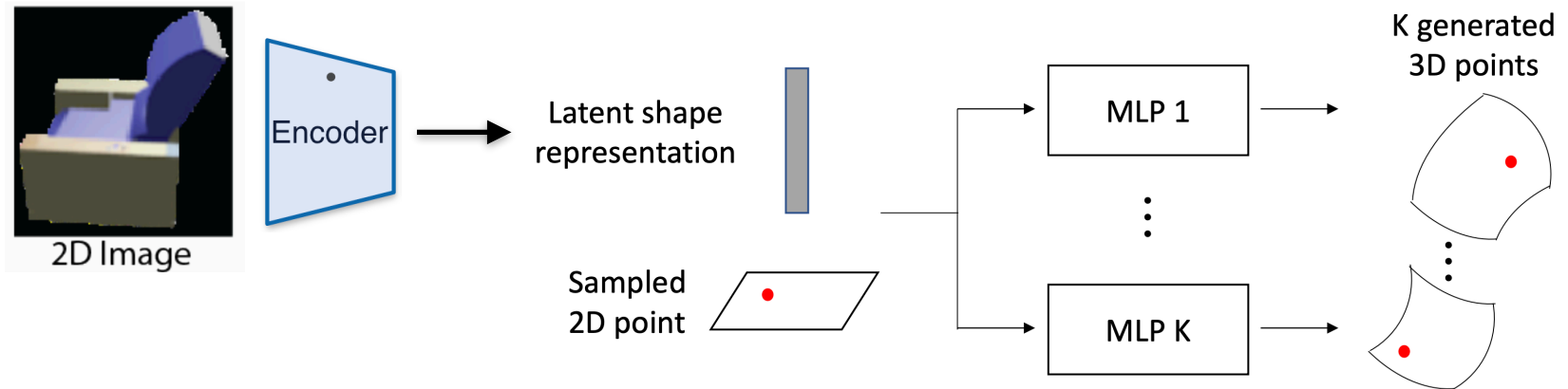
From Single Image to Point Cloud

- It is possible to generate a **set** (permutation invariant)



From Image to Surface

- Learn to warp a plane to surface

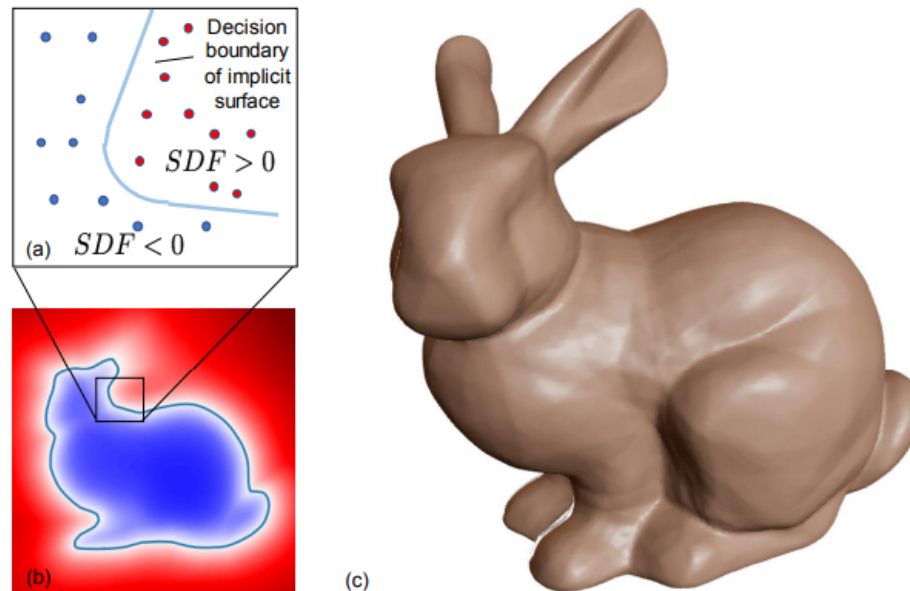


From Image to Surface



Implicit Surface Reconstruction

- Implicit representation of a surface: $F(x) = 0$



Park et al., “**DeepSDF: Learning Continuous Signed Distance Functions for Shape Representation**”, *CVPR 2019*

Other two similar paper on implicit representation:

Mescheder et al., “**Occupancy Networks: Learning 3D Reconstruction in Function Space**”, *CVPR 2019*

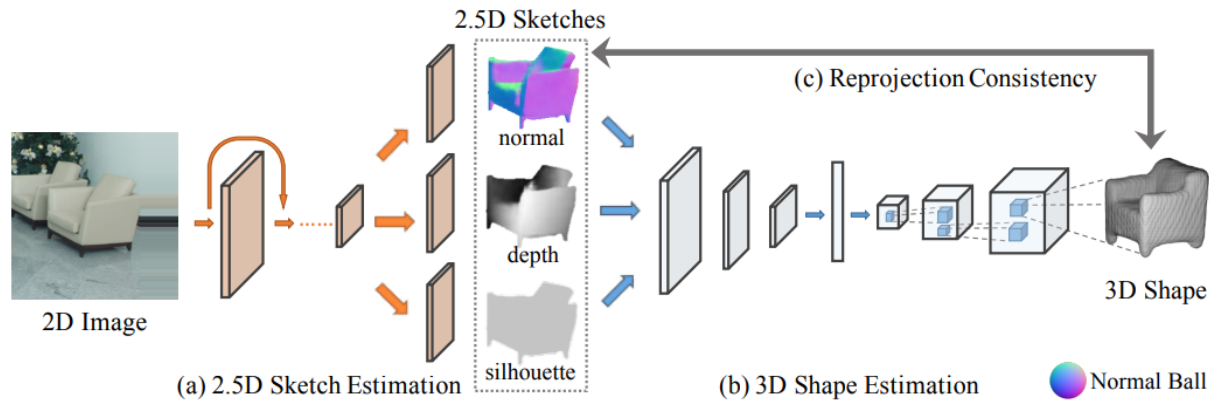
Chen et al., “**Learning Implicit Fields for Generative Shape Modeling**”, *CVPR 2019*

- In general,
 - First map the input to a shape embedding
 - Then reconstruct by decoding
- Limitation (interpretability)
 - Output is not explicitly grounded on the input
 - Structures of 3D objects not explicitly leveraged

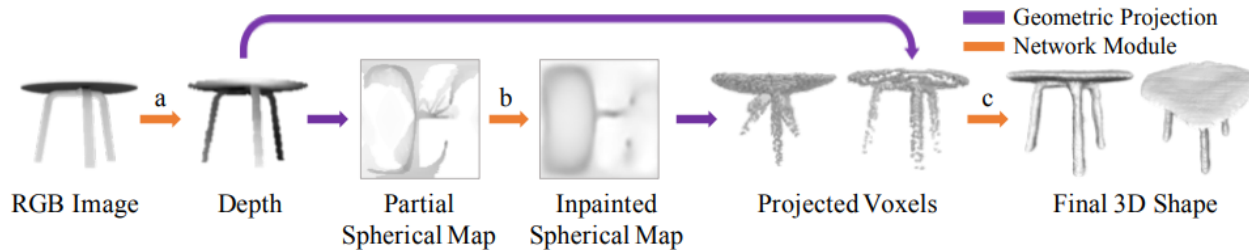
Visually Grounded Prediction: 2.5D to Bridge



Visually Grounded Prediction: 2.5D to Bridge



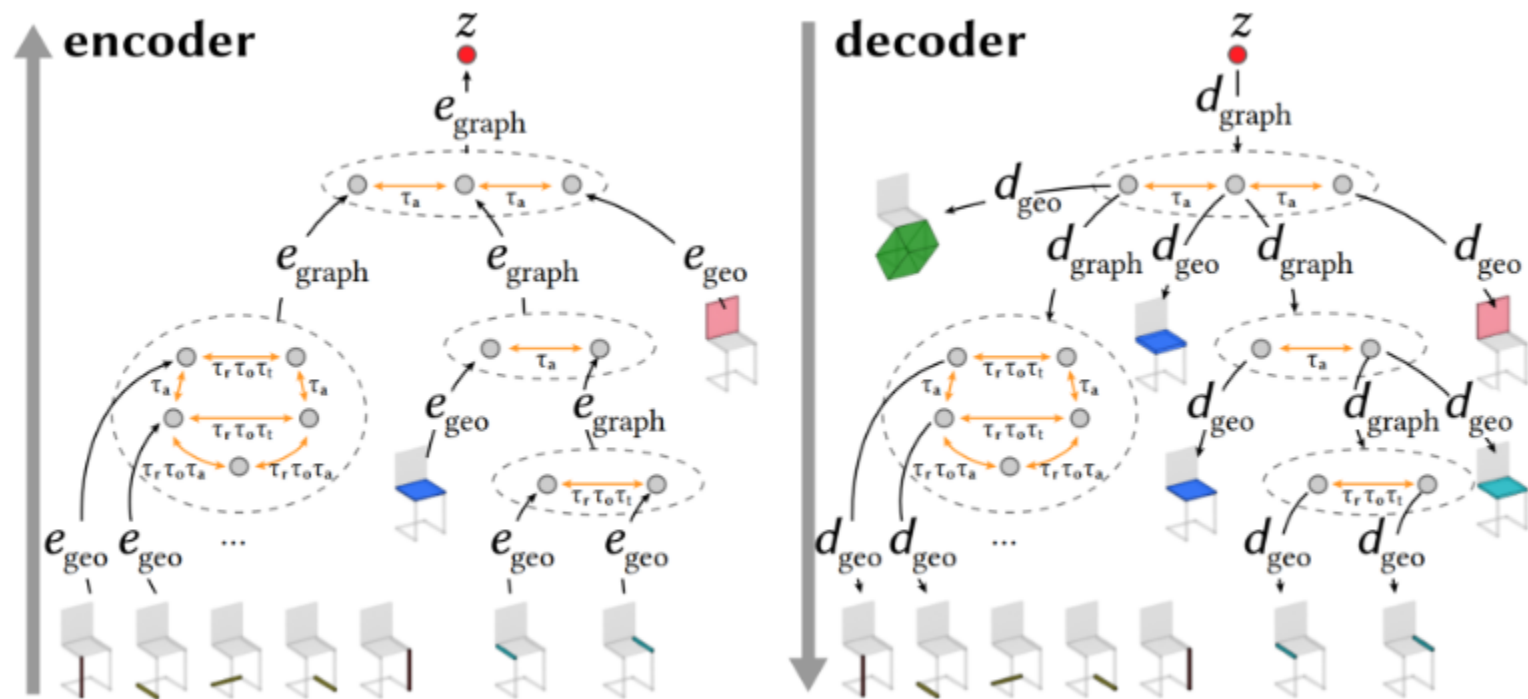
Wu et al., “**MarrNet: 3D Shape Reconstruction via 2.5D Sketches**”, *NeurIPS 2017*



