### Matlab – Inline Function

Matlab has many built-in functions that can be readily used:

$$sin(x)$$
,  $cos(x)$ ,  $sqrt(x)$ , ...

- Custom functions can also be defined
- Easiest method is the inline function definition:

>>

$$f(x) = 2 + \sqrt{x}$$

## Matlab "for" Loops

for index=start-val: increment: end-val a single line or block of code separated by commas or semi-colons

end

- 1. The variable  ${\tt index}$  is initialized with the value of
- 2. After each pass through the "for" loop the value of \_\_\_\_\_ will be added to the current value of index
- 3. Continue iterating around the loop with new values for index until

# "for loop" Example

Try this Matlab code

### Example #1

Use Matlab to numerically integrate

$$f(x) = 2 + \sqrt{x}$$

- □ from a=0.5 to b=1.9 with step size  $\Delta x$  = 0.2
  - left Riemann sum

## Example #1 – Left Riemann Sum

#### Add this Matlab code

```
a =0.5; b =1.9; delta_x = 0.2;
n = (b - a) / delta_x;
```

```
for i = 0 : 1 :
    x_left = a + i*delta_x;
    x_right = x_left + delta_x;
```

end

## In-Class Example #2

Use Matlab to numerically integrate

$$f(x) = 2 + \sqrt{x}$$

- $\blacksquare$  from a=0.5 to b=1.9 with step size \_\_\_\_\_
  - right Riemann sum
  - center Riemann sum
  - trapezoidal rule

### Matlab – "While" Iteration Methods

WHILE Repeat statements an indefinite number of times.

```
WHILE expression,
   statement1;
   statement2;
   :
   statement1;
END
```

■ The statements are executed while the real part of the expression has all non-zero elements.

### Matlab – "While" Iteration Methods

WHILE expression,

■ The expression is usually the result of a logical test

expr1 \_\_\_\_\_ expr2

- □ where \_\_\_\_\_ is
  - == (equals) ~= (does not equal)
  - < (less than) <= (less than or equal to)</pre>
  - > (greater than) >= (greater than or equal to)

# "While" Example

#### Try this Matlab code

### Matlab Example #3

An expression has been developed for the vertical acceleration of a human body during free-fall:

$$a(t) = -32.2 \frac{\text{ft}}{\text{s}^2} \cdot \text{e}^{(-0.052 \cdot t^{1.623})}$$

- Use Left Riemann sum with a step size of  $\Delta t = 0.5 sec$  to find
  - time to reach terminal velocity of -180 ft/s if initial velocity = 0 ft/s
  - distance traveled during this time interval

## "While" Example – Left Riemann Sum

#### Add this Matlab code

## Matlab Example #4

An expression has been developed for the vertical acceleration of a human body during free-fall:

$$a(t) = -32.2 \frac{\text{ft}}{\text{s}^2} \cdot \text{e}^{(-0.052 \cdot t^{1.623})}$$

- Use trapezoidal method with a step size of  $\Delta t = 0.1 sec$  to find
  - time to reach terminal velocity of -180 ft/s if initial velocity = 0 ft/s
  - distance traveled during this time interval