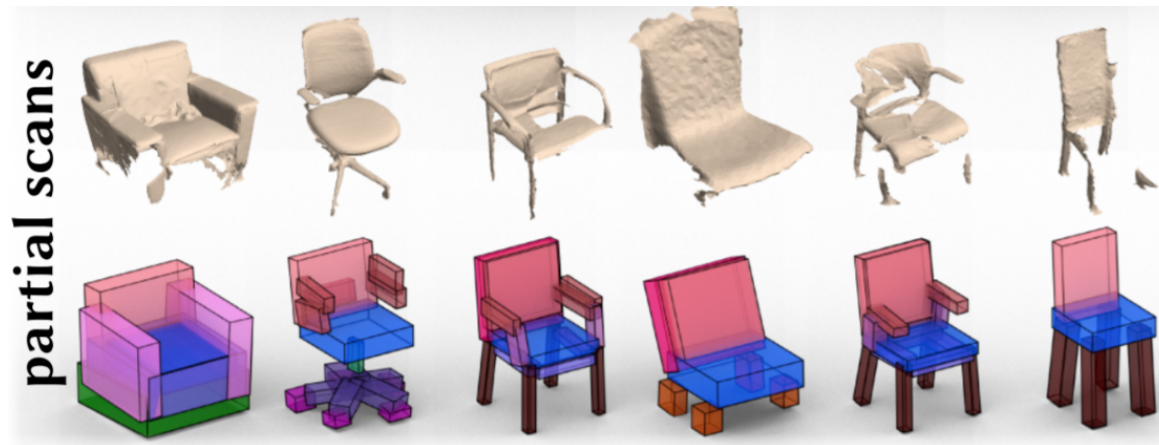
Zhang et al., “**Learning to Reconstruct Shapes from Unseen Classes**”, *NeurIPS 2018*

Structured Prediction: Part-based

Recursive Network for Hierarchical Graph AE



Structured Prediction: Part-based



Mo et al., “StructureNet, a hierarchical graph network for learning PartNet shape generation”, *Siggraph Asia 2019*

Algorithm for Free Generation (GAN)

Challenges

Similar challenges as GAN for images:

- Good by human eye v.s. Good by objective metric

Metrics

Geometry Quality of Generated Shape

- e.g., MMD for Chamfer/EMD distances

Coverage (COV)

- Model collapse test (The fraction of the shapes in GT dataset that were matched to shapes in generated shapes)

Perceptually Correct

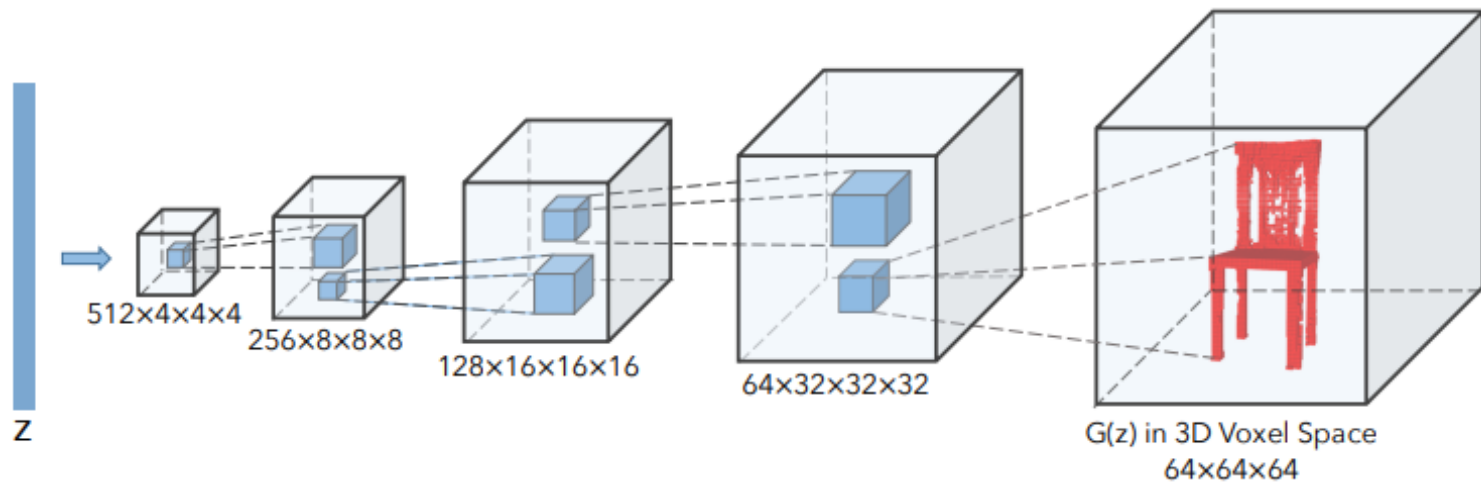
- Feature distribution distance (e.g. Frechet Point Cloud Distance)

$$\text{FPD}(\mathbb{P}, \mathbb{Q}) = \|\mathbf{m}_{\mathbb{P}} - \mathbf{m}_{\mathbb{Q}}\|_2^2 + \text{Tr}(\Sigma_{\mathbb{P}} + \Sigma_{\mathbb{Q}} - 2(\Sigma_{\mathbb{P}}\Sigma_{\mathbb{Q}})^{\frac{1}{2}})$$

Achlioptas et al., “**Learning Representations and Generative Models for 3D Point Clouds**”, *ICML 2018*

Shu et al., “**3D Point Cloud Generative Adversarial Network Based on Tree Structured Graph Convolutions**”, *ICCV 2019*

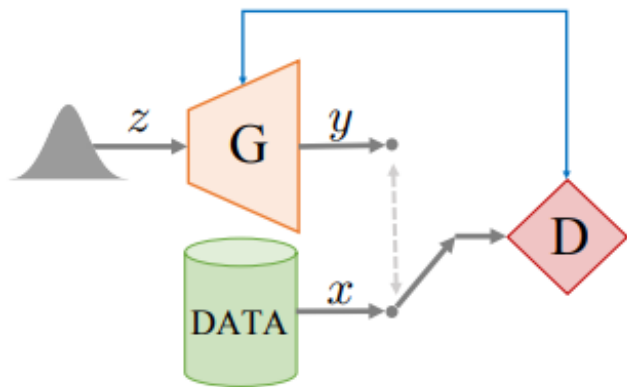
Volumetric Generation



Wu et al., "Learning a Probabilistic Latent Space of Object Shapes via 3D Generative-Adversarial Modeling", *NeurIPS 2016*

Point Cloud Generation

- FC as Generator
- PointNet as Discriminator
- WGAN



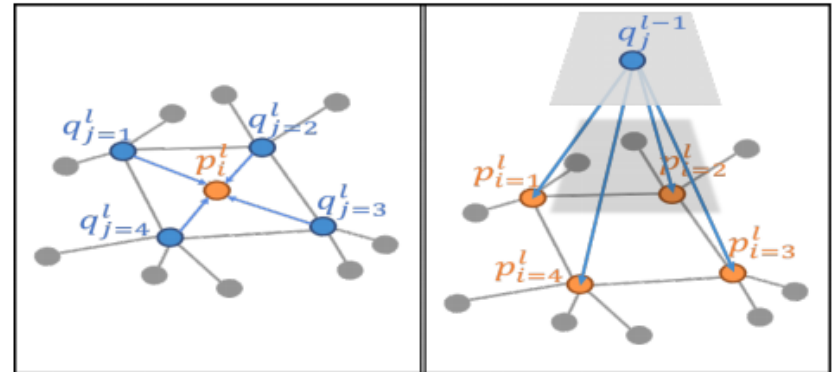
Hierarchical Generation

TreeGAN

- Hierarchical generator
- TreeGCN

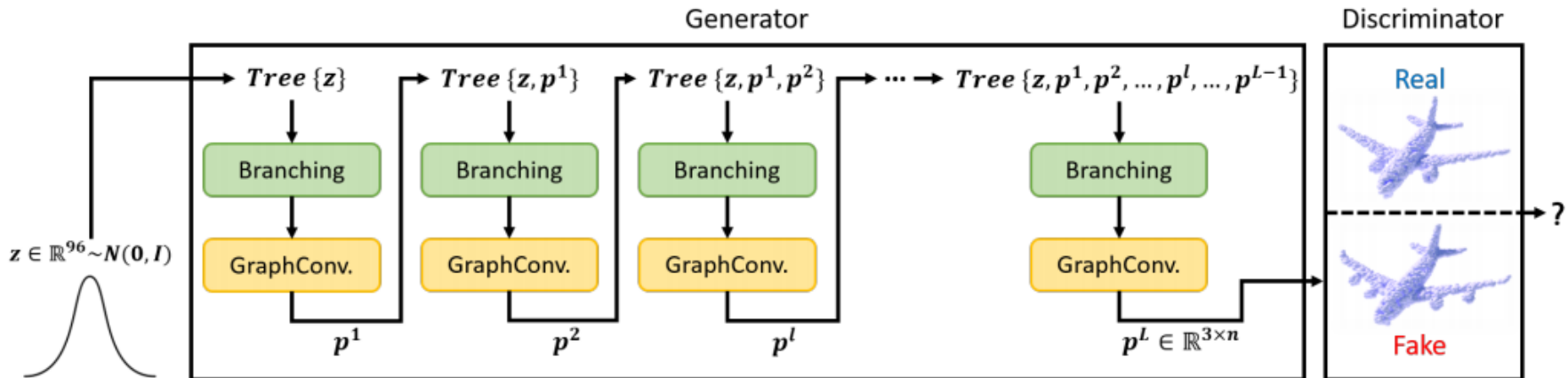
$$p_i^{l+1} = \sigma \left(\mathbf{F}_K^l(p_i^l) + \underbrace{\sum_{q_j \in A(p_i^l)} U_j^l q_j}_{\text{Ancestor term}} + b^l \right)$$

Ancestor term



GCN

TreeGCN



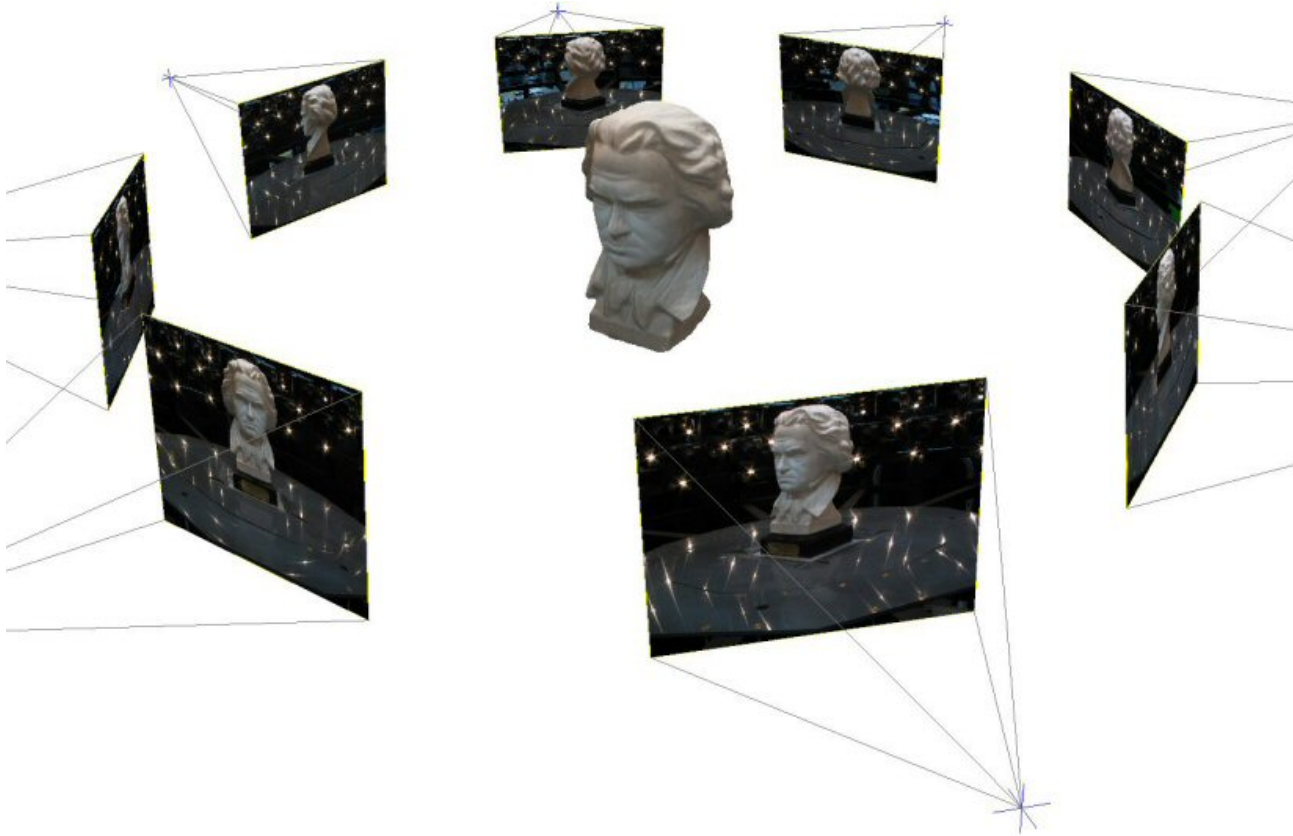
Many Issues

- Still cannot generate high quality local details
- Still hard to generate complex structures
- Use stronger classifiers (than PointNet) for discriminator is highly tricky

Topics

- Classification
- Segmentation and Detection
- **Reconstruction**
 - Generation Model
 - **Multi-View Stereo**
- 3D Dataset
- 3D Few-shot/Zero-shot Learning

Task: Reconstruction

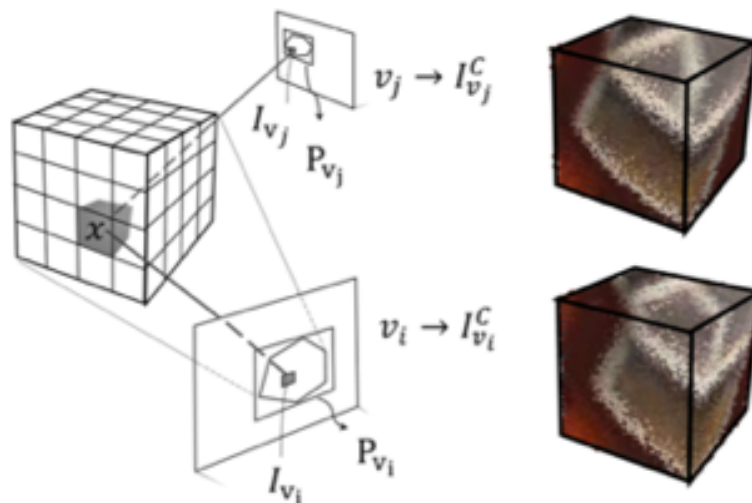


[image: oswald]

Covered methods: SurfaceNet, LSM, GC-Net, MVSNet, R-MVSNet, PointMVSNet, BA-Net

Surface Reconstruction as Voxel Occupancy Prediction

Unprojection along viewing rays to build colored voxel cubes.



Predict the surface confidence for each voxel:

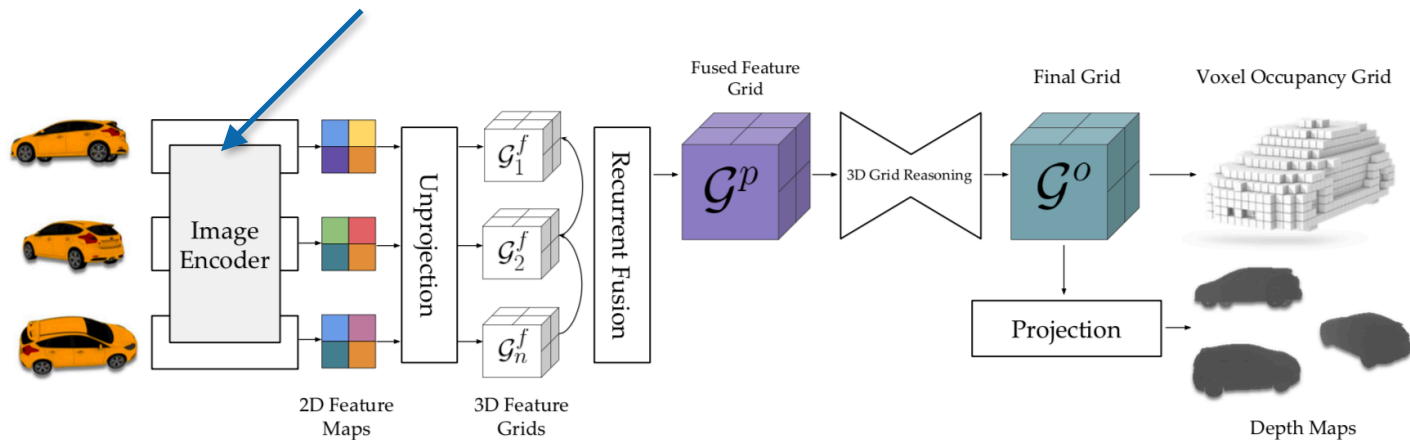
$$L(I_{v_i}^C, I_{v_j}^C, \hat{S}^C) = \\ - \sum_{x \in C} \{ \alpha \hat{s}_x \log p_x + (1 - \alpha)(1 - \hat{s}_x) \log(1 - p_x) \}$$

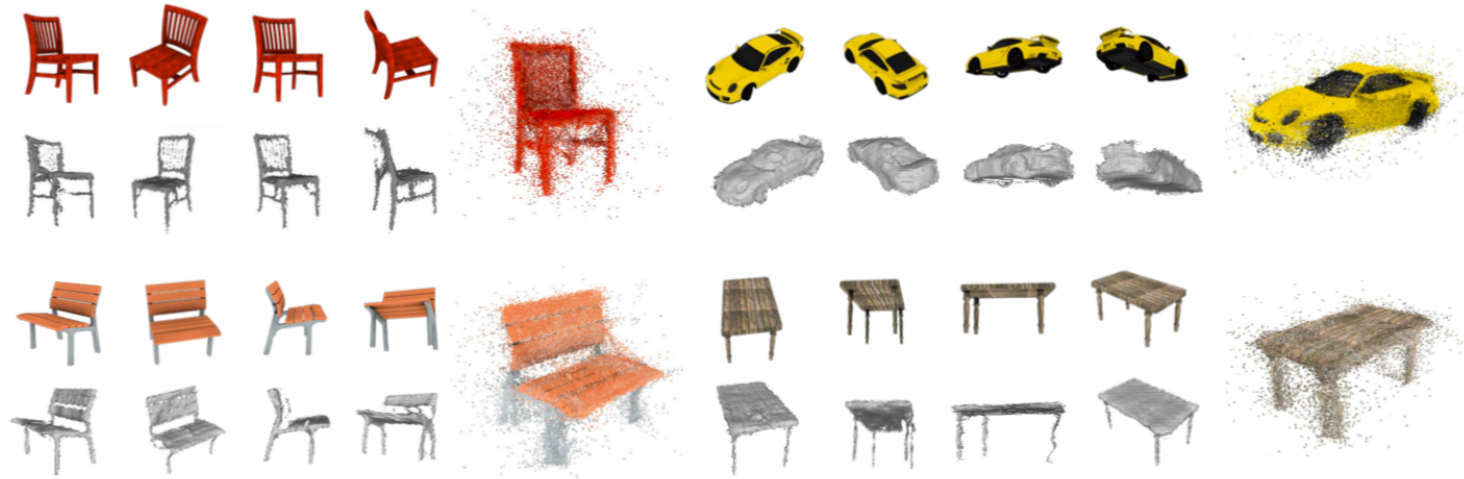
Limitations:

- Pre-computed grids can only take RGB colors at coarse resolution
- Voxel binarization introduces quantization errors.

Learning-Based Stereopsis

- End-to-end learning of deep features for each pixel.

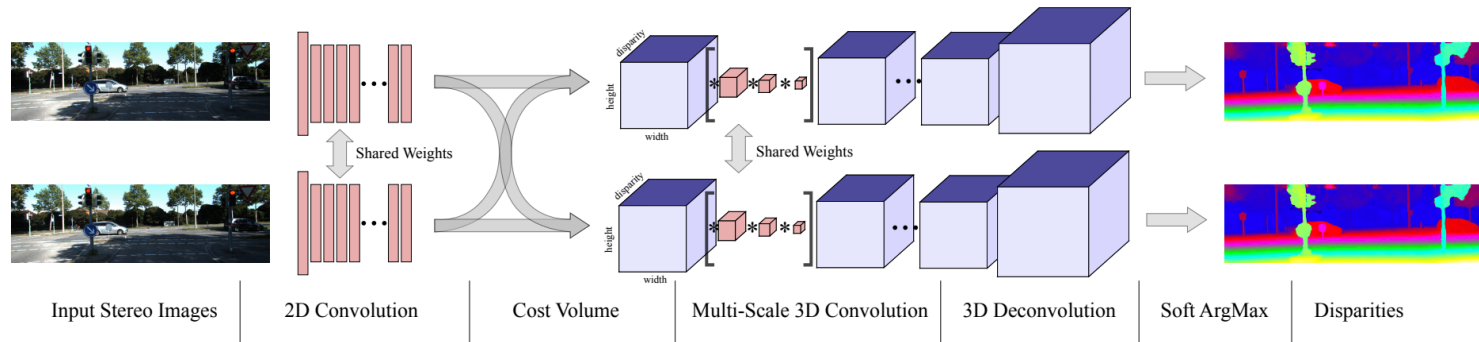




Still very coarse resolution (32x32x32)
due to volumetric representation.

Improve Output Resolution

- Differentiable soft-argmin to achieve sub-pixel accuracy.

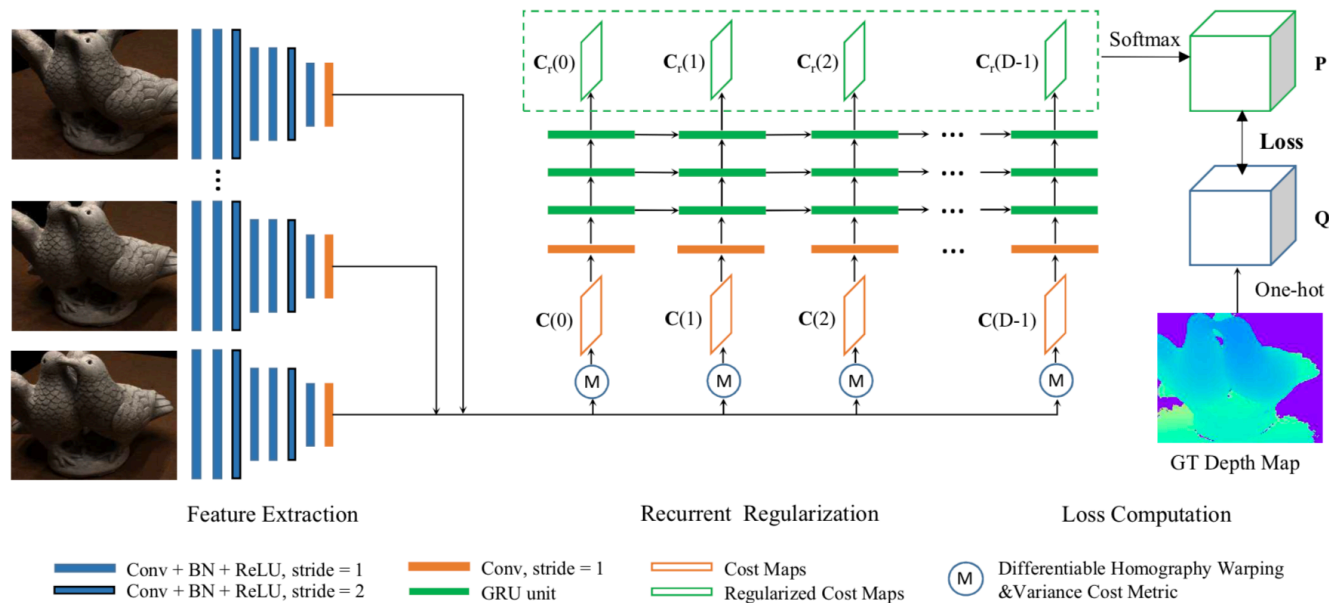


$$\text{soft argmin} := \sum_{d=0}^{D_{max}} d \times \sigma(-c_d)$$

- View-aligned cost-volume construction.

Input Input Resolution

Idea 1: Slide-by-Slide Processing of Cost Volume by Recurrent Neural Network



The cost volume is sequentially regularized along the depth direction.

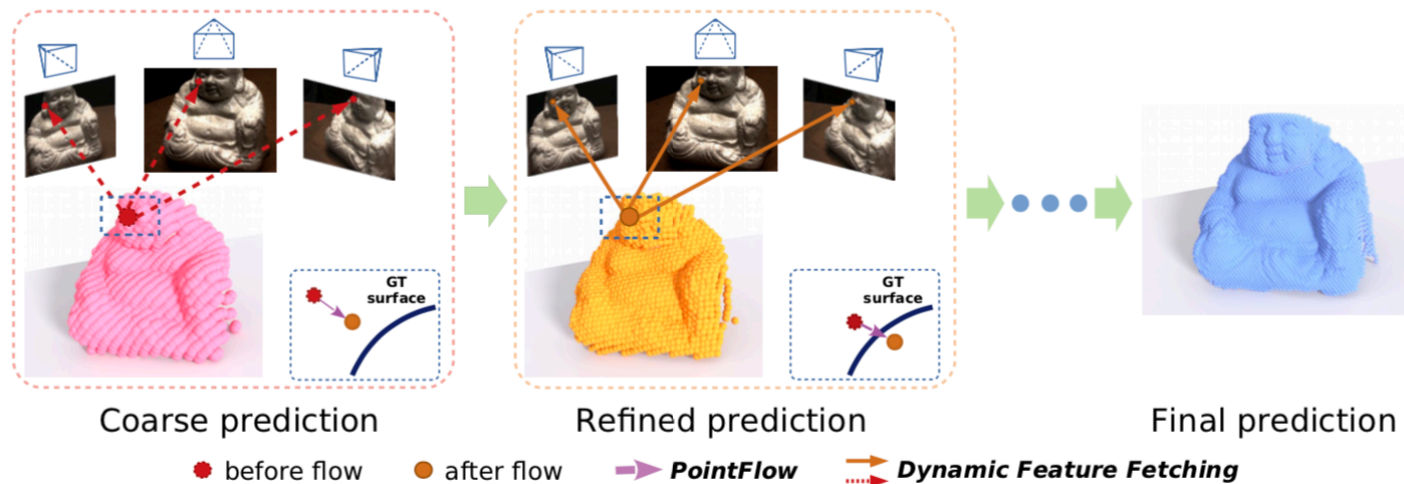
Yao et al., “**MVSNet: Depth Inference for Unstructured Multi-view Stereo**”, *ECCV 2018*

Yao et al., “**Recurrent MVSNet for High-resolution Multi-view Stereo Depth Inference**”, *CVPR 2019*

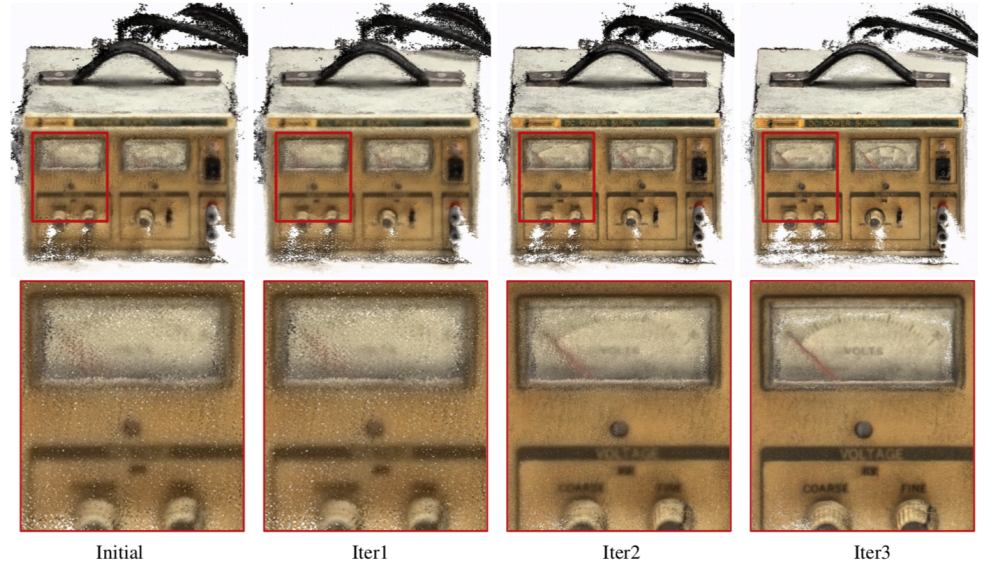
Input Input Resolution

Idea 2: Point-based MVS

- Point-based representation for computational efficiency.
- Iteratively update the location of points and spawn more points.
- More flexible and accurate.



Iterative refinement:



Results on DTU benchmark

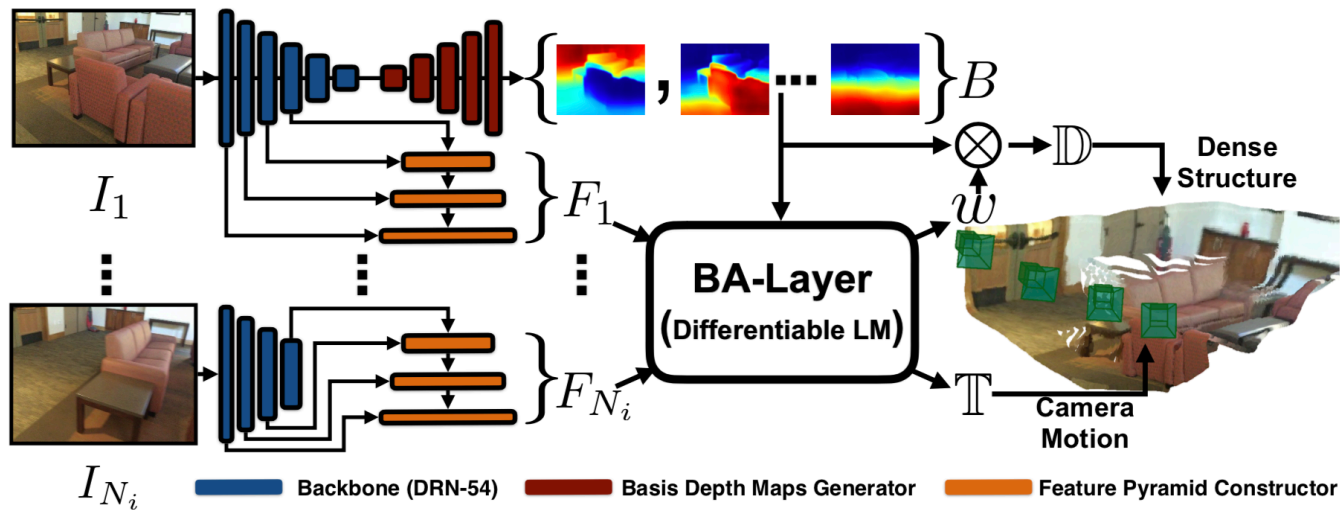
Iter.	Acc. (mm)	Comp. (mm)	Overall (mm)	0.5mm <i>f</i> -score	Depth Map Res.	Depth Interval (mm)	GPU Mem. (MB)	Runtime (s)
-	0.693	0.758	0.726	47.95	160×120	5.30	7219	0.34
1	0.674	0.750	0.712	48.63	160×120	5.30	7221	0.61
2	0.448	0.487	0.468	76.08	320×240	4.00	7235	1.14
3	0.361	0.421	0.391	84.27	640×480	0.80	8731	3.35
MVSNet[29]	0.456	0.646	0.551	71.60	288×216	2.65	10805	1.05

Learning for SfM

- Above learning-based MVS methods all **assume relative camera pose**
- What if not?
 - Classic 3D: Bundle Adjustment
- Learning-based bundle adjustment

BA-Net

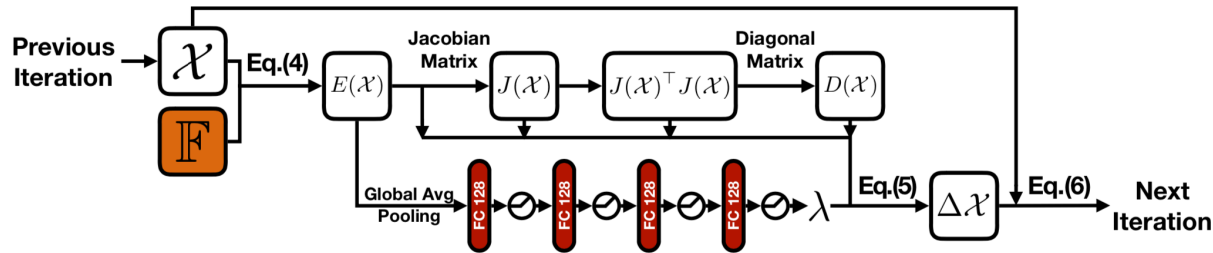
End-to-end pipeline for SfM with differentiable bundle adjustment.



Differentiable LM algorithm:

- Iterative update as rollout of network layers
- Use network to predict the damping factor lambda.

BA-layer:



$$\Delta \mathcal{X} = (J(\mathcal{X})^\top J(\mathcal{X}) + \lambda D(\mathcal{X}))^{-1} J(\mathcal{X})^\top E(\mathcal{X}).$$

Topics

- Classification
- Segmentation and Detection
- Reconstruction
- **3D Dataset**
- 3D Few-shot Learning

Datasets for 3D Scenes

Large-scale Synthetic Objects: ShapeNet



3DScan: Consumer-grade 3D scanning (click to open)

ModelNet: absorbed by ShapeNet

Chang et al., “**ShapeNet: An Information-Rich 3D Model Repository**” , *arXiv*

Wu et al., “**3D ShapeNets: A deep representation for volumetric shapes**”, *CVPR 2015*

Choi et al., “**A Large Dataset of Object Scans**”, *arXiv*

Datasets for 3D Scenes

Large-scale Synthetic Scenes: SceneNet

- 3D meshes
- 5M Photorealistic Images



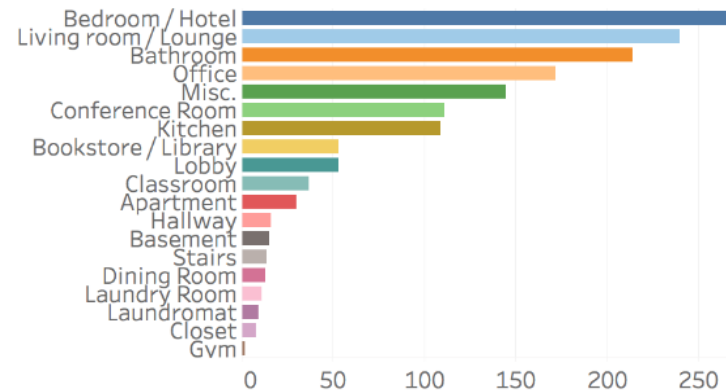
Ankur et al., “Understanding RealWorld Indoor Scenes with Synthetic Data”, *CVPR 2016*

McCormac et al., “SceneNet RGB-D: Can 5M Synthetic Images Beat Generic ImageNet Pre-training on Indoor Segmentation?”, *ICCV 2017*

Datasets for 3D Scenes

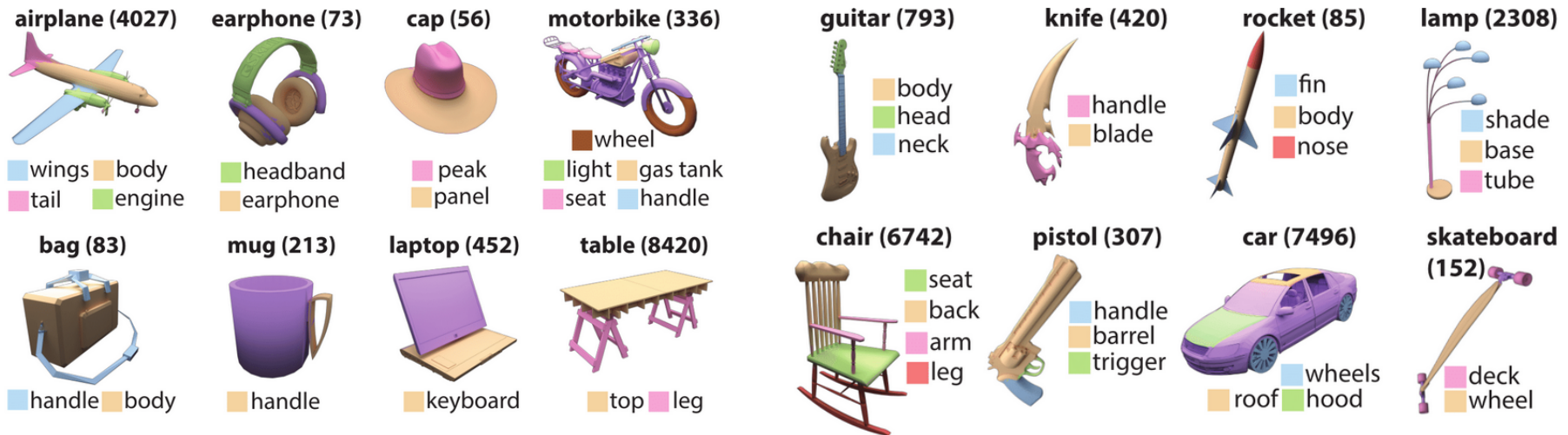
Large-scale Scanned Real Scenes: ScanNet

- 2.5 M Views in 1500 RGBD scans
- 3D camera poses
- surface reconstructions
- Instance-level semantic segmentations



Datasets for 3D Object Parts

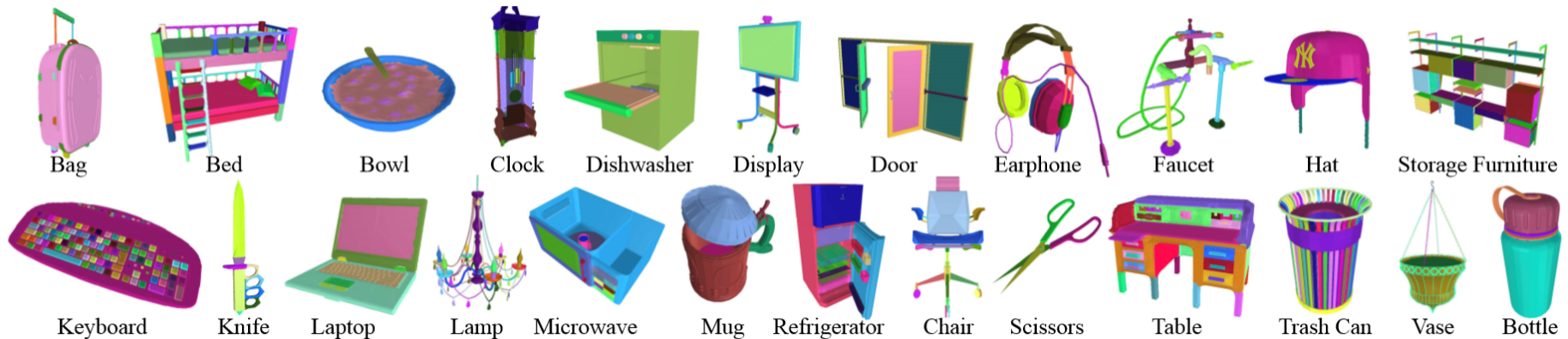
Coarse-grained Part: ShapeNetPart2016



Datasets for 3D Object Parts

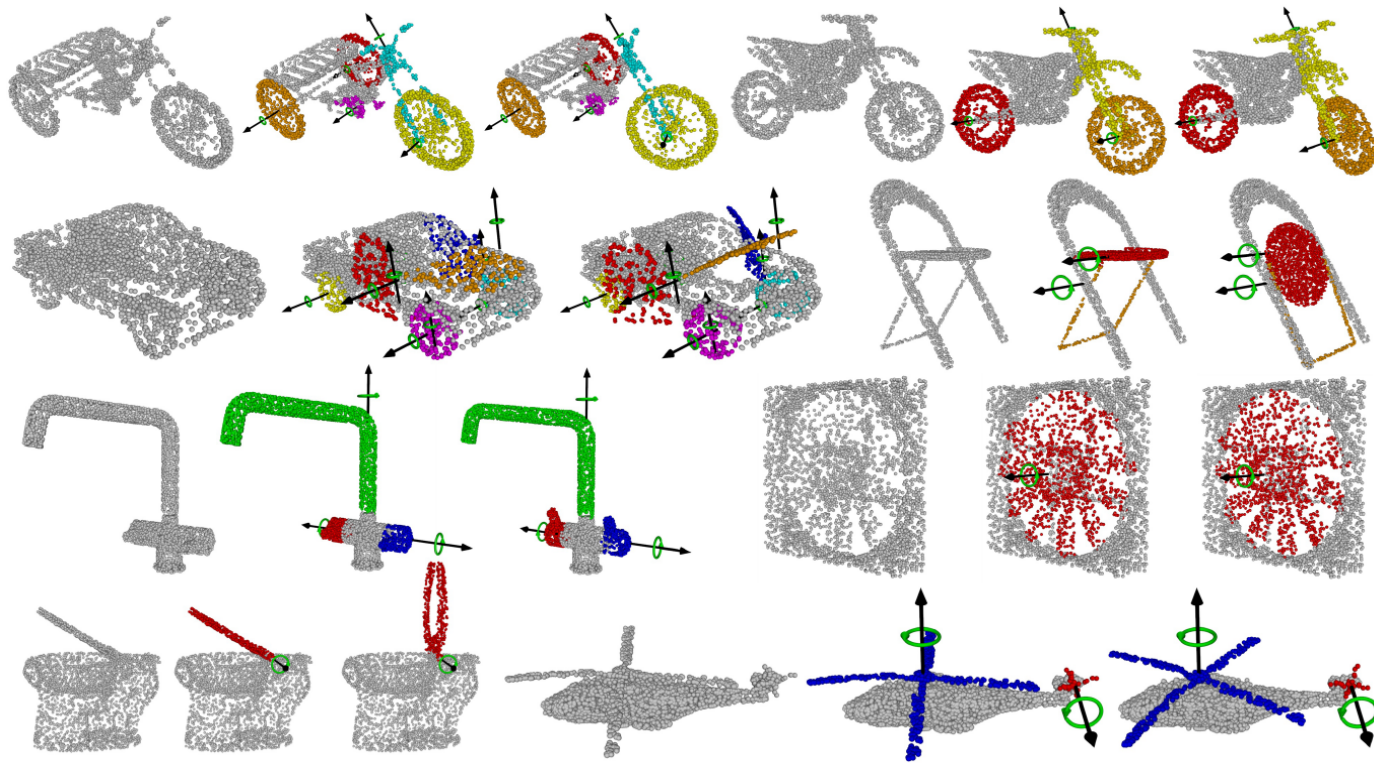
Fine-grained Part: PartNet (ShapeNetPart2019)

- Fine-grained (towards mobility)
- Instance-level
- Hierarchical



Dataset for Object Part Motion

Shape2Motion Dataset



Mobility Analysis of 3D Shapes

Topics

- Classification
- Segmentation and Detection
- Reconstruction
- 3D Dataset
- **3D Few-shot/Zero-shot Learning**

Why Few-shot/Zero-shot Learning by 3D?

- Can be a better platform than images
- Shapes are **pure** and **complete**
 - No contamination by distortion, illumination, viewpoint change, ...

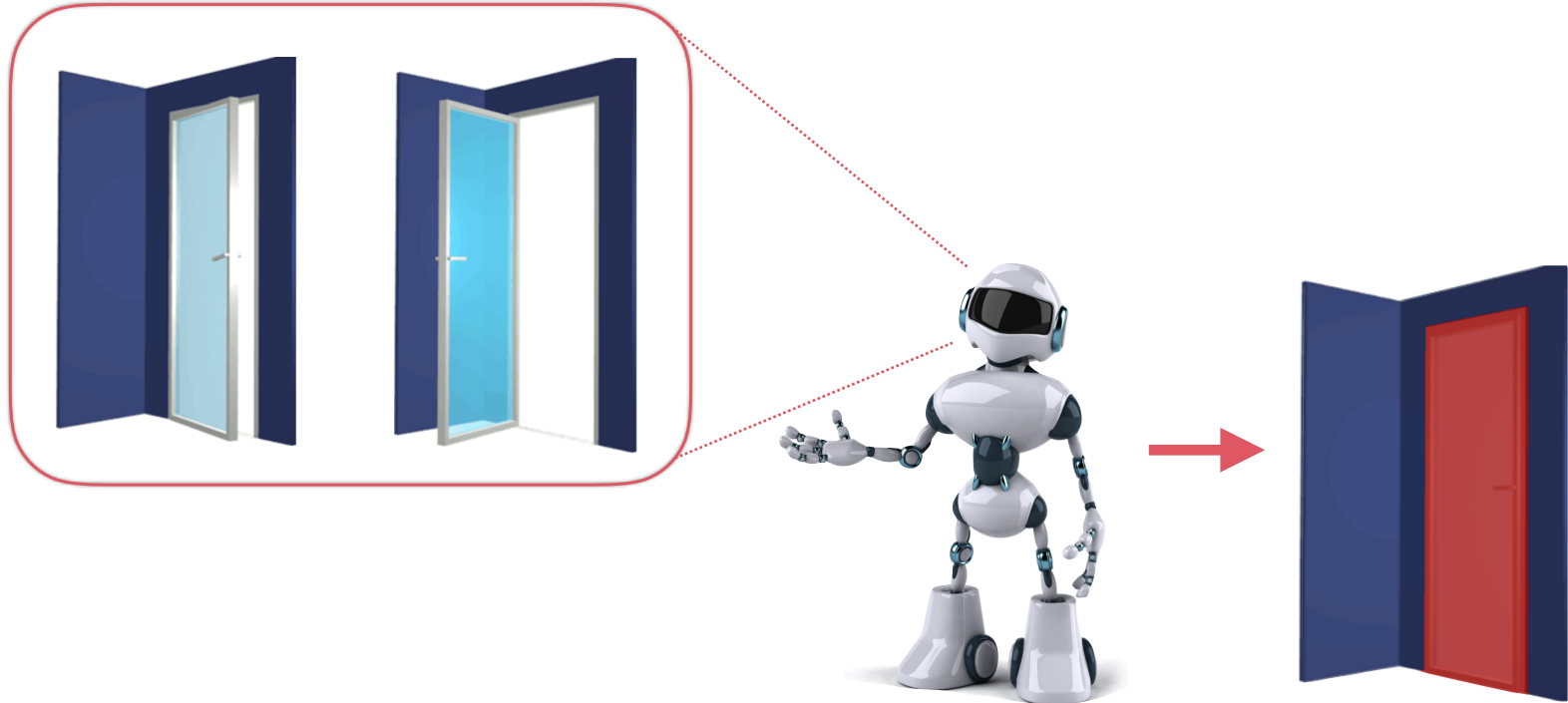
**If one image is more than a thousand words, then
one shape is more than one thousand pictures**

Why Few-shot/Zero-shot Learning by 3D?

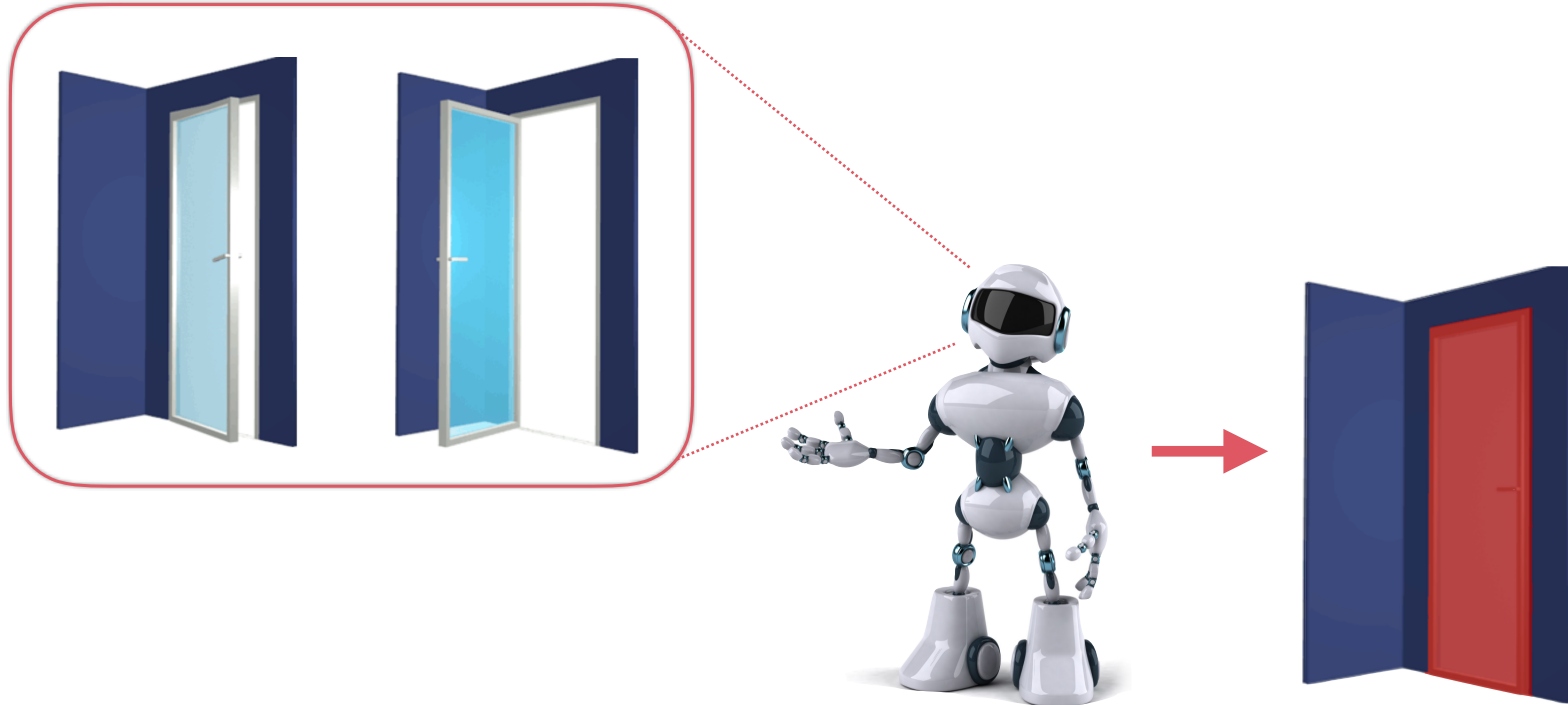
Algorithmically, 3D shapes are:

- easier to be **compared**
- easier to be **related (correspondence)**
- easier to **abstracted**

Task: Few-shot Structure Induction

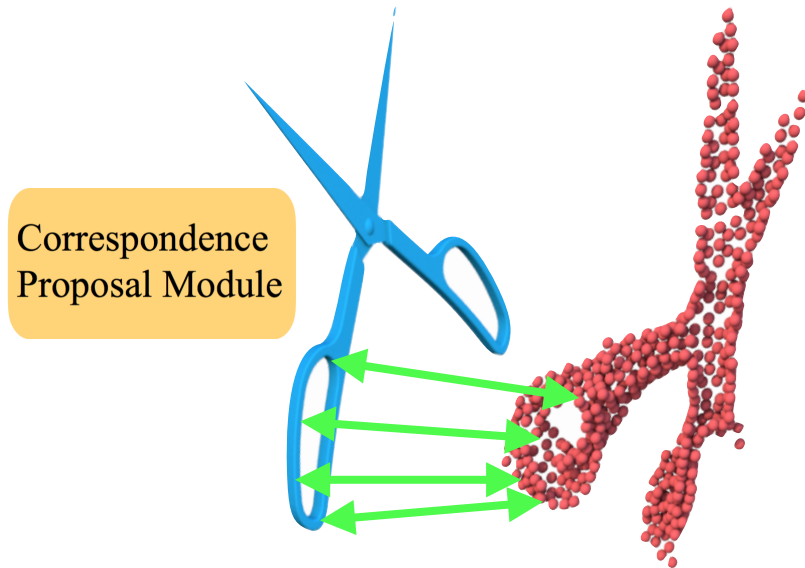


Emergence of Structure by Persistence

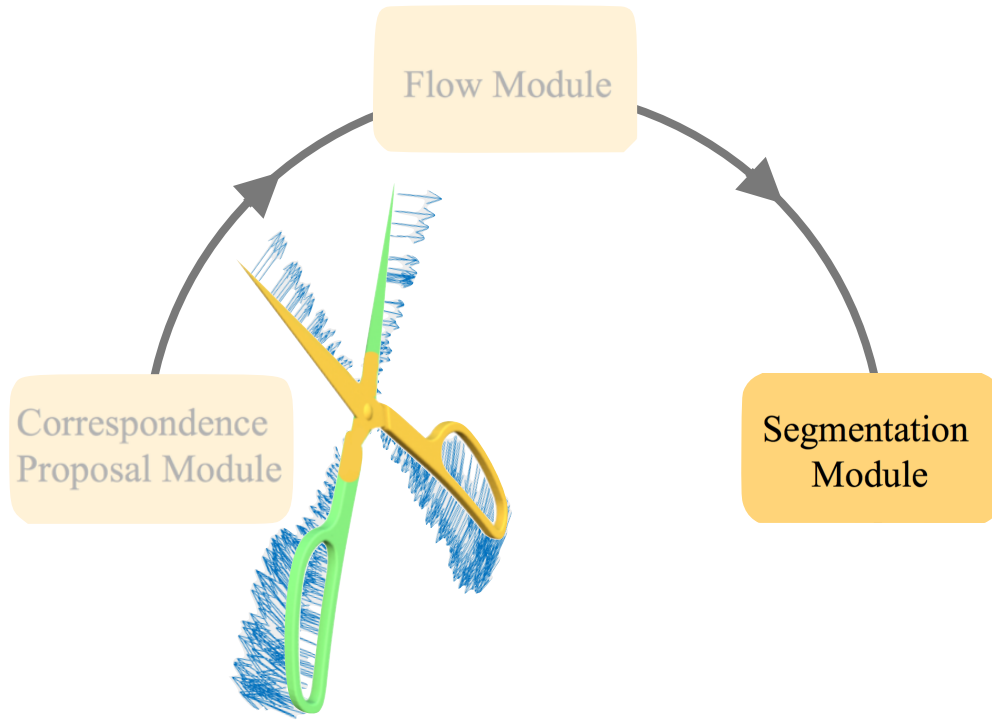


Capture re-occurring units!

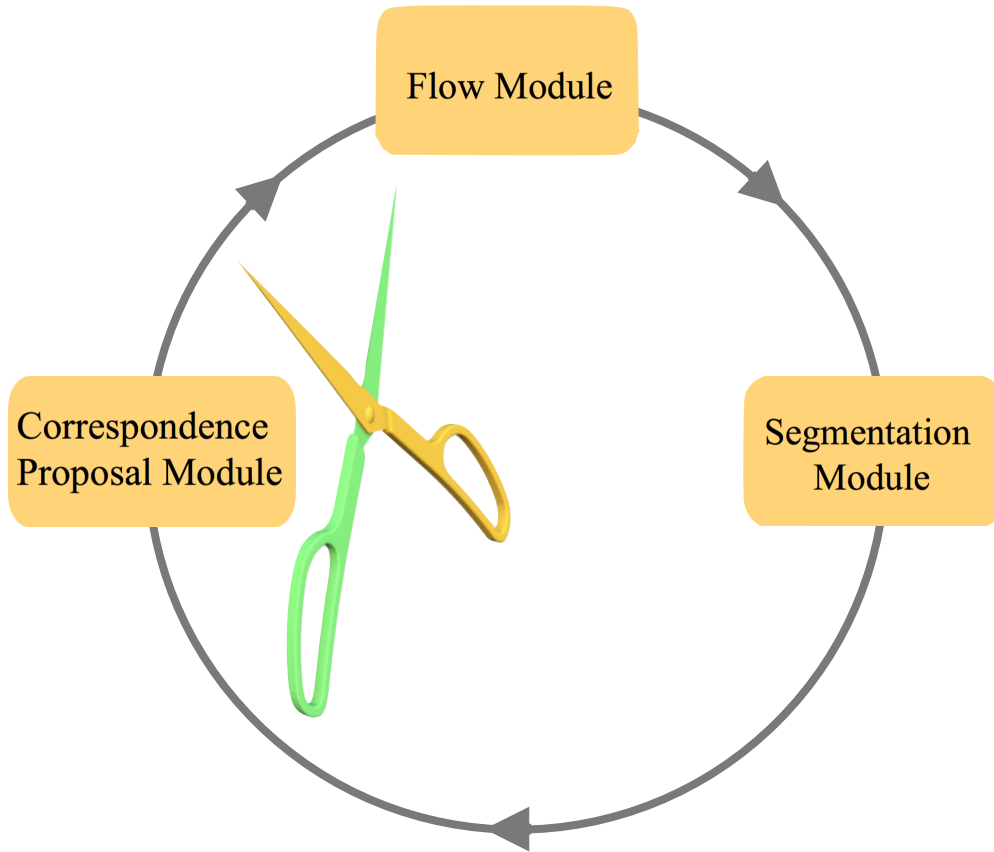
Part Induction by Relating Shapes



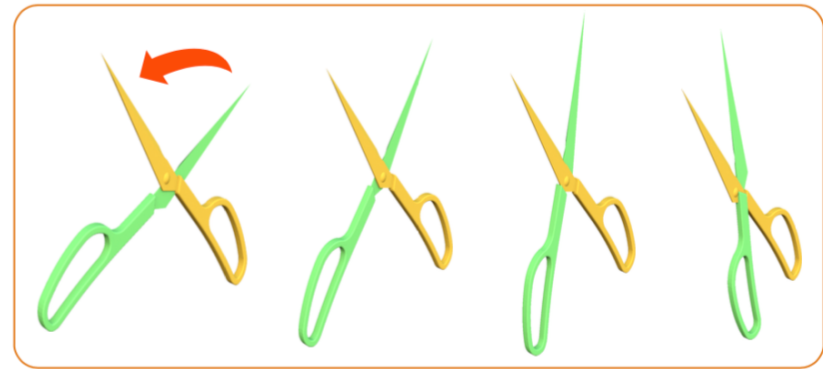
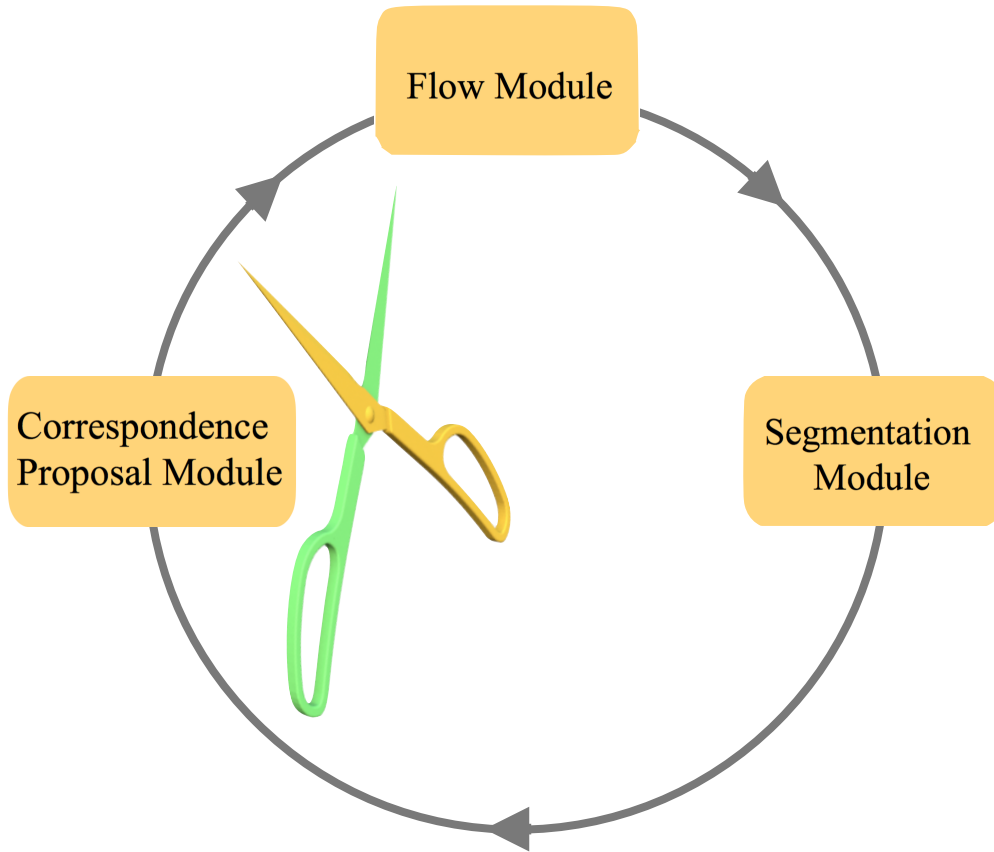
Part Induction by Relating Shapes



Part Induction by Relating Shapes



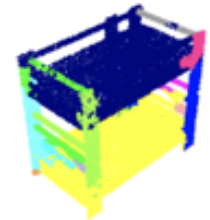
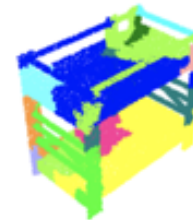
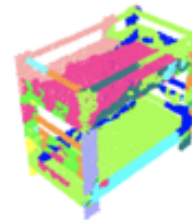
Mobility Induction



Task: Zero-shot Part Discovery

Train set

Test set



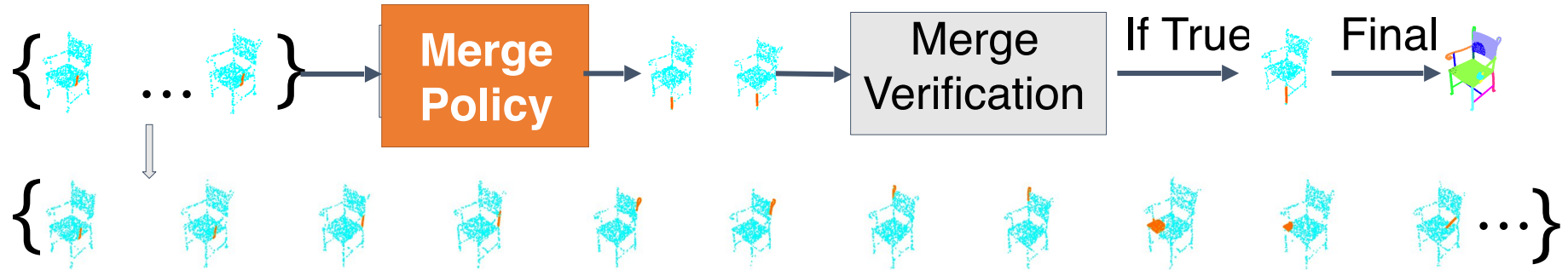
SOTA of
Deep Learning
(PartNet)

SOTA of
Classics
(WCSeg)

Ours

Learning to Group

Sub-Part Pool



Slides will be posted on
<http://ai.ucsd.edu/~haosu/>

(Homepage of Prof. Hao Su